BASICS ABOUT ARPEGE/IFS, ALADIN, AROME (CY45).

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Support for presentation.

1 ARPEGE, ALADIN, ALARO, HIRALD, AROME.

* Several models in the same code: one code, but several models shared between different European (and also some non-European countries):

- ARPEGE: spectral global model for METEO-FRANCE applications.
- IFS: spectral global model for ECMWF applications.
- ALADIN: spectral limited area model (mesh-size often between 3 km and 10 km).
- ALARO: cf. ALADIN but for some ALADIN partners.
- AROME: non-hydrostatic spectral limited area model for METEO-FRANCE applications (mesh-size 1.3 km).
- ARPEGE/CLIMAT and IFS/CLIMAT: climate versions of ARPEGE and IFS.
- Code stored under GIT.
- Around 14000 routines (around 4 millions code lines) spread among sub-projects.

* Brief history:

- ARPEGE/IFS: project started in 1987.
- First operational implementation of ARPEGE: september 1992.
- First operational implementation of IFS: 1994.
- ALADIN: project started in 1990.
- First operational implementations of ALADIN: mid 1990s (1995-96 at METEO-FRANCE).
- First operational implementation of AROME: end 2008.

2 CODE IS STRUCTURED IN PROJECTS.

* Projects used in forecasts:

- **ARPIFS**: ARPEGE or common ARPEGE-ALADIN routines.
- TRANS: spectral transforms for spherical geometry.
- IFSAUX: some application routines (IO on files, distributed memory environnement).
- ALGOR: linear algebra, minimizers other than CONGRAD.
- ALADIN: specific LAM routines (LAM, not used at ECMWF).
- ETRANS: spectral transforms for plane geometry (LAM models).
- BIPER: bi-periodicisation package (LAM models).
- COUPLING: coupling package (LAM models).
- SURF: ECMWF surface scheme.
- MPA: upper air MESO-NH/AROME physics.
- MSE: surface processes in MESO-NH/AROME (interface for SURFEX).
- SURFEX: surface processes in MESO-NH/AROME.
- Remark: there are mirror routines between ARPIFS and ALADIN. **ETOTO** is the LAM counterpart of routine **TOTO**; **SUETOTO** is the LAM counterpart of set-up routine **SUTOTO**. For example, **ELARMES** is the LAM version of **LARMES**; **SUEMP** is the LAM version of **SUMP**.

* Projects used in assimilation:

- AEOLUS: package for pre-processing satellite lidar wind data.
- BLACKLIST: package for blacklisting.
- OBSTAT: statistics of observation feedback data (only used at ECMWF).
- ODB: ODB (Observational DataBase software).
- SATRAD: satellite data handling package.
- SCAT: scatterometers handling.

* Miscellaneous utilitaries:

- UTILITIES: utilitary package (not used at ECMWF).
- SCRIPTS: scripts used at ECMWF.

3 AND EACH PROJECT IS SUBDIVIDED IN DIRECTORIES.

* Example for project ARPIFS (not comprehensive):

- adiab: adiabatic dynamics, adiabatic diagnostics, semi-implicit scheme, horizontal diffusion.
- $\bullet\,$ control: control routines, like CNT4 or STEPO.
- module: all the types of modules.
- namelist: all namelists.
- phys_dmn: physics parameterizations used at METEO-FRANCE.
- setup: a subset of setup routines.
- transform: hat routines for spectral transforms.

4 Variable NCONF.

* Range of configurations:

- 0- 99 : 3-D integration job.
- 100-199 : variational job.
- 200-299 : 2-D integration job.
- 300-349 : KALMAN filter.
- 350-399 : predictability model (currently not used).
- 400-499 : test of the adjoint.
- 500-599 : test of the tangent linear model.
- 600-699 : eigenvalue/vector solvers.
- 700-799 : optimal interpolation.
- 800-899 : sensitivity experiments.
- 900-999 : miscellaneous other configurations.
- There are actually around 20 existing configurations.

* Examples of configurations:

- 1 : forecast.
- 131 : 4DVAR-assimilation.
- 401 : test of the adjoint.
- 501 : test of the tangent linear model.
- 601 : make eigenvectors (for example for PEARP).
- $\bullet~701$: CANARI surface assimilation.
- 903 : some off-line FULL-POS configurations.
- 923 : make climatology files.

5 GEOMETRY ASPECTS.

* Global models:

- Spectral model: fields have a spectral representation defined by a couple of wavenumbers (m, n) (n and m are respectively the total and zonal wavenumbers).
- Triangular truncation $N_{\rm s}$. *n* varies between 0 and $N_{\rm s}$; for each n, |m| varies between 0 and *n*.
- Grid-point calculations on reduced Gaussian grid. There are NDLON longitudes and NDGLG latitudes. NDLON is very close (or equal) to 2*NDGLG.
- Variable mesh: stretching/tilting defined by a high resolution pole and a stretching coefficient **RSTRET** (Schmidt, 1977).

* LAM models:

- Spectral model: fields have a spectral representation defined by a couple of wavenumbers (m, n) (n and m are respectively the meridian and zonal wavenumbers).
- Elliptic truncation, with a zonal truncation equal to $N_{\rm ms}$ and a meridian truncation equal to $N_{\rm s}$. Couple (m, n) matches $0 \leq [(n/N_{\rm s})^2 + (m/N_{\rm ms})^2] \leq 1$.
- Grid-point calculations on a limited area plane projection (Lambert, Mercator). There are **NDLON** longitudes and **NDGLG** latitudes.
- Limited area domain is divided into three zones: C (inner), I (intermediate), E (extension).
- Bi-periodicity is done via extension zone.
- For LBC (= lateral boundary conditions), Davies relaxation in I zone (Davies, 1976).

6 FORECASTS AND DYNAMICAL CORES.

* Dynamical cores for forecasts:

- Hydrostatic (primitive equation) model (configuration 1).
- Fully elastic non-hydrostatic model (configuration 1 with LNHDYN=T).
- Shallow-water model (configuration 201).

* Prognostic and diagnostic variables:

- A prognostic variable is a variable defined by a temporal equation $\left(\frac{dX}{dt} = RHS\right)$.
- Example of prognostic variables in a hydrostatic model: U and V (horizontal wind components), T (temperature), q (specific humidity).
- Other computed variables are diagnostic variables.
- Example of diagnostic variables: ω/Π (where $\omega = d\Pi/dt$), Φ (geopotential).

7 EQUATIONS.

* Eulerian and semi-Lagrangian aspects:

• Eulerian formulation:

$$\frac{\partial X}{\partial t} = -\vec{V}\nabla X - \dot{\eta}\frac{\partial X}{\partial \eta} + \mathcal{A} + \mathcal{F}$$

 $(\mathcal{A} = \text{non linear (NL)} + \text{linear adiabatic terms}, \mathcal{F} = \text{physics}).$ Stability condition = CFL criterion. Always discretised as a leap-frog scheme.

• Semi-Lagrangian formulation:

$$\frac{dX}{dt} = \mathcal{A} + \mathcal{F}$$

Stability condition = Lipschitz criterion, less stringent (the trajectories O - F must not cross each other). Physics often impose a slightly more stringent stability condition. Can be discretised as a leap-frog (three-time level) SL scheme or as a two-time level SL scheme (cheaper).

- * **Prognostic variables:** X represents the prognostic variables:
 - In a hydrostatic model, X may be $U, V, T, \log \Pi_s, q$.
 - Link with definitions of GMV and GFL (see below).

* Dynamics: A represents all the effects which can be explicitly represented (often called "adiabatic effects"). Examples:

- The Coriolis force (momentum equation).
- The pressure-gradient force term (momentum equation).
- The conversion term (temperature equation).
- The divergence term (continuity equation).

* Physics: \mathcal{F} represents all the sub-scale effects (often called "diabatic effects" or "physics"). Examples:

- Radiation.
- Stratiform precipitations.
- Convection, and convective precipitations (example: PCMT).
- Vertical diffusion.
- Microphysics.
- Orographic gravity wave drag.
- Exchanges with the surface, interaction with the surface vegetation (examples: ISBA, SURFEX).
- Remark: there are several physics packages in the code.

* Eulerian and semi-Lagrangian discretisations:

• Eulerian discretisation:

$$X(t + \Delta t) - \Delta t \mathcal{L}(t + \Delta t) = X(t - \Delta t)$$
$$2\Delta t \left[\vec{V} \nabla X \right](t) - 2\Delta t \left[\dot{\eta} \frac{\partial X}{\partial \eta} \right](t) + 2\Delta t [\mathcal{A}(t) - \mathcal{L}(t)] + \Delta t \mathcal{L}(t - \Delta t) + 2\Delta t \mathcal{F}(t - \Delta t)$$

 \mathcal{L} : linear terms.

All terms are evaluated at the same model grid-point F.

• LSETTLS-type two-time level semi-Lagrangian discretisation without uncentering:

$$X(t + \Delta t, F) - 0.5\Delta t \mathcal{L}(t + \Delta t, F) = X(t, O) + \{[0.5\Delta t \mathcal{A}(t) - 0.5\Delta t \mathcal{L}(t)]\}_F$$

$$+\{[\Delta t\mathcal{A}(t) - \Delta t\mathcal{L}(t)] - [0.5\Delta t\mathcal{A}(t - \Delta t) - 0.5\Delta t\mathcal{L}(t - \Delta t)] + [0.5\Delta t\mathcal{L}(t) + \Delta t\mathcal{F}(t)]\}_{C}$$

Requires the calculation of an origin point O and interpolations at this point.

- Trajectories are great circles on the geographical sphere in global models, and straight lines on the projection plane in LAM models. The computation of the origin point O is performed by an iterative method (2 to 5 iter) described
- by Robert (1981) and adapted to the sphere by M. Rochas. In LAM models, O bounded inside C+I except for the analytical calculation of the Coriolis term.
- Interpolations: generally 32 points or trilinear interpolations, but possible choice of quasi-monotonic interpolations, SLHD interpolations, spline cubic interpolations.
- Remark: in the literature one finds denotation \mathcal{N} for non-linear terms (i.e. $[\mathcal{A} \mathcal{L}]$).

* Calculations in grid-point space:

- Explicit dynamics.
- Advection, if Eulerian advection.
- Physics.
- Lateral coupling for LAM models.

* Calculations in spectral space:

- Inversion of Helmholtz equations in the semi-implicit scheme (treatment of term \mathcal{L}).
- Horizontal diffusion.
- Spectral nudging (near the top) for LAM models.

8 THE DIFFERENT OOPS-ORIENTED OBJECTS.

* List of objects:

- There are around 10000 variables; need to gather them in objects.
- Variables are shared into some main objects, for example:
 - INIT: variables like **NCONF**, **LNHDYN**.
 - GEOMETRY: variables describing horizontal and vertical geometry (examples: number of latitudes, longitudes, levels).
 - FIELDS: fields, like GMV, GFL (see below).
 - MODEL: model variables (for example horizontal diffusion coefficients, some linear operators used in the semi-implicit scheme).
 - MTRAJ: trajectory variables.
- Each of these main objects has subdivisions.
- In a model execution under OOPS, several model versions (or "instanciations") may be launched, for example with different horizontal resolutions.
 - "INIT" object variables are identical for all instanciations.
 - GEOMETRY, FIELDS, MODEL, TRAJ objects variables may be different for each instanciation.
 - Variables YRGEOMETRY, YRMODEL, YRFIELDS, YRMTRAJ (declared in CNT0) respectively contain GEOMETRY, FIELDS, MODEL, TRAJ objects variables.

* Groups of prognostic variables in "FIELDS" object: this object is divided into GMV, GMVS, GFL, surface fields.

- Upper-air quantities:
 - For a given dynamical core, GMV+GMVS defines the dynamical core. That means that if one changes the dynamical core (for example adding prognostic variables), one changes the list of GMV+GMVS variables.
 - For GMV (3D) variables, \mathcal{A} and \mathcal{L} are non-zero. Example: wind components (VOR/DIV in spectral calculations), temperature, additional NH variables. The GMV variables other than the wind components or divergence/vorticity are the "thermodynamical variables" (there are NFTHER thermodynamical variables in the model).
 - GMVS (2D) variables (\mathcal{A} and \mathcal{L} are non-zero). Example: logarithm of surface pressure.
 - For a given dynamical core, GFL variables are additional variables which do not change the definition of the dynamical core. Specific humidity q is a GFL variable. That means for example that if you remove specific humidity in a hydrostatic model, that remains a hydrostatic model. A hydrostatic model may be used on a dry planet.
 - For GFL (3D) variables, \mathcal{A} and \mathcal{L} are zero. Example: humidity, liquid water, ice, TKE, ozone, etc... This list also contains some pseudo-historic variables (ex CPF = convective precipitation flux).
- Surface prognostic quantities: buffers SP_... of the surface dataflow. Examples: temperature and water content of the soil reservoirs.

* Spectral variables in "FIELDS" object:

- YRFIELDS%YRSPEC%[X]: spectral variable for [X]. Example [X]=VOR,DIV,T,Q,SP.
- YRFIELDS%YRSPEC%GFL: all GFL spectral variables.
- YRFIELDS%YRSPEC%SP3D: all 3D variables.
- YRFIELDS%YRSPEC%SP2D: all 2D variables (+ the spectral orography).
- YRFIELDS%YRSPEC%SP1D: mean wind, in LAM models only.

* Grid-point variables in "FIELDS" object and in some additional buffers:

- YRFIELDS%YRGMV: gathers the $t \Delta t$ and t GMV variables (including horizontal derivatives).
- YRFIELDS%YRGMVT1 gathers the $t + \Delta t$ GMV variables.
- YRFIELDS%YRGMVS: gathers the $t \Delta t$ and t GMVS variables (including horizontal derivatives).
- YRFIELDS%YRGMVT1S gathers the $t + \Delta t$ GMVS variables.
- YRFIELDS%YRGFL: gathers the $t \Delta t$ and t GFL variables (including horizontal derivatives).
- YRFIELDS%YRGFLT1 gathers the $t + \Delta t$ GFL variables.
- YRFIELDS%YRSURF%SP_[group]: prognostic surface dataflow. In particuliar contains 2D surface variables used in the physics.

- YRFIELDS%YRSURF%SD_[group]: diagnostic surface dataflow.
- Individual variables: P[X]T0: X at t; (P[X]T0L, P[X]T0M): grad(X) at t. $P[X]T9: X \text{ at } t; (P[X]T9L, P[X]T9M): grad(X) \text{ at } t - \Delta t.$ $P[X]T1: X \text{ at } t + \Delta t.$ Sometimes appendix F for full level, H for half level.
- Additional buffers are needed for some applications.

9 TANGENT LINEAR AND ADJOINT CODES.

* Why? Some configurations, like minimisation in a 4D-VAR assimilation, require tangent linear (TL) and adjoint (AD) codes.

* Tangent linear (TL):

- If the direct code computes the evolution of $X\left(\frac{dX}{dt} = f(X)\right)$, the tangent linear code computes the evolution of a small perturbation δX , assuming that the evolution of this perturbation is linear $\left(\frac{d[\delta X]}{dt} = f'(X)[\delta X]\right)$.
- The tangent linear version of a routine **TOTO** has name **TOTOTL**.
- Before running the tangent linear code it is necessary to run the direct code, which provides a trajectory (stored in YRMTRAJ).

* Adjoint (AD):

- The TL code can be represented by the matricial product: $[\Delta X]_{N_{stop}} = M[\Delta X]_0$
- Taking the scalar product between $[\Delta X]_{N_{\text{stop}}}$ and another vector denoted by $[\Delta Y]$ writes: $\langle [\Delta X]_{N_{\text{stop}}}, [\Delta Y] \rangle = \langle M[\Delta X]_0, [\Delta Y] \rangle$
- It can be rewritten: $\langle [\Delta X]_{N_{\text{stop}}}, [\Delta Y] \rangle = \langle [\Delta X]_0, \mathsf{M}^T[\Delta Y] \rangle$
- M^T is the adjoint operator of M.
- The adjoint version of a routine **TOTO** has name **TOTOAD**.

10 CODE ARCHITECTURE AND ORGANIGRAMMES.

* Setup: MASTER -> CNT0 ->

- **SU0YOMA** (setup of level 0, part A) >
 - set-up before **SUGEOMETRY**: object INIT
 - SUGEOMETRY: object GEOMETRY
 - set-up after **SUGEOMETRY**: part of object MODEL
- SU0YOMB (setup of level 0, part B): part of object MODEL
- Most namelists are read under ${\bf SU0YOMA}$ and ${\bf SU0YOMB}$
- CNT1 for conf 1-99 or 200-299
- CUN3 or CVA1 for conf 100-199
- CSEKF1 for conf 301-349
- CAD1 for conf 401-499
- CTL1 for conf 501-599
- CUN1 for conf 601-699
- CAN1 for conf 701-799
- CGR1 for conf 801-899
- CPREP1 for conf 901
- CPREP3 for conf 903
- INCLI0 for conf 923
- CSSTBLD for conf 931
- CSEAICE for conf 932

* Setup for configuration 1: CNT1 – >

- SU1YOM (setup of level 1)
- CNT2 ->
 - SU2YOM (setup of level 2)
 - CNT3 ->
 - * CSTA > **SUINIF** (reads the initial files)
 - * SU3YOM (setup of level 3)
 - * CNT4 > some setup routines of level 4 and STEPO

\ast Management of one timestep: STEPO ->

- X(t) available as spectral variable.
- Write historic file **[IOPACK**].
- Inverse transforms + compute horizontal derivatives [(E)TRANSINVH]. Provides grid-point X(t) and $\nabla X(t)$.
- Grid-point calculations [GP_MODEL] (explicit dynamics, physics, SL interpolations).
- Coupling (LAM models only) [ECOUPL1].
- Direct transforms [(E)TRANSDIRH] on provisional $X(t + \Delta t)$ variables. Remark for spectral transforms: Fourier + Legendre in ARPEGE (code in the TRANS library), double Fourier in LAM models (code in the ETRANS library).
- Spectral calculations [(E)SPCM] (SI scheme, horizontal diffusion).
- Provides final $X(t + \Delta t)$, which becomes X(t) at the following timestep.

\ast Grid-point calculations for semi-Lagrangian scheme: STEPO -> SCAN2M -> GP_MODEL ->

- $CPG_DRV > CPG$ (unlagged dynamics, unlagged MF physics)
 - **CPG_GP** (dynamics calculations)
 - **MF_PHYS** (MF unlagged physics or AROME physics)
 - **CPG_DIA** > (routines for some diagnostics: DDH, CFU, XFU)
 - $CPG_DYN >$
 - * CPEULDYN (Eulerian dynamics)
 - * **LACDYN** (Semi-Lagrangian dynamics): calls several LA.. routines, for example to fill PB1 (interpolation buffer), computes some linear terms.
 - * VDIFLCZ (Buizza simplified physics)
 - CPG_END
- RADDRV (ECMWF lagged radiation scheme used at ECMWF)
- **CALL_SL** (semi-Lagrangian only) >
 - some parallel environmement routines spread in the code (SLCOMM., (E)SLEXTPOL. routines).
 - LAPINEA > (E)LARMES: trajectory research, interpolation weights computation.
 - ${\bf LAPINEB}$ > LARCINB and LARCINHB (interpolations, updates GFLT1,GMVT1,GMVT1S with the interpolated values).
- EC_PHYS_DRV (ECMWF lagged physics)
- **CPGLAG** (additional dynamics calculations)

* Naming routines: some routines names start by a specific prefix; examples:

- SU..: set-up routines.
- CA..: CANARI surface assimilation.
- LA..: semi-Lagrangian advection routines.
- CP.. or GP..: grid-point space calculations.
- GNH..: non-hydrostatic grid-point space calculations.
- SP..: spectral space calculations.

11 DIAGNOSTICS.

* Inventory:

- Write historic files.
- Post-processing: **FULL-POS**.
- Horizontal domains diagnostics: DDH.
- Cumulated fluxes: CFU.
- Instantaneous fluxes: XFU.
- Spectral norms and grid-point norms printings.
- There are other diagnostics spread in the code (for example in SURFEX, physics).

* FULL-POS:

- Post-processing for different types of variables: 3D dynamical variables, 2D dynamical variables, surface fields used in the physics, fields computed by the CFU or the XFU.
- Post-processing on different surfaces: hydrostatic pressure (ex: Z500), geopotential height, hybrid coordinate, potential temperature, potential vorticity, temperature, flight level, surface, sea level (ex: MSLP).
- Post-processing on different domains: whole Earth in spectral, grid-point or "lat-lon" grid representation; LAM sub-domain in spectral or grid-point representation; "lat-lon" sub-domain in grid-point representation.
- One application of FULL-POS is to change resolution (examples: to make coupling files, to change horizontal resolution in 4DVAR).

12 DISTRIBUTED MEMORY, CODE PARALLELISATION, DATA ORGANISATION.

* Two ways of distribution:

- Message passing (**MPI**): call to MPI.. routines.
- OpenMp: use of directives.

* MPI distribution:

- Two levels of distribution.
- There are **NPROC** processors.
- Two levels in grid-point calculations: NPROC=NPRGPNS*NPRGPEW.
- Two levels in spectral calculations: NPROC=NPRTRW*NPRTRV.
- There are other variables for IO server, IO.

* Horizontal representation in spectral space:

- In global models, \mathbf{NSMAX} is the truncation.
- In LAM models, **NSMAX** and **NMSMAX** are the meridian and zonal truncations.
- A processor treats a subset of zonal wave numbers.

* Horizontal representation in grid-point space:

- For a 2D field, there are NGPTOTG grid-points, NDGLG latitudes, NDLON longitudes.
- A processor treats **NGPTOT** points (**NGPTOT** is processor dependent).
- In grid-point calculations, the **NGPTOT** points are sub-divided into **NGPBLKS** packets of **NPROMA** points.
- **NPROMA** is a tunable variable.

* Vertical representation:

- There are **NFLEVG** levels.
- When the second level of distribution is activated, some part of spectral calculations work on a subset of **NFLEVL** levels..
- Vertical discretisation can be with finite differences (VFD) or finite elements (VFE).

13 MORE DOCUMENTATION.

* Where to find it?

- http://www.cnrm.meteo.fr/gmapdoc (ARPEGE, ALADIN, AROME doc).
- Yessad, K., 2017: Basics about ARPEGE/IFS, ALADIN and AROME in the cycle 45 of ARPEGE/IFS.