

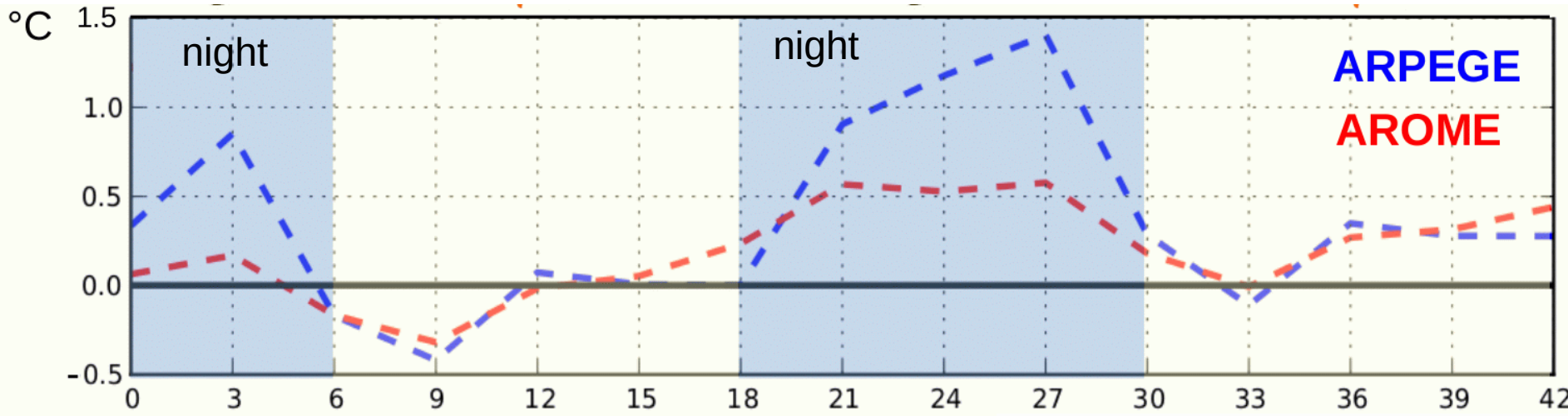
The GABLS4-LES exercise : a challenging intercomparison for LES in very stable conditions

Fleur Couvreur, E Bazile, B Maronga, G. Matheou, M Chinita, J Edwards, B. Van Stratum, C. van Heerwaarden, J. Huang, A. F. Moene, V. Fuka, S. Basu, A Cheng, Q Rodier, E. Bou-Zeid, G Canut, E. Vignon

GABLS4 Workshop 12-14 September 2018

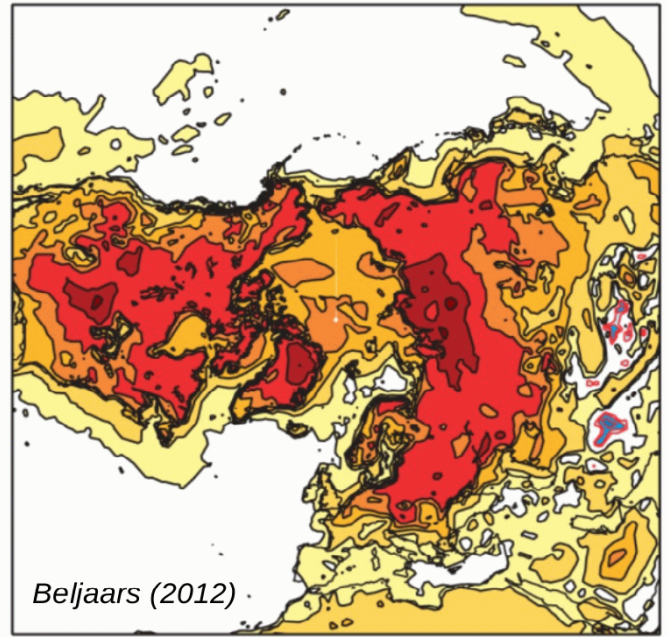
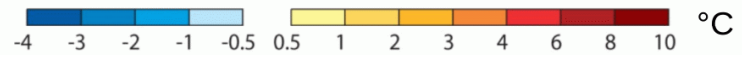
Motivations

A larger bias at night in operational models



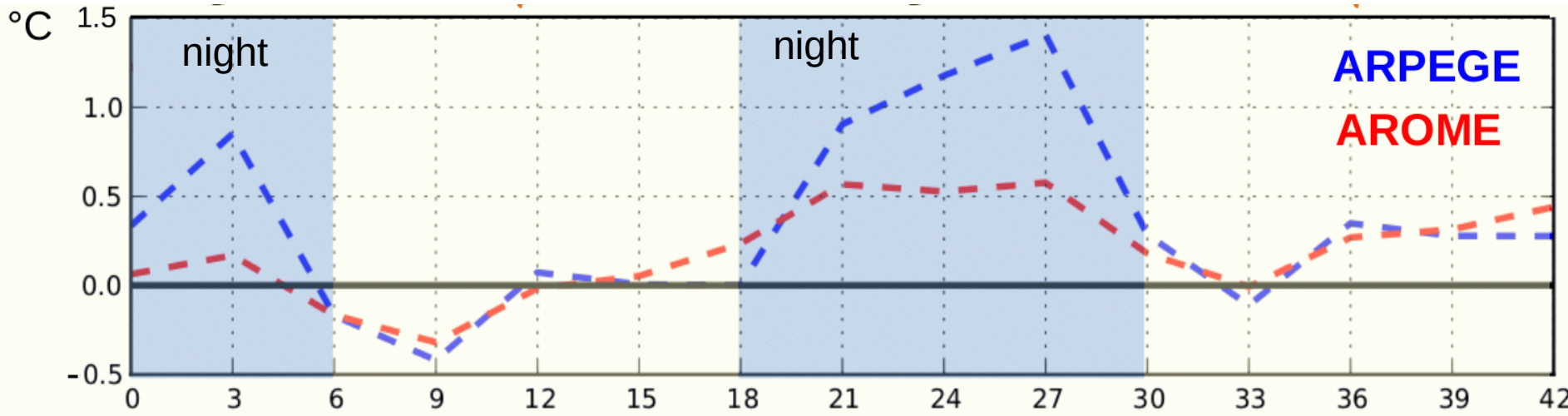
Sensitive results to the turbulence scheme

Difference in Temperature between two ECMWF simulations with different turbulence schemes (Beljaars, 2012 ; Holtslag et al, 2013)



Motivations

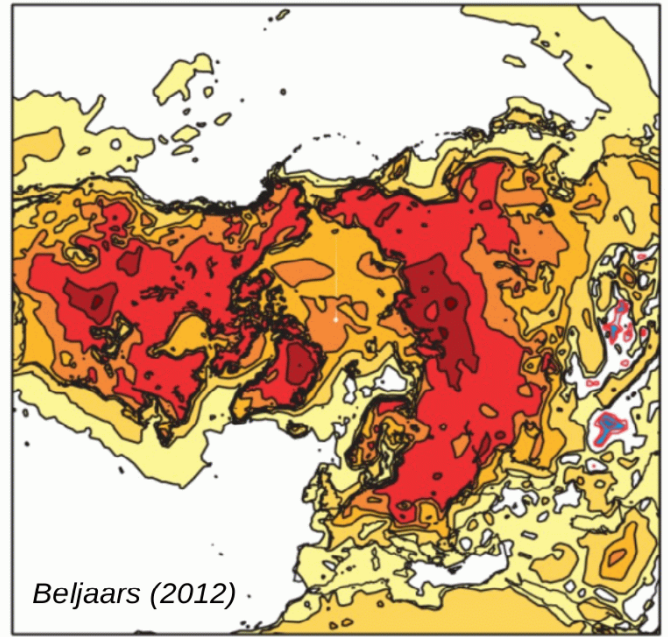
A larger bias at night in operational models



Sensitive results to the turbulence scheme

➔ Need of LES as a reference
For parameterization development

Difference in Temperature between two ECMWF simulations with different turbulence schemes (Beljaars, 2012 ; Holtslag et al, 2013)



Motivations

Stable BL : « *still in a state of discovery as the couplings between large-scale forcings, internal waves, and weak turbulence ... in the presence of strong stratification* » (Sullivan et al, 2016) also Mahrt 2014

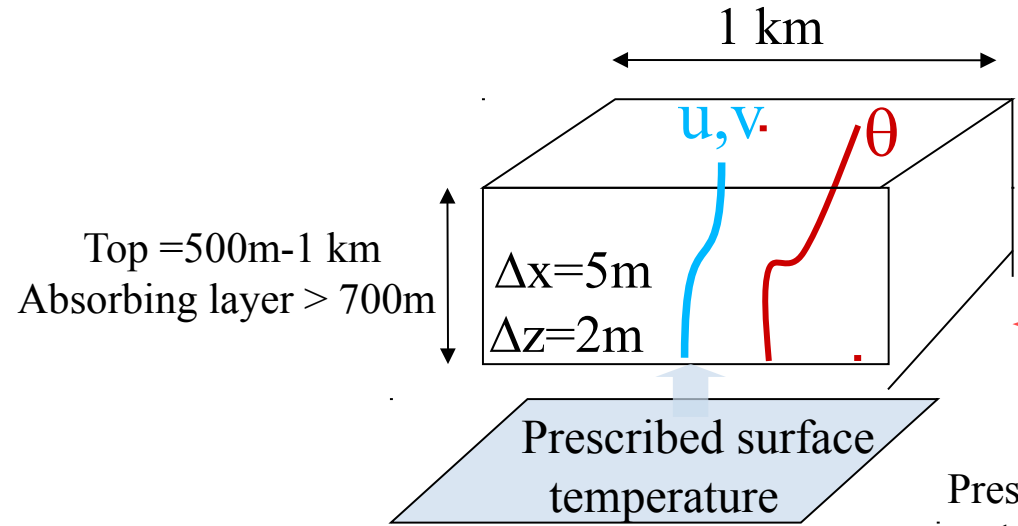
No LES intercomparison at very stable conditions

GABLS4 case: challenging for LES because entire diurnal cycle but at the same time relatively strong stable conditions (10 K in the 1st 20m)

- At such high stability, we tackle the limit of validity of the LES => **what is the variability among LES at such stability?**
- **What is the necessary resolution** to resolve the main processes in such stable case?
 - How the results **depend on turbulence scheme and surface parameterizations?**

I. Models and Experiments

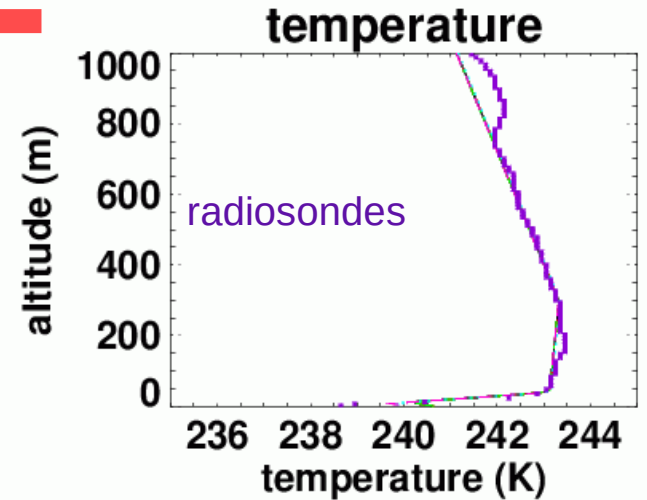
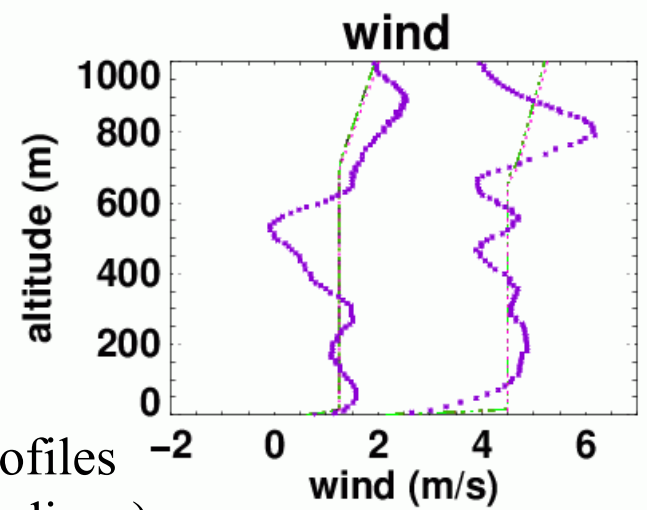
Stage 3 : a simplified set-up



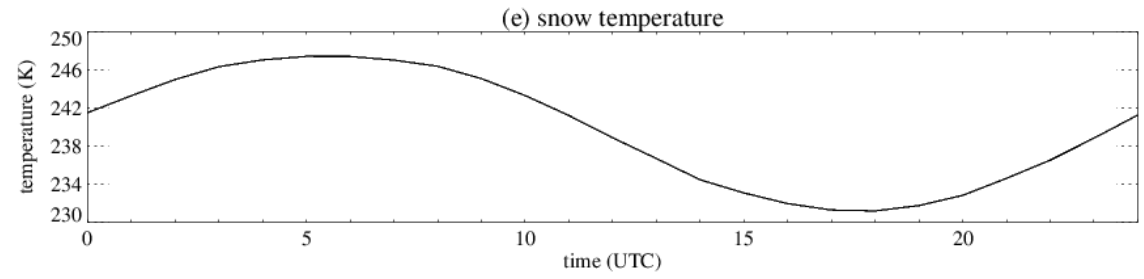
Initial profiles
(from soundings)



Prescribed z_0
 $z_{0m}=10^{-2}/z_{0h}=10^{-3}$
 $z_{0m}=10^{-3}/z_{0h}=10^{-4}$

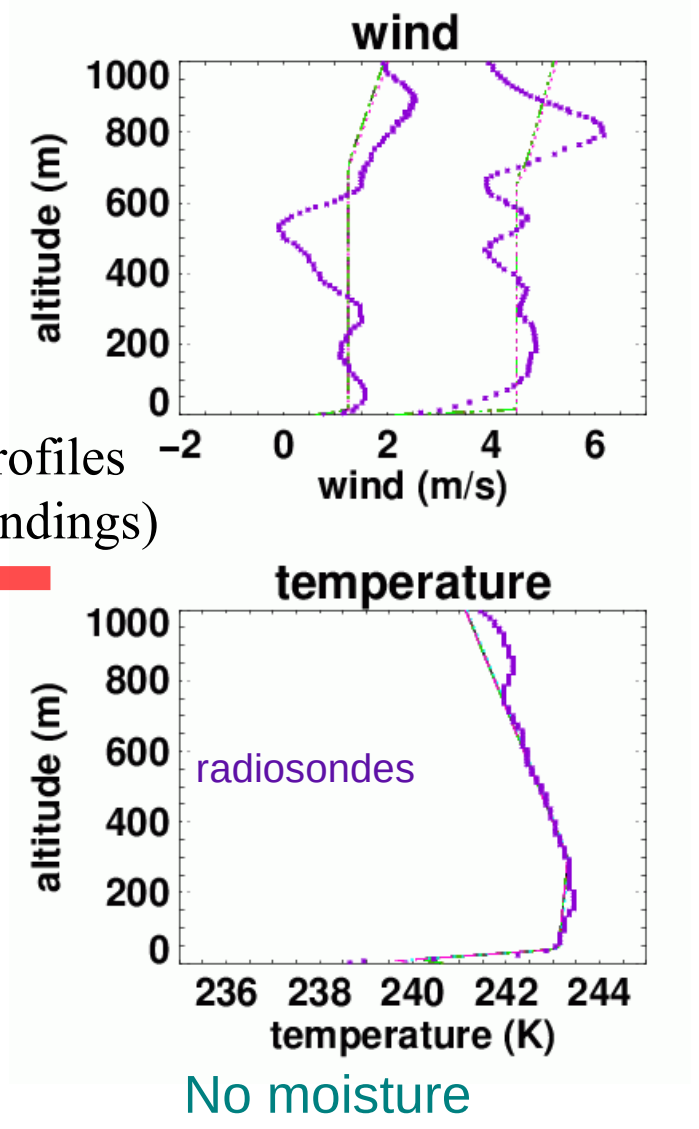
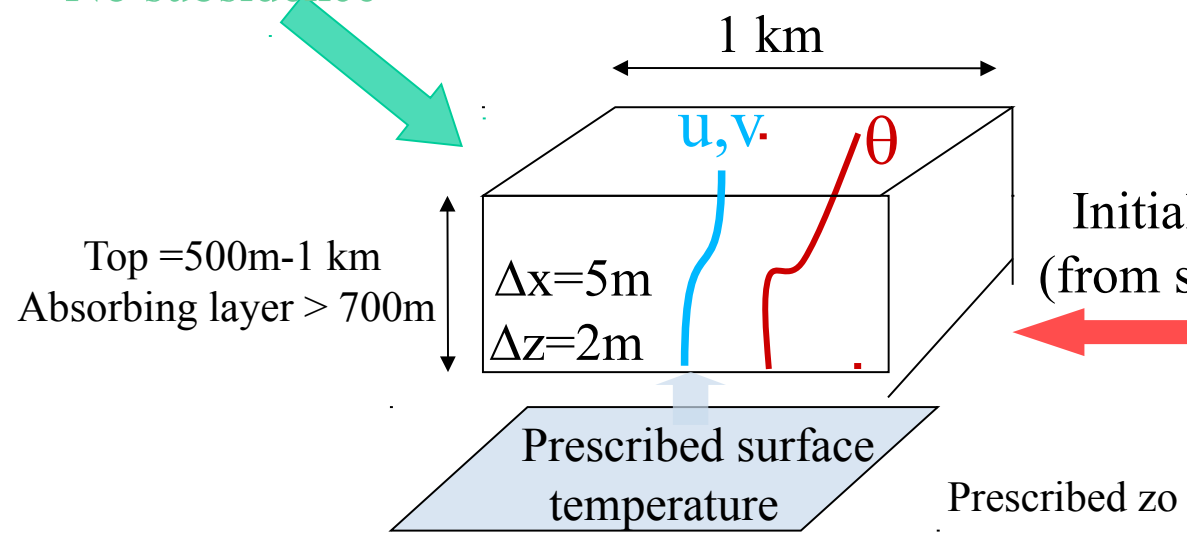


No moisture ($q_v < 3 \cdot 10^{-4} \text{ kg/kg}$)



Stage 3 : a simplified set-up

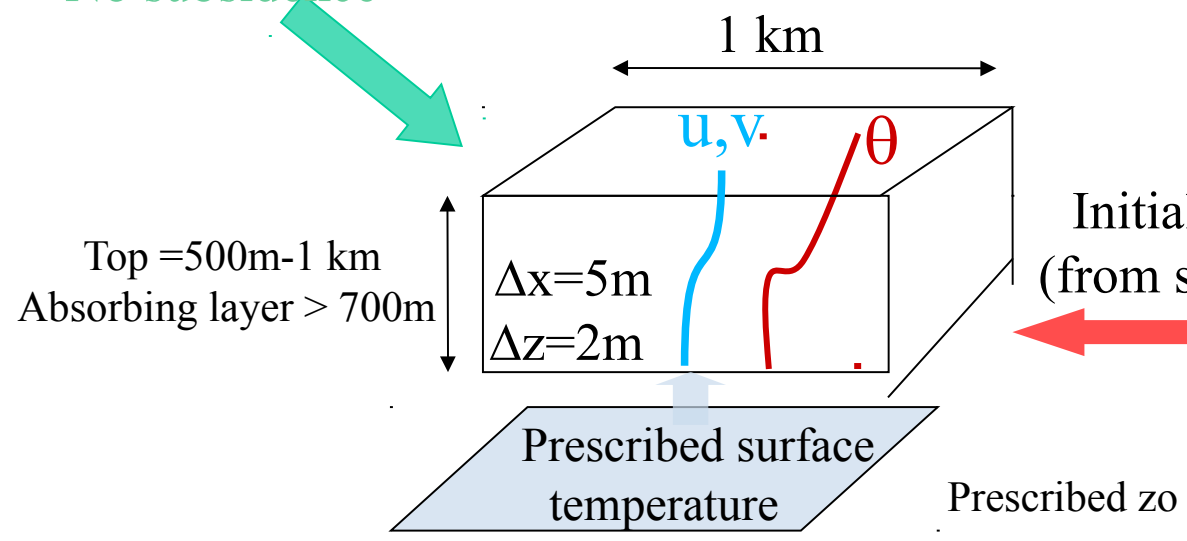
LS forcing :
No T & q advection
Cst geostrophic wind
No subsidence



Stage 3 : a simplified set-up

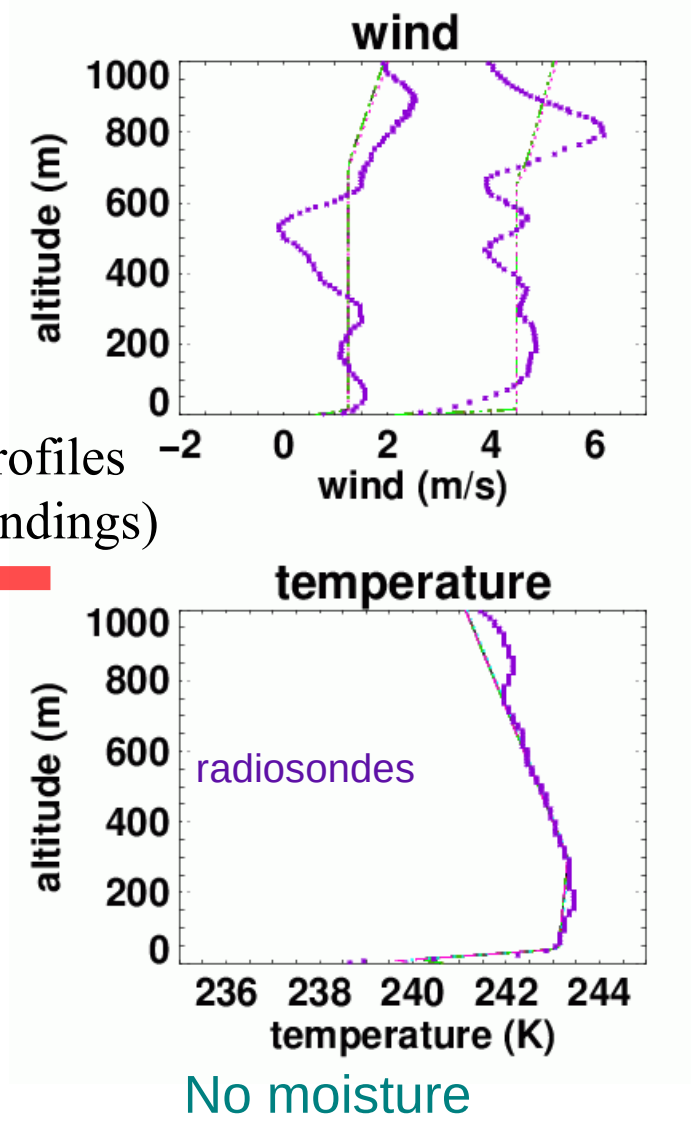
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Parametrizations:
 - turbulence scheme
 - surface flux formulation
 - **NO radiative scheme**



Top = 500m-1 km
 Absorbing layer > 700m

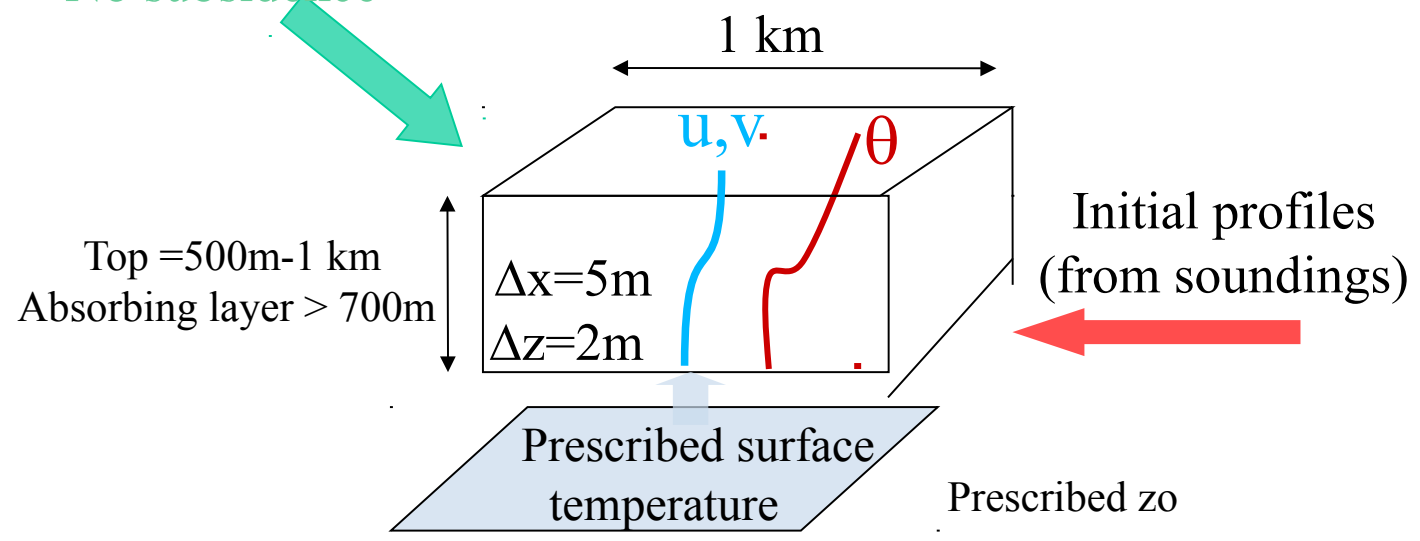
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Stage 3 : a simplified set-up

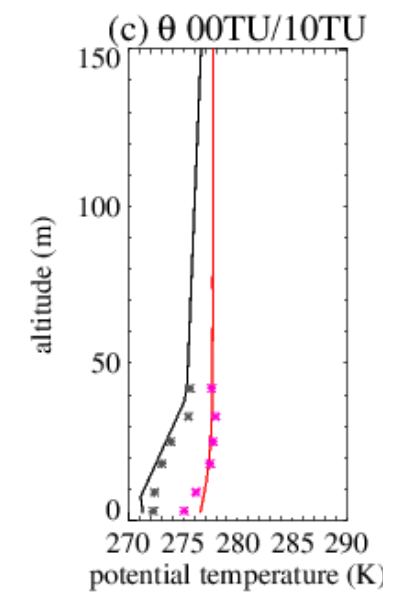
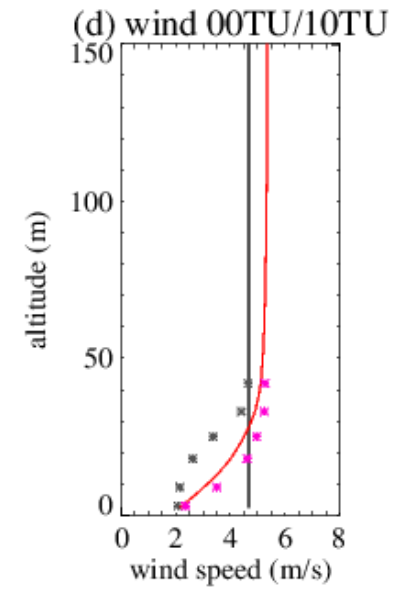
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Parametrizations:
 - turbulence scheme
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 - **NO radiative scheme**



From 00 UTC, 24h; $\Delta x=5m$,
 $\Delta z=2m$, $Lx=1km$

From 10UTC (LES mean), 10h;
 $\Delta x=1m$, $\Delta z=1m$, $Lx=500m$, $Lz=150m$



Stage 3 : 10 LES models

LES	Subgrid turbulence scheme	Surface scheme	Advection scheme	Temporal scheme
MesoNH (Lac et al. 2018)	1.5 order scheme after Deardorff (1980)	Monin-Obukhov similarity theory, fluxes computed iteratively (Noilhan and Planton 1989)	Scalars: monotonic Piecewise Parabolic Method Momentum: 4th order centered	3rd order Runge Kutta
PALM (Maronga et al. 2015)	1.5 order scheme after Deardorff (1980)	Monin-Obukhov similarity theory (bm=bh=5)	Scalars & momentum: 5th order advection scheme (Wicker and Skamarock 2002)	3rd order Runge Kutta
Uconn (Matheou and Chung 2014)	Buoyancy adjusted stretched vortex model (Chung and Matheou 2014) – sensitivity test to a Smagorinsky type	Monin-Obukhov similarity theory	Scalars and momentum: sixth-order fully conservative scheme	3rd order Runge Kutta
MicroHH (van Heerwaarden et al. 2017)	Smagorinsky-Lilly stability Fixed Prandtl number (1/3) wall-damping near the surface	Monin-Obukhov similarity theory with stability functions from Wilson (2001) for unstable and Hogstrom (1988) for stable conditions	Scalars and momentum: 2nd order with 4th order interpolations	3rd order Runge Kutta
CLMM (Fuka and Brechler 2011)	Sigma sgs model with an experimental stability correction	Monin-Obukhov similarity theory applied locally, fluxes computed iteratively	Scalars: k=1/3 scheme momentum: 2nd order symmetric centered differences	3rd order Runge Kutta
NCSU (Basu and Porte-Agel 2006)	Locally-averaged scale-dependent dynamic model (LASDD)	Monin-Obukhov similarity theory	pseudo-spectral (spectral in horizontal ; 2nd-order finite difference in vertical)	2nd order Adams-Bashforth
SAM-IPHOC (Khairoutdinov and Randall 2003)	IPHOC (intermediately prognostic higher-order turbulence closure): progn eq° for 2nd & 3rd moments + Joint double gaussian pdf for thl, rt,w	Monin-Obukhov similarity theory	Scalars and momentum: 5th order ULTIMATE-MACHO for non-uniform vertical grid	3rd order Adams-Bashforth
DALES (Heus et al. 2010)	1.5 order scheme after Deardorff (1980)	Monin-Obukhov similarity theory	Scalars and momentum: 5th order or 6th order	3rd order Runge Kutta
UKMO-LES (Edwards et al. 2014)	Smagorinsky subgrid scheme (neutral mixing length 1.15m)	Monin-Obukhov similarity theory	Flux-based conservative	Centred scheme
CSIRO-LES (Bou-Zeid et al. 2005)	scale-dependent lagrangian dynamic model (Huang and Bou-Zeid 2013)	Monin-Obukhov similarity theory (bm=4.8 ; bh=4.7)	pseudo-spectral (cf NCSU)	2nd-order Adams-Bashforth

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Please check the information for your model

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4 Please provide for each model when possible the value of the coeff in MOST

$$\frac{\partial u}{\partial z} = \frac{\partial v}{\partial z} = \frac{u_*}{\kappa z} \left(1 + \beta_m \frac{z}{L} \right),$$

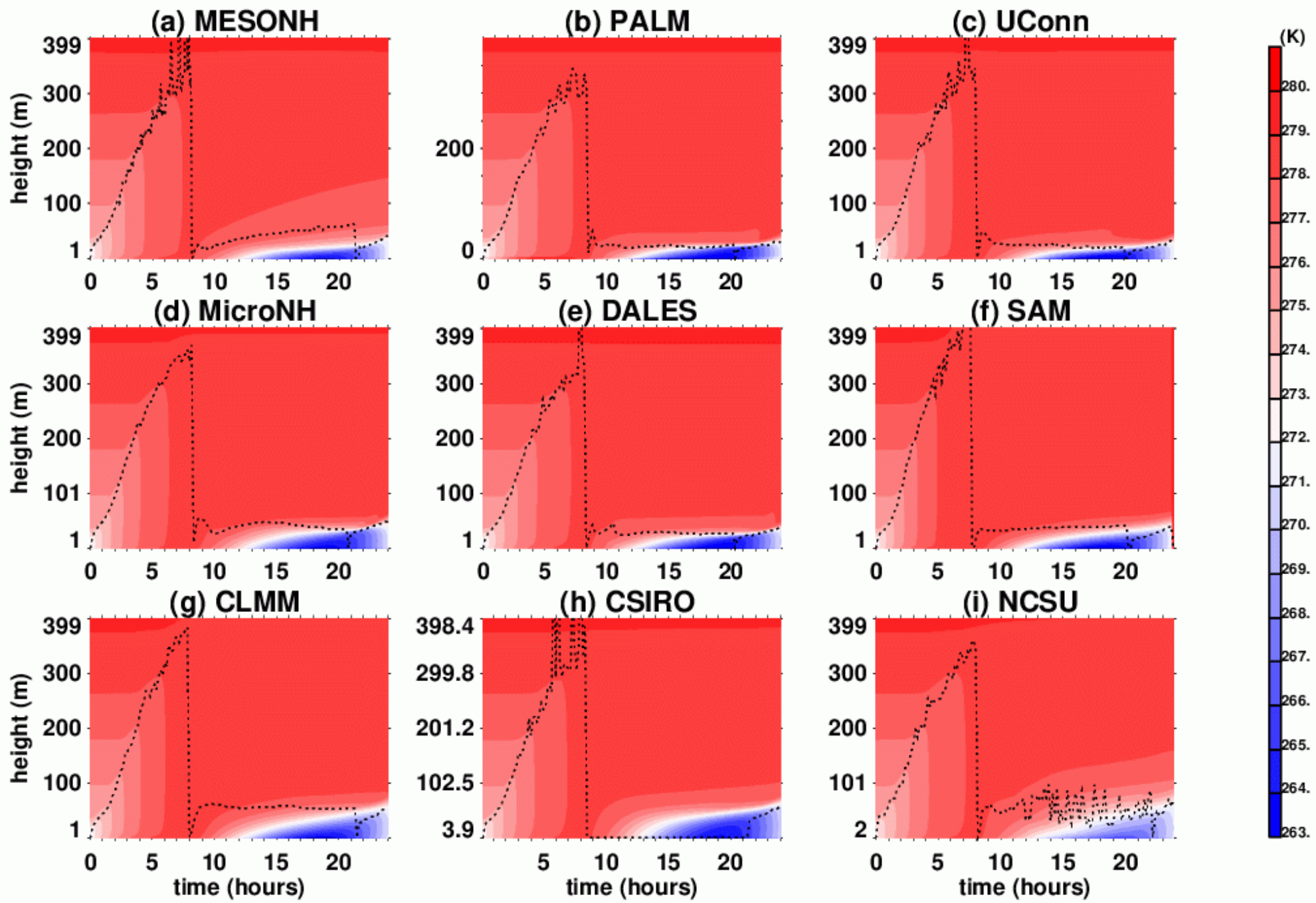
$$\frac{\partial \theta}{\partial z} = \frac{\theta_*}{\kappa z} \left(1 + \beta_h \frac{z}{L} \right),$$

Stage 3 : List of experiments for each model

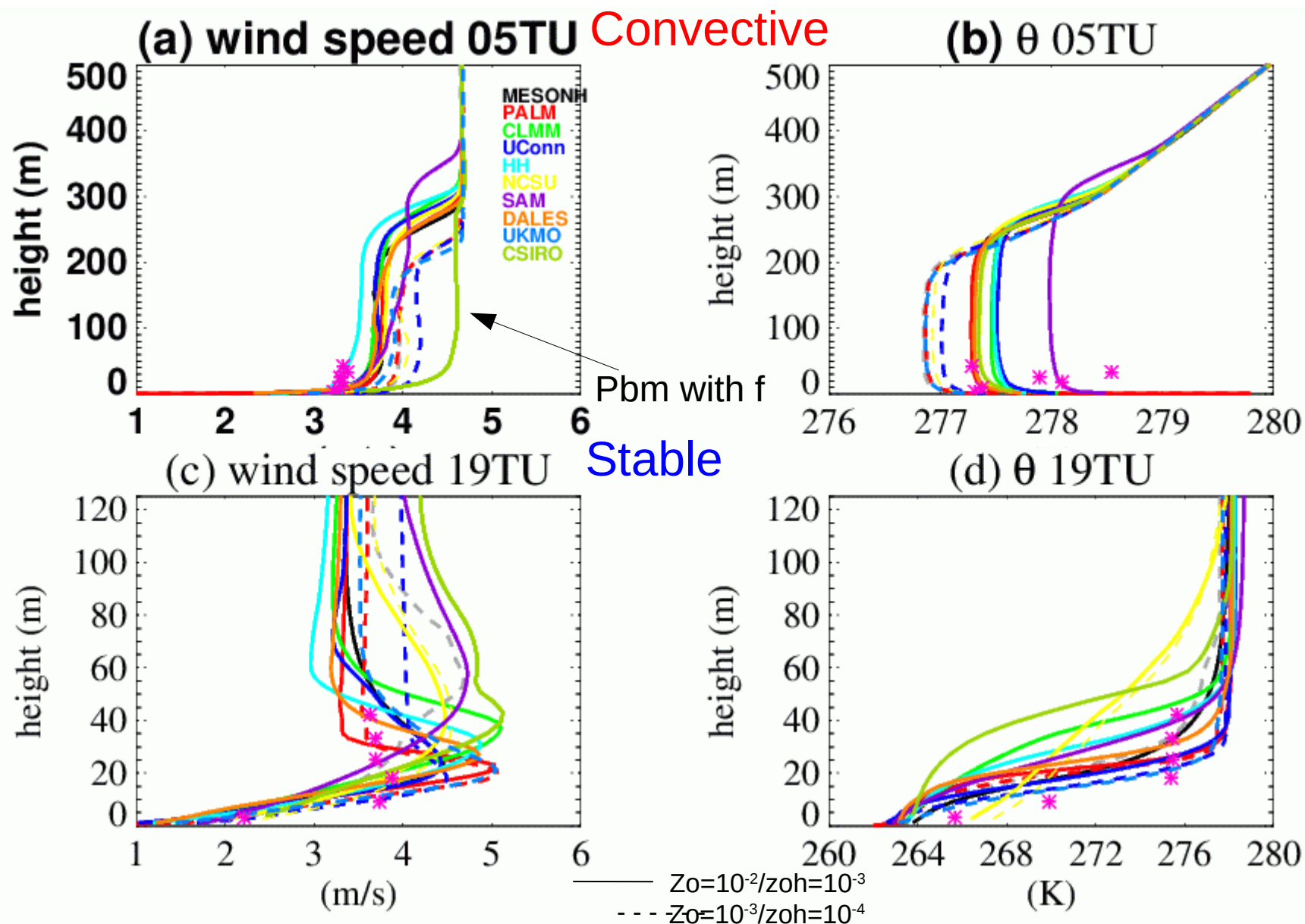
Model	Experiment	Horizontal resolution	Vertical resolution	Top of the domain	Domain size	Momentum roughness length (m)	Heat Roughness length (m)
MesoNH	M1E1	5m	2m :stretched z>400m	Sponge : z> 700m K=10 ⁻³	1x1x1 km ³	10 ⁻²	10 ⁻³
	M1E2	5m	2m :stretched z>400m	Sponge : z> 700m K=10 ⁻³	1x1x1 km ³	10 ⁻³	10 ⁻⁴
	M1E3	1m	1m	Sponge : z> 130m K=10 ⁻³	500x500x150 m ³	10 ⁻³	10 ⁻⁴
	M1E3R105	1m	0.5m	No damping	250x250x75 m ³	10 ⁻³	10 ⁻³
	M1E3R05	0.5m	0.5m	No damping	250x250x75 m ³	10 ⁻³	10 ⁻³
	M1E3R025	0.25m	0.25m	No damping	250x250x75 m ³	10 ⁻³	10 ⁻³
	PALM	M2E1	5m	2m	Sponge : z> 700m K??	1x1x1km ³	10 ⁻²
M2E2		5m	2m	Sponge : z> 700m K??	1x1x1km ³	10 ⁻³	10 ⁻⁴
M2E2D2		5m	2m	Sponge : z> 700m K??	2.5x2.5x1km ³	10 ⁻³	10 ⁻⁴
M2E2R2		2m	2m	Sponge : z> 700m K??	1x1x1km ³	10 ⁻³	10 ⁻⁴
M2E2R105		1m	0.5m	Sponge : z> 700m K??	1x1x1km ³	10 ⁻³	10 ⁻⁴
M2E3 (MOST/sf)		1m	1m	Sponge : z> 120m	500x500x150 m ³	10 ⁻³	10 ⁻⁴
UConn		M3E1	5m	2m	Sponge : z> 700m t=600s	1x1x1km ³	10 ⁻²
	M3E2	5m	2m	Sponge : z> 700m t=600s	1x1x1km ³	10 ⁻³	10 ⁻⁴
	M3E2R22 (Sm/Vo)	2m	2m	Sponge : z> 700m t=600s	1x1x1km ³	10 ⁻³	10 ⁻⁴
	M3E2R11	1m	1m	Sponge : z> 700m t=600s	1x1x1km ³	10 ⁻³	10 ⁻⁴
	M3E3 (MOST/Sf)	1m	1m	Sponge : z> ??	500x500x150 m ³	10 ⁻³	10 ⁻⁴
	M3E3R05(MOST/Sf)	0.5m	0.5m	Sponge : z> ??	500x500x150 m ³	10 ⁻³	10 ⁻⁴
	M3E3R025(MOST/Sf)	0.25m	0.25m	Sponge : z> ??	500x500x150 m ³	10 ⁻³	10 ⁻⁴
MicroHH	M4E1	5m	2m	Sponge : z> 700mK??	3x3x0.5km ³	10 ⁻²	10 ⁻³
	M4E3	1m	1m	Sponge : z> ??	3x3x0.5km ³ ??	10 ⁻³	10 ⁻⁴
CLMM	M5E1	5m	2m	Sponge : z> 600m K??	1x1x1km ³	10 ⁻²	10 ⁻³
NCSU	M6E1	10m	5m	Sponge : z> 600m K??	1x1x1km ³	10 ⁻²	10 ⁻³
	M6E2			Sponge : z> 600m K??	1x1x1km ³	10 ⁻³	10 ⁻⁴
SAM-HR	M7E1	5m	2m	???	1x1x1km ³	10 ⁻²	10 ⁻³
DALES	M8E1	5m	2m	Sponge : z> 750m K=??	1.08x1.08x0.5 km ³	10 ⁻²	10 ⁻³
	M8E3	1m	1m	Sponge : z> 120m K=??	512x512x150 m ³	10 ⁻³	10 ⁻⁴
UKMO-LES	M9E2	5m	2m	No damping	1x1x1km ³	10 ⁻³	10 ⁻⁴
	M9E3	1m	1m	?? No damping ??	500x500x150 m ³	10 ⁻³	10 ⁻⁴
CSIRO-LES	M10E1	7.8m	3.9m	Sponge : z> 700m K=??	1x1x1km ³	10 ⁻²	10 ⁻³
	M10E2	7.8m	3.9m	Sponge : z> 700m K=??	1x1x1km ³	10 ⁻³	10 ⁻⁴
	M10E3	3.9m	1.17m	Sponge : z> 120m K=??	500x500x150 m ³	10 ⁻³	10 ⁻⁴

II. Results : entire diurnal cycle & focus on stable conditions

Diurnal cycle evolution (models with $z_0=10^{-2}m$)

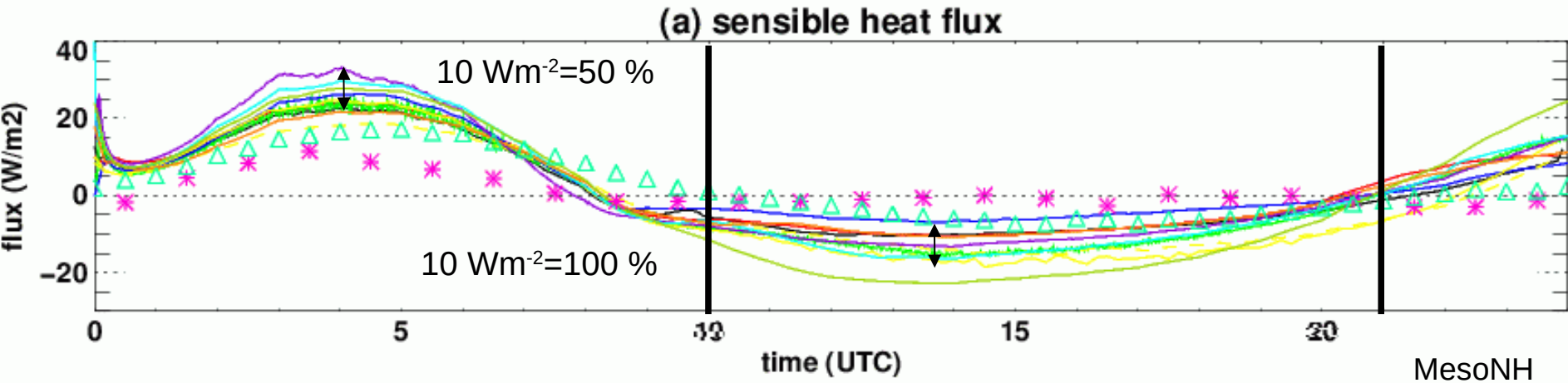


Vertical profiles : convective/stable conditions

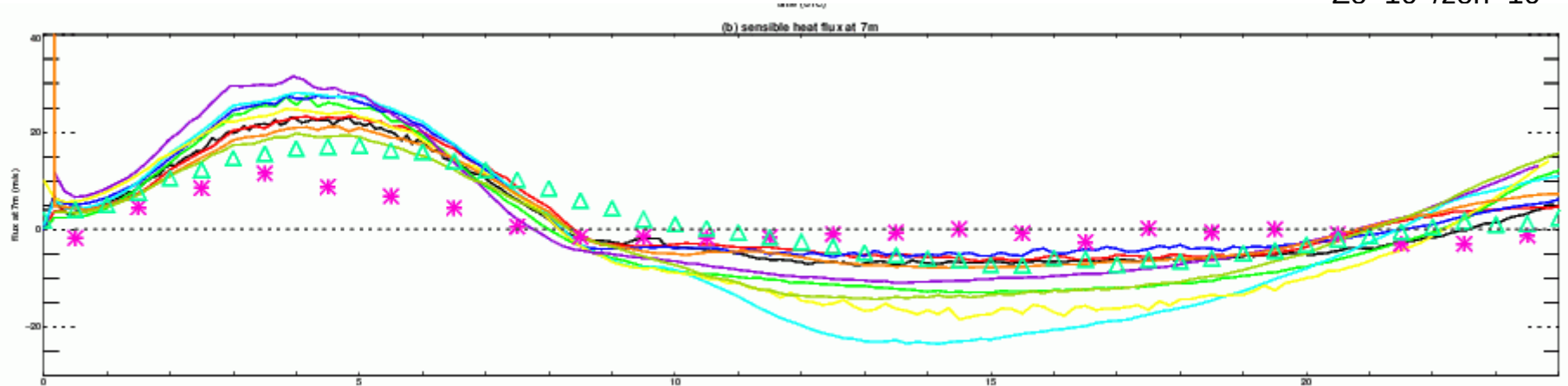


Do we want to show each individual models or just as a grey shading
The spread among the different models ?

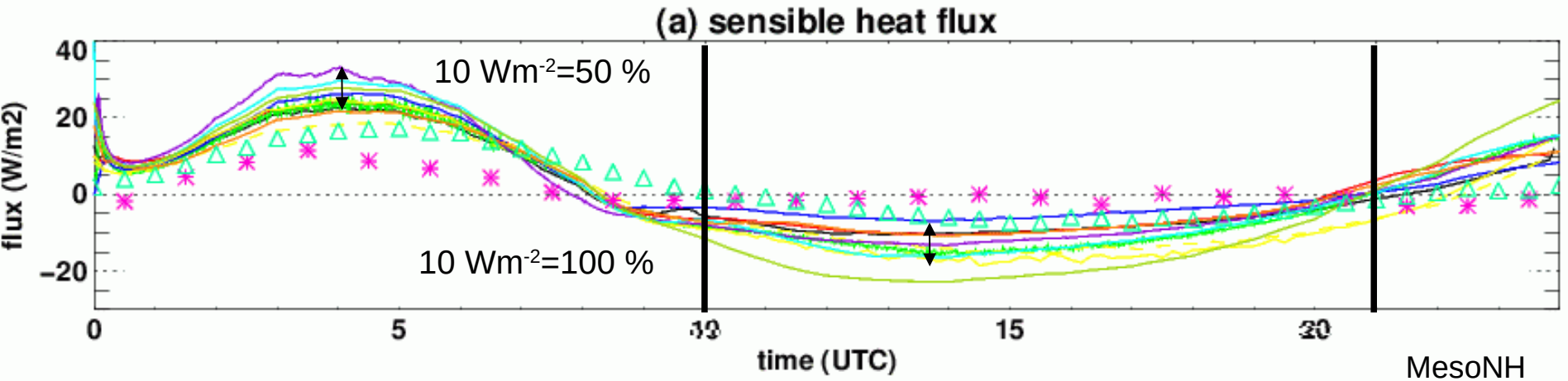
Time series :



- MesoNH
- PALM
- CLMM
- MicroHH
- UConn
- NCSU
- SAM
- DALES
- CSIRO
- Eddy-correl^o obs
- Gradient obs
- $Z_o=10^{-2}/z_{oh}=10^{-3}$



Time series :



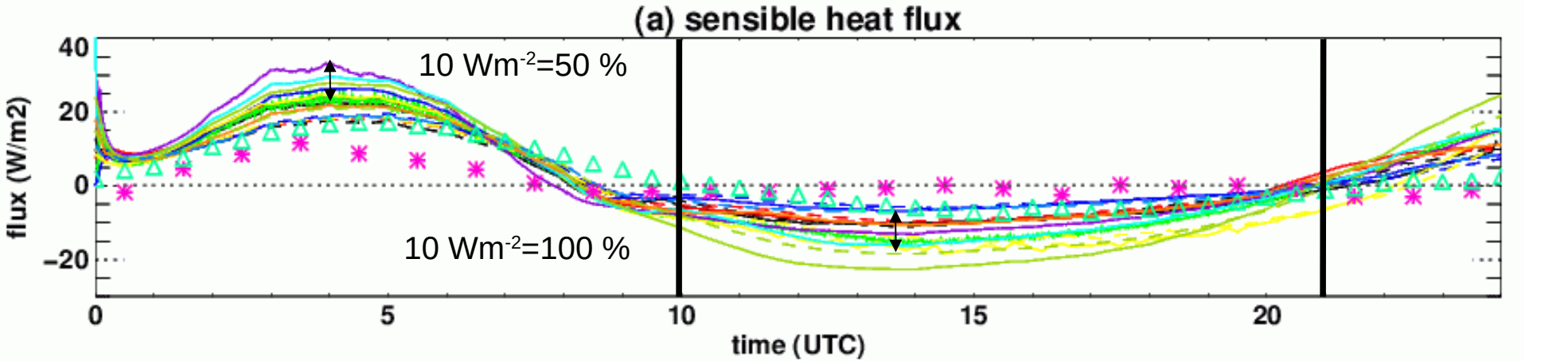
Large variability among LES at day and night time ~
 mean flux values as relatively small
 LES uncertainties ~ observation estimation uncertainties

- MesoNH
- PALM
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- Eddy-correl° obs
- Gradient obs
- Zo=10⁻²/zoh=10⁻³

Remind:

- surface temperature prescribed from observations
- because simplified setup, Dome C observations here just for a qualitative assessment

Time series :



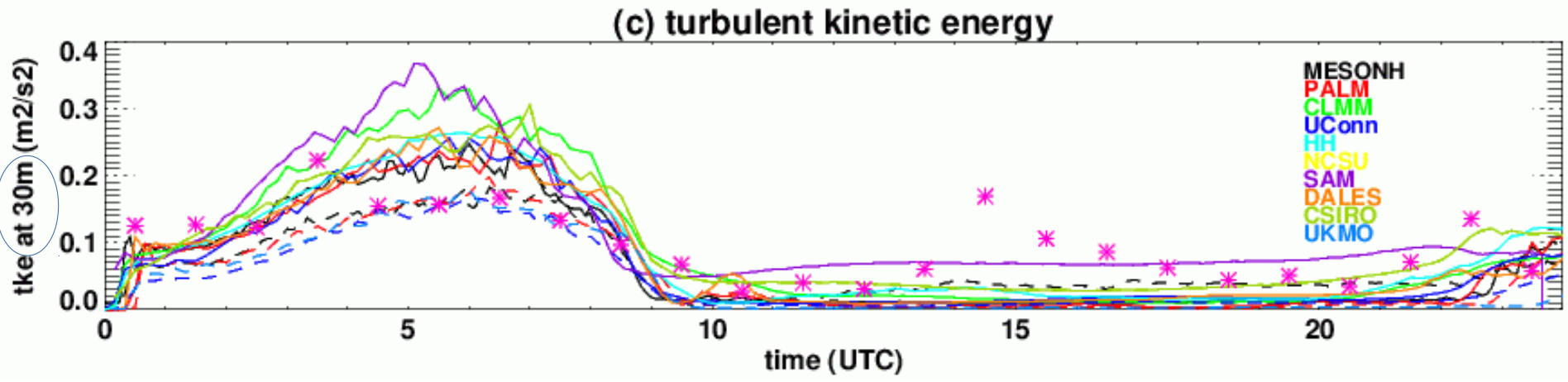
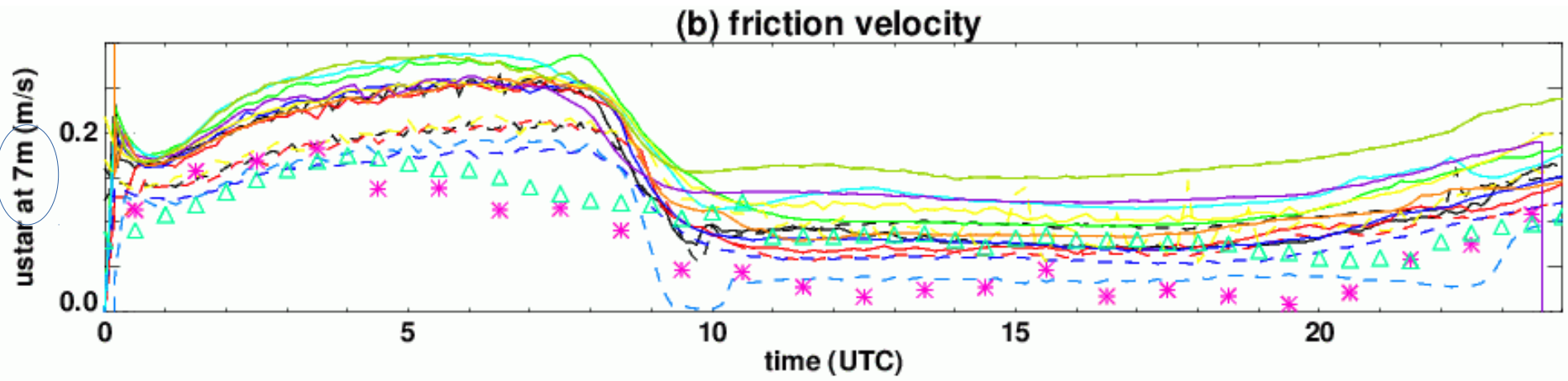
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- Zo=10⁻²/zoh=10⁻³
- Zo=10⁻³/zoh=10⁻⁴

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Time series :

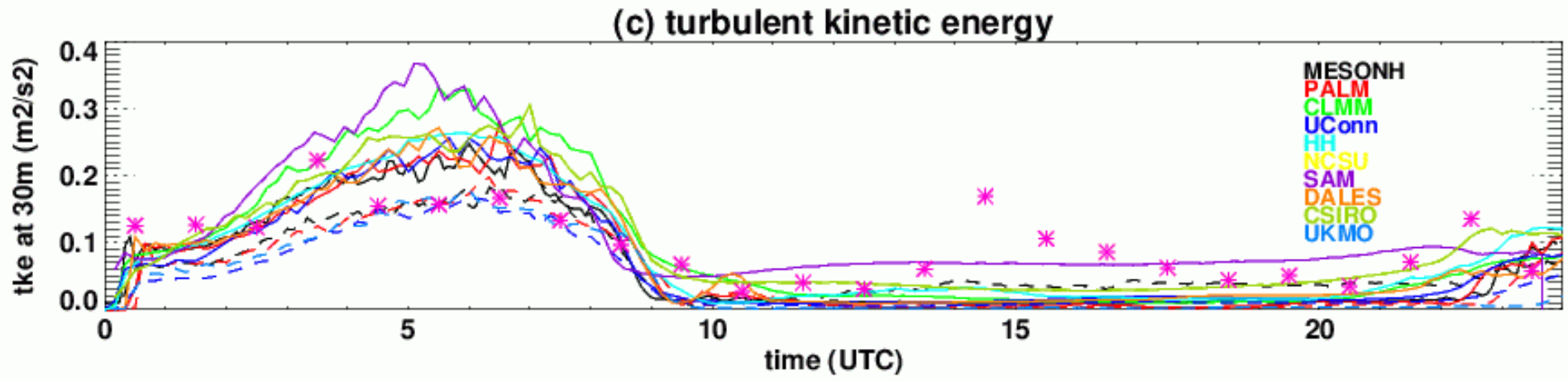
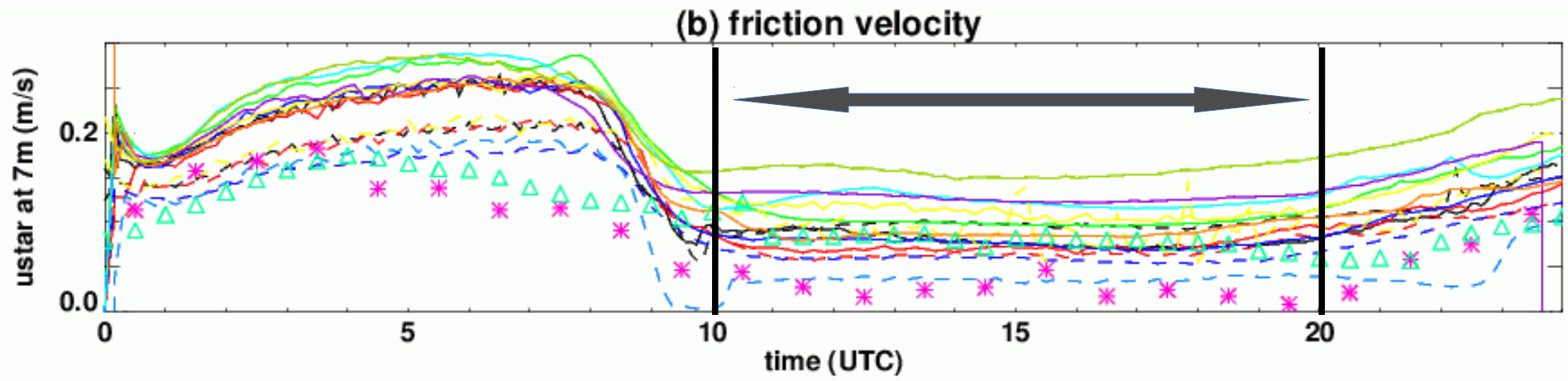


Better agreement with observations when using $z_o=10^{-3}$ m (also value expected from observations)

—— $Z_o=10^{-2}/z_{oh}=10^{-3}$
 $Z_o=10^{-3}/z_{oh}=10^{-4}$

=> concentrate on simulations with $z_o=10^{-3}$ m

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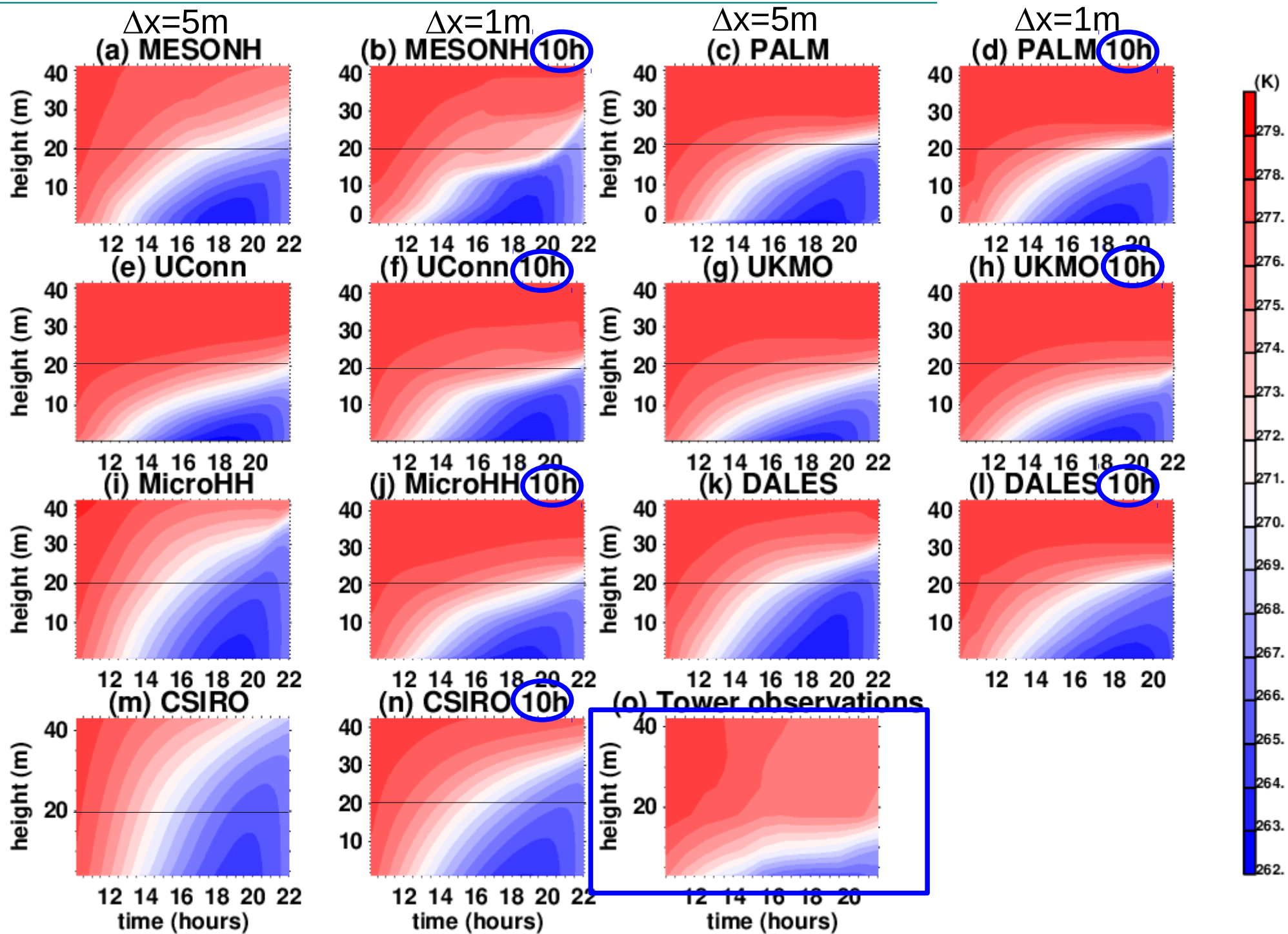


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=> concentrate on simulations with $z_o=10^{-3}$ m

Focus on stable conditions :

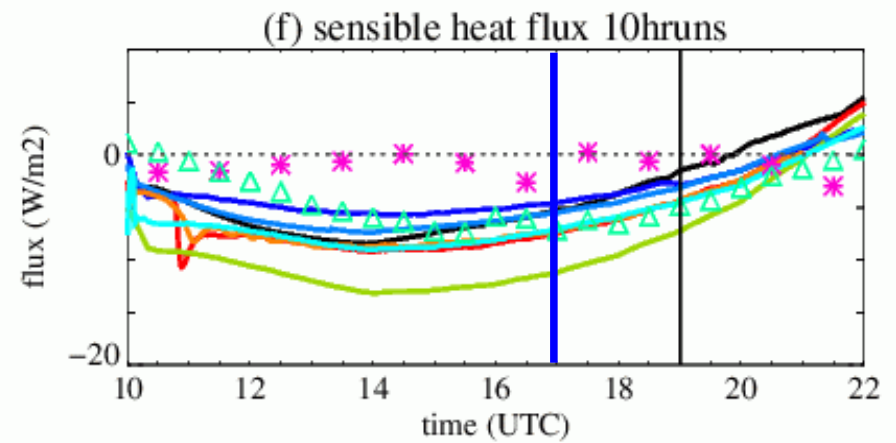
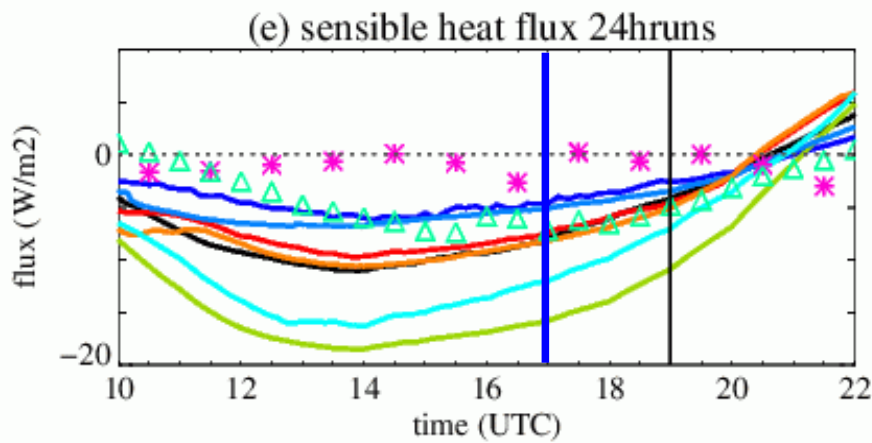
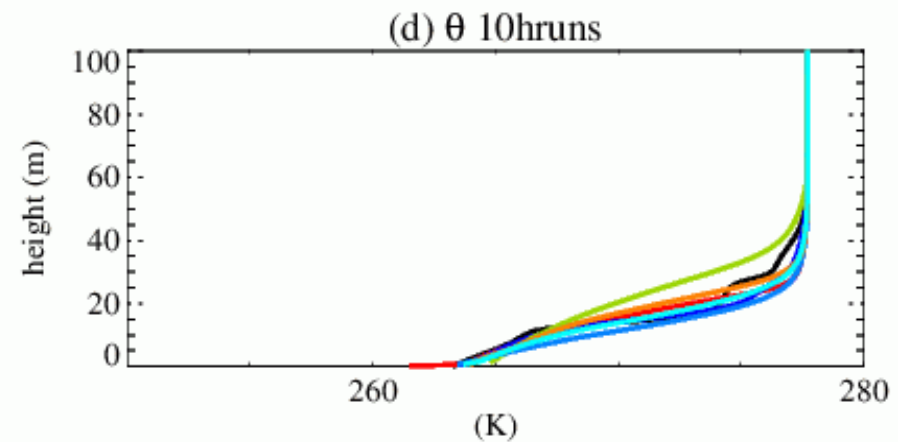
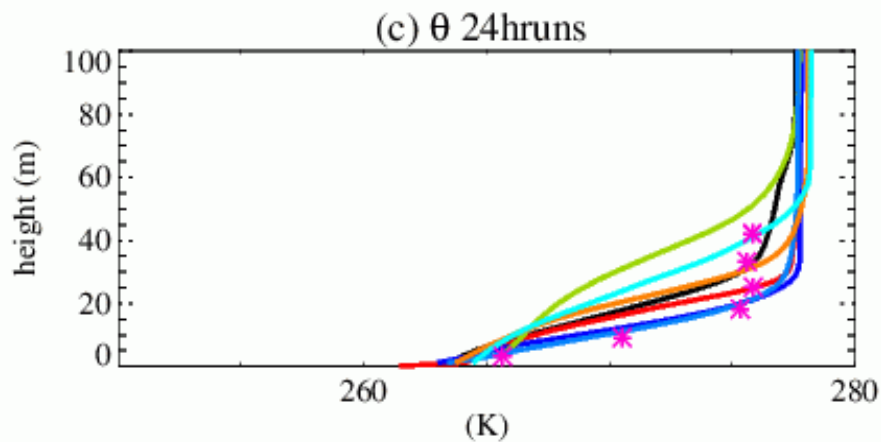
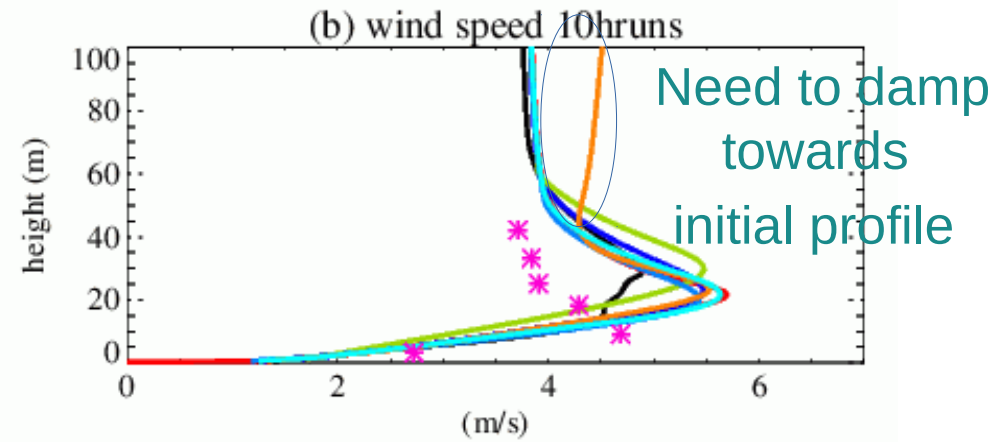
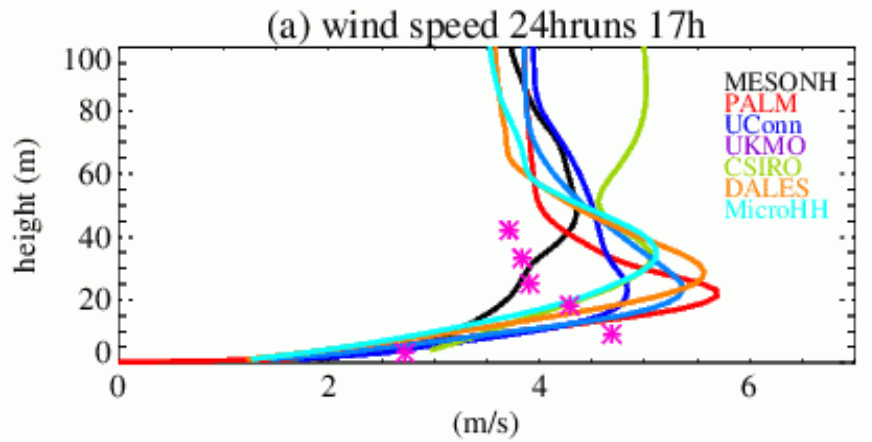


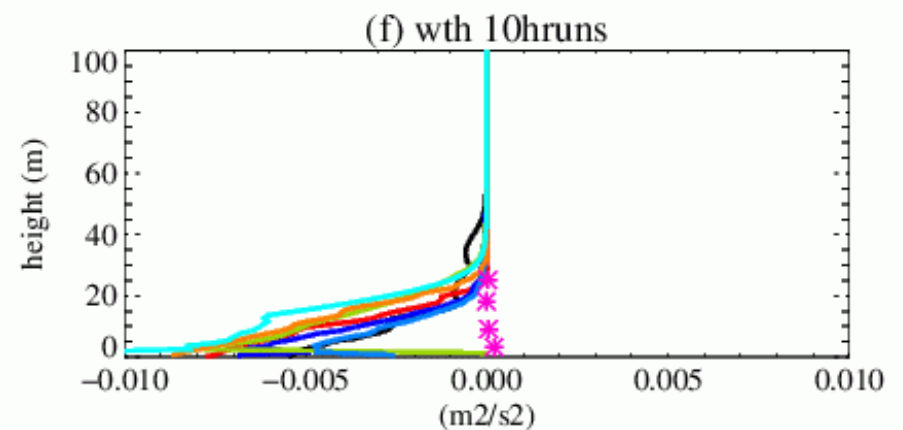
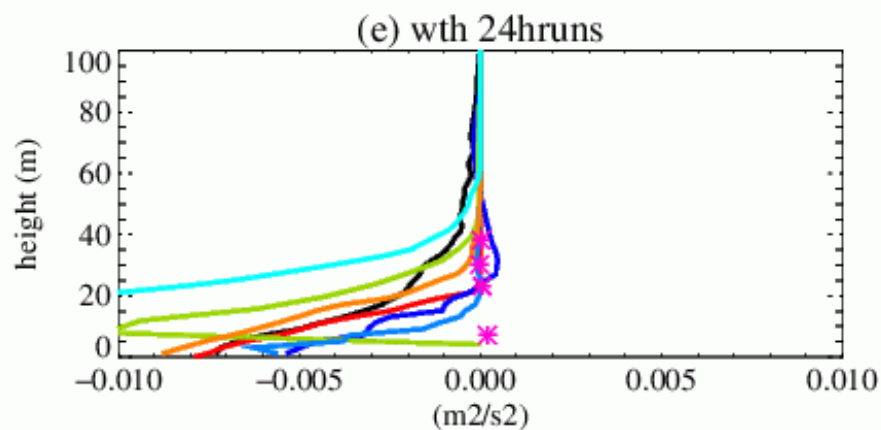
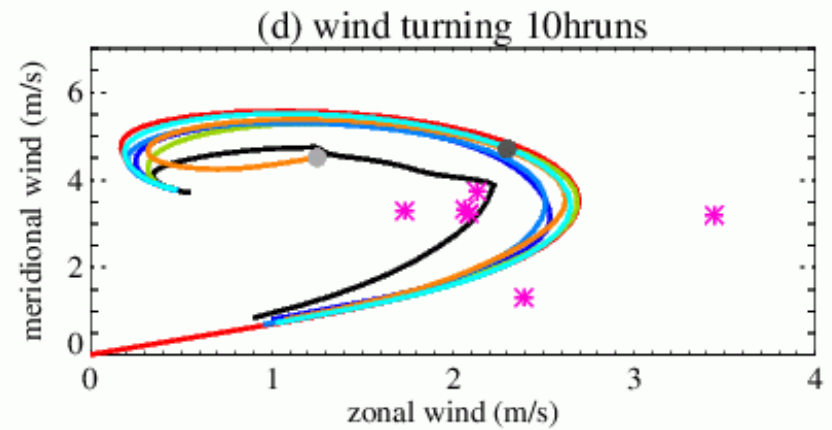
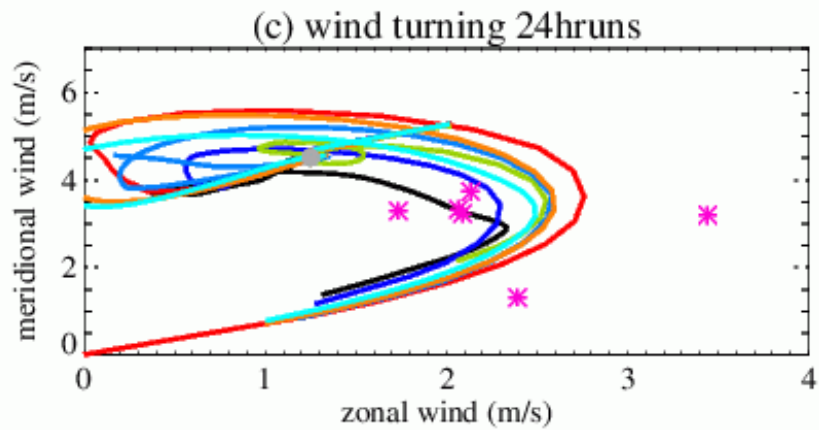
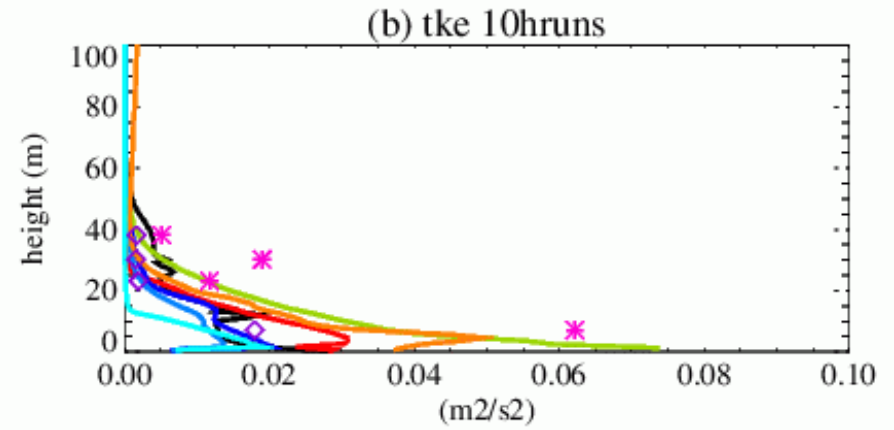
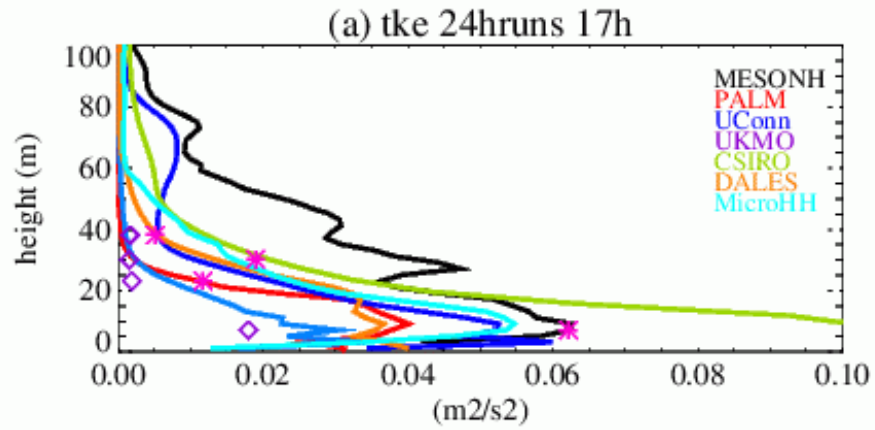
Focus on stable conditions :

At 17TU

$\Delta x=5m$

$\Delta x=1m$



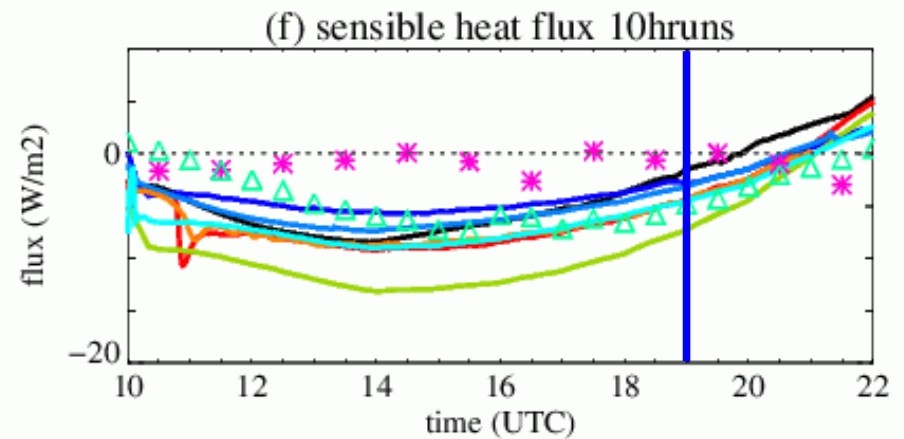
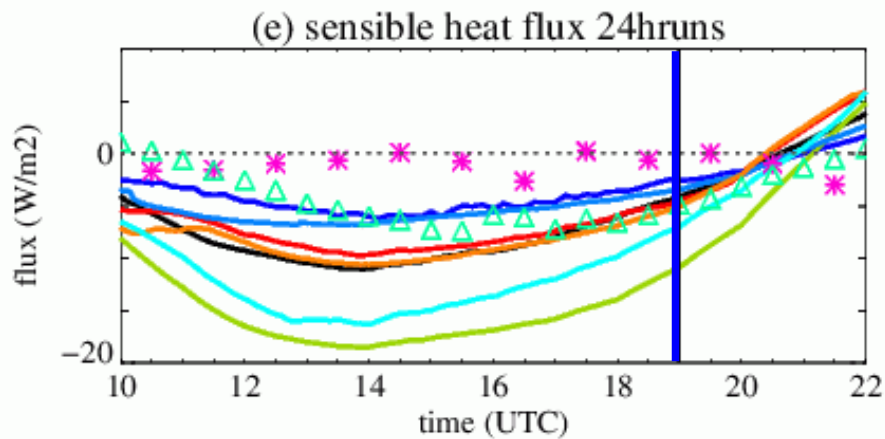
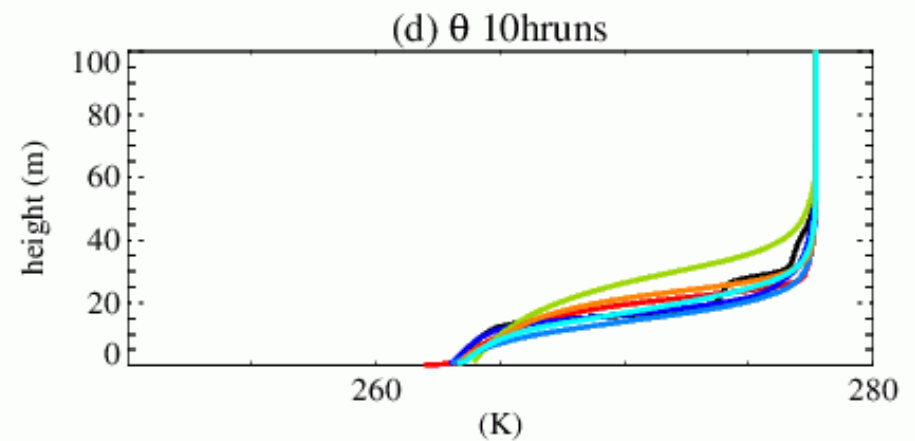
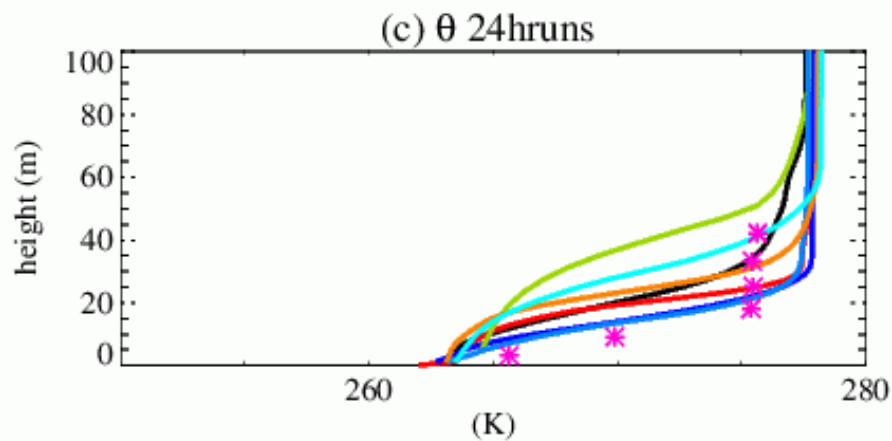
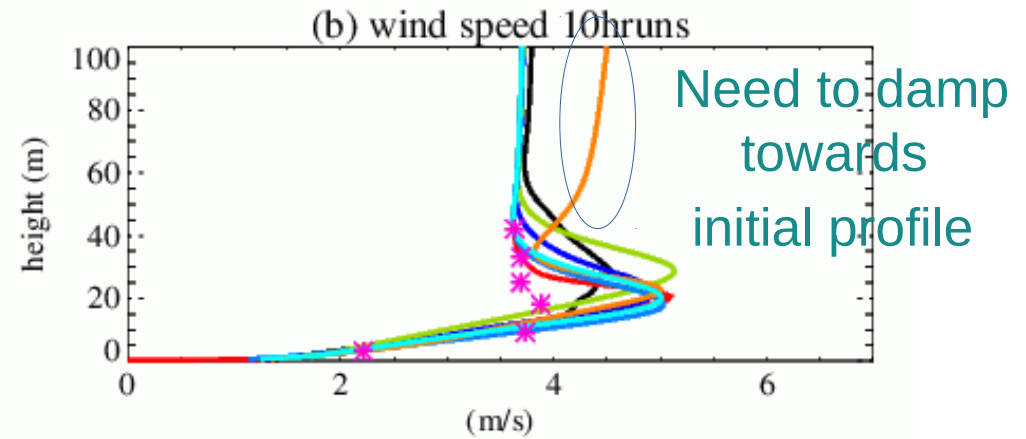
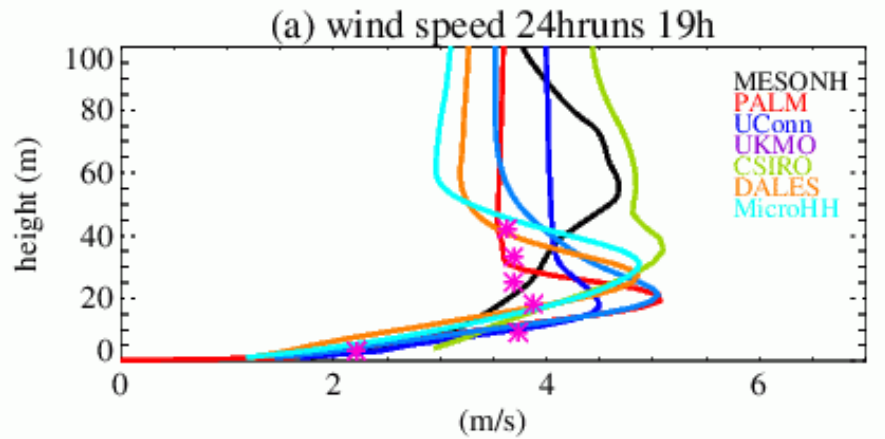


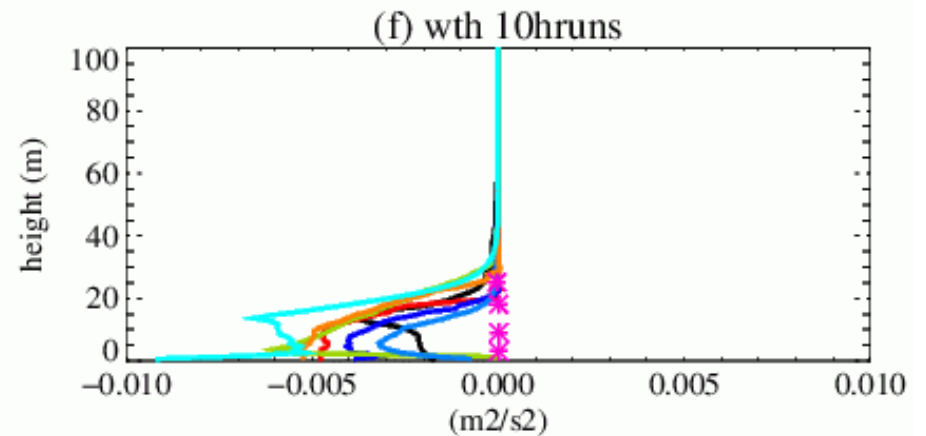
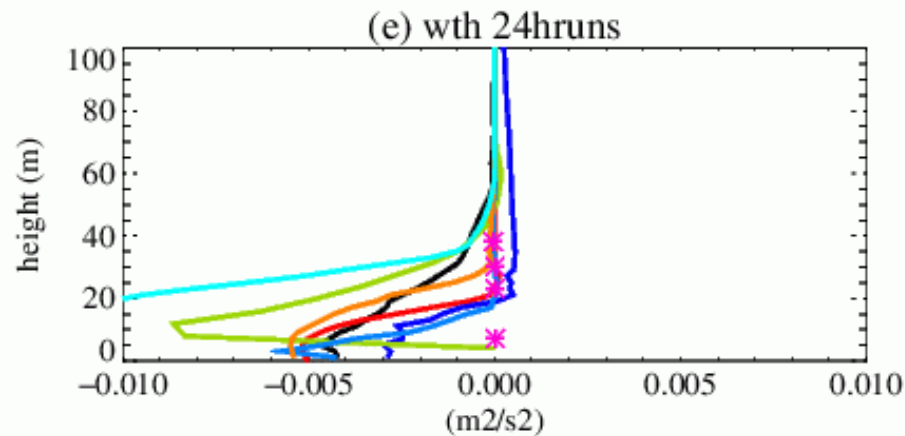
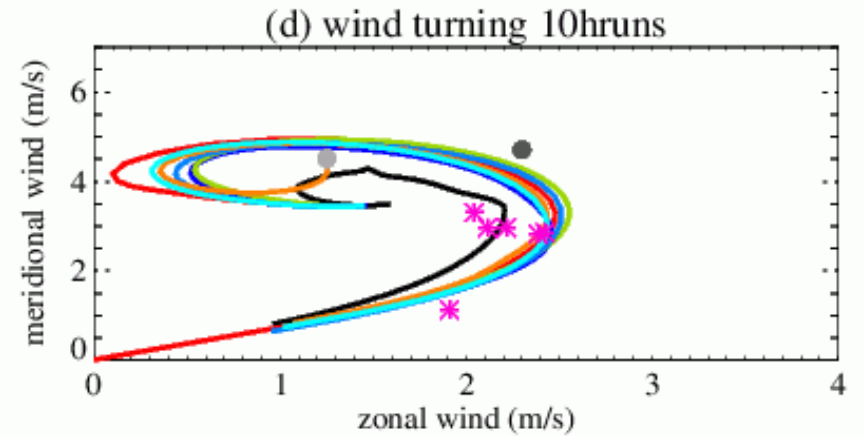
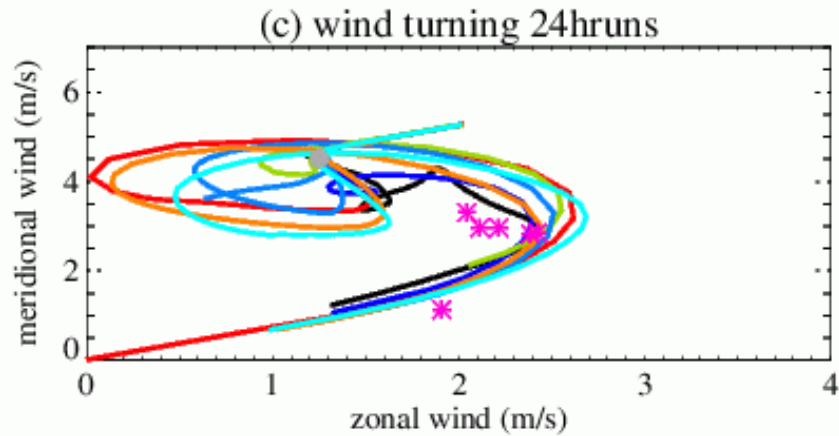
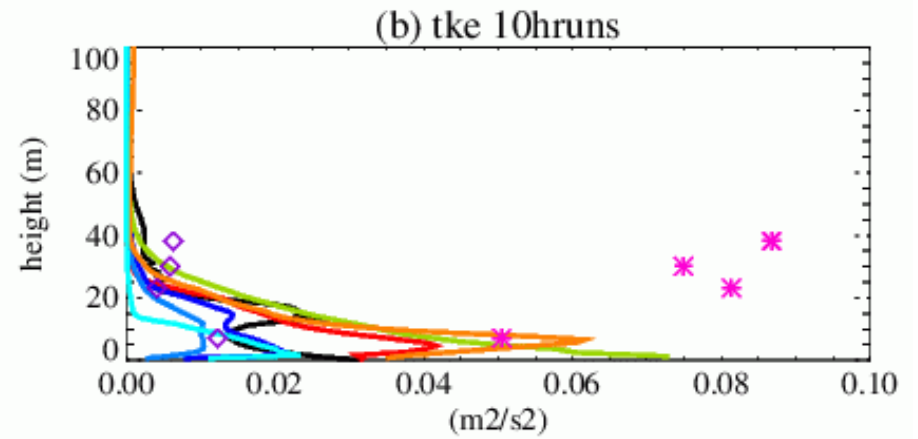
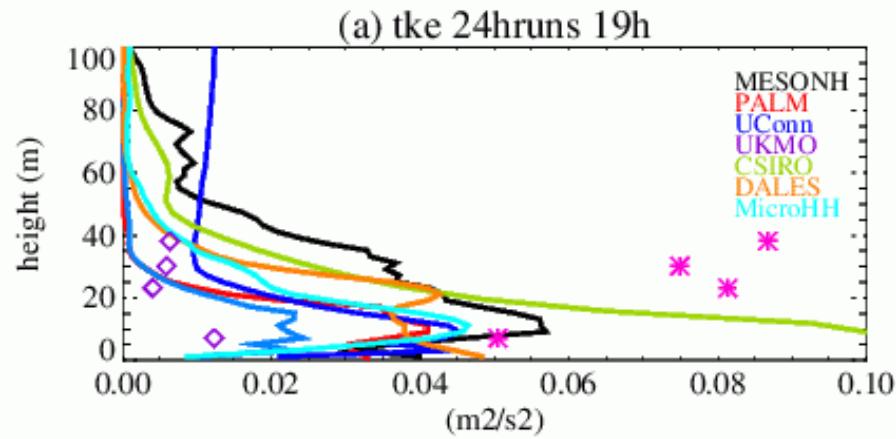
Focus on stable conditions :

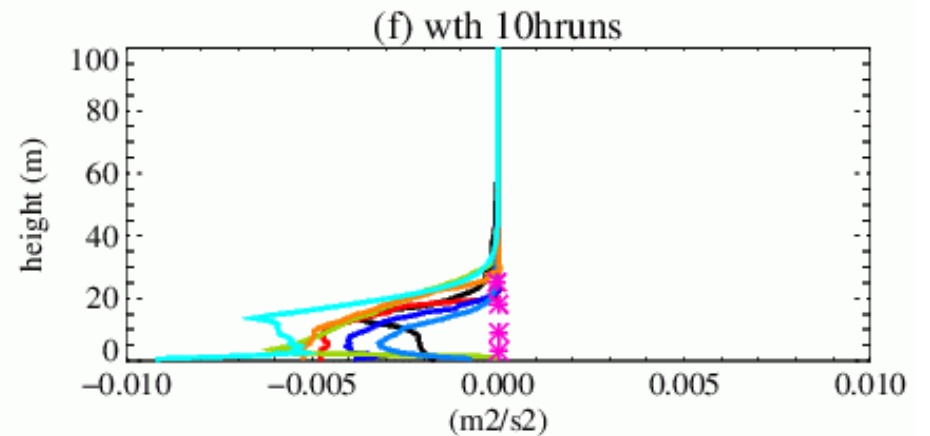
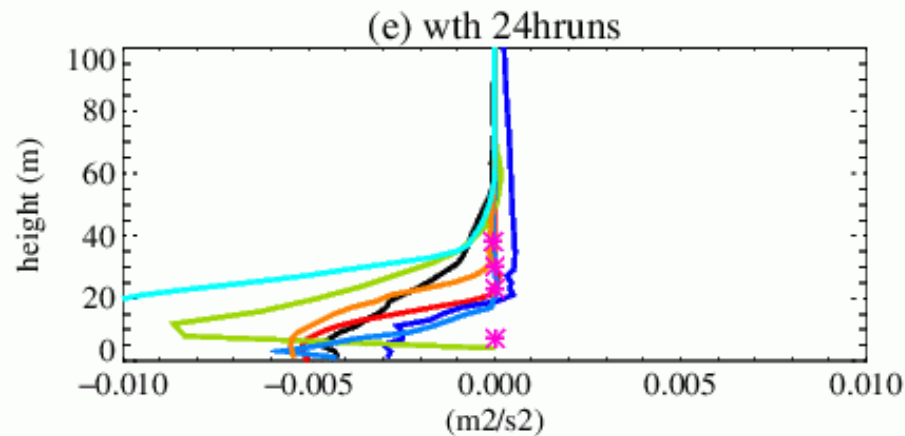
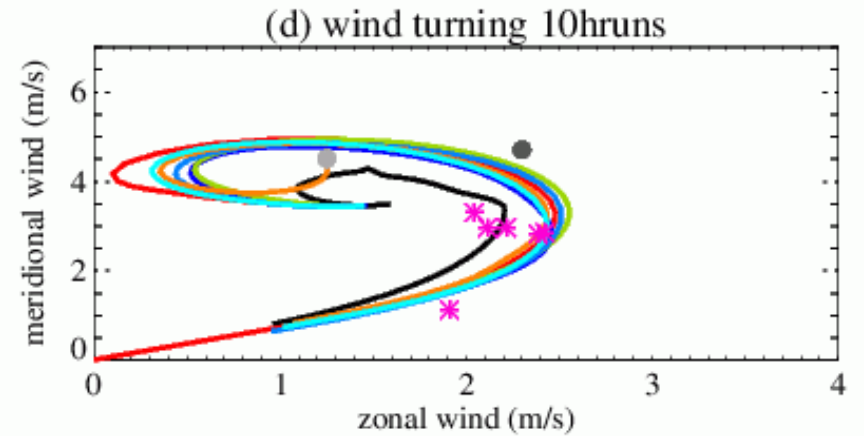
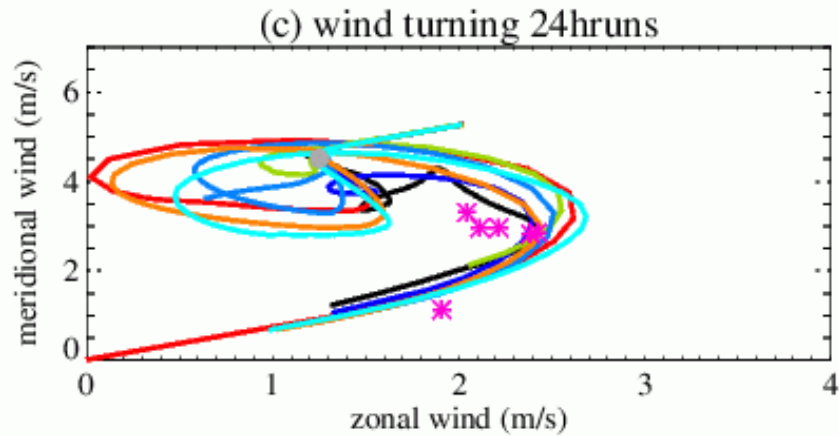
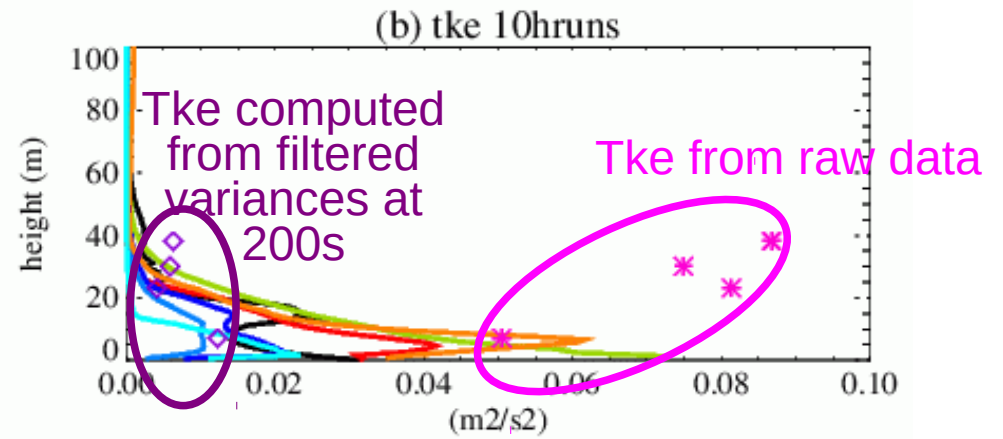
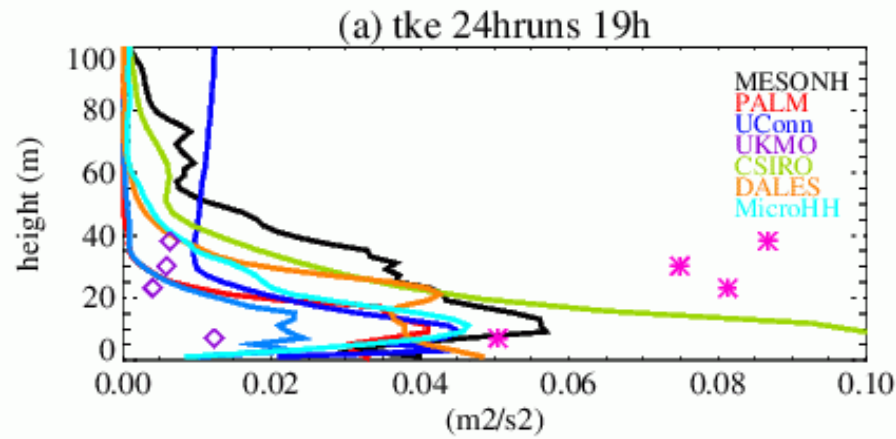
At 19TU

$\Delta x = 5m$

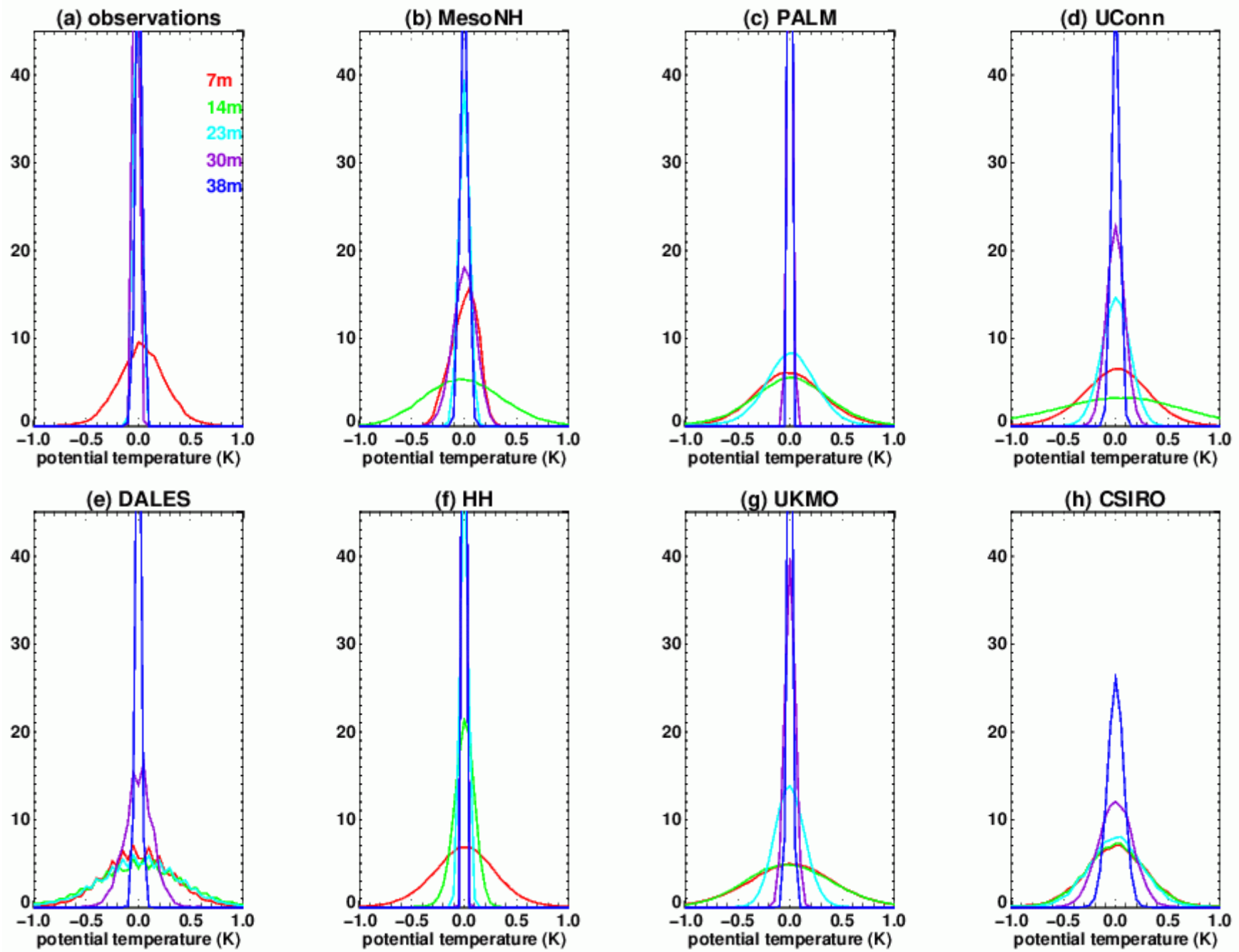
$\Delta x = 1m$



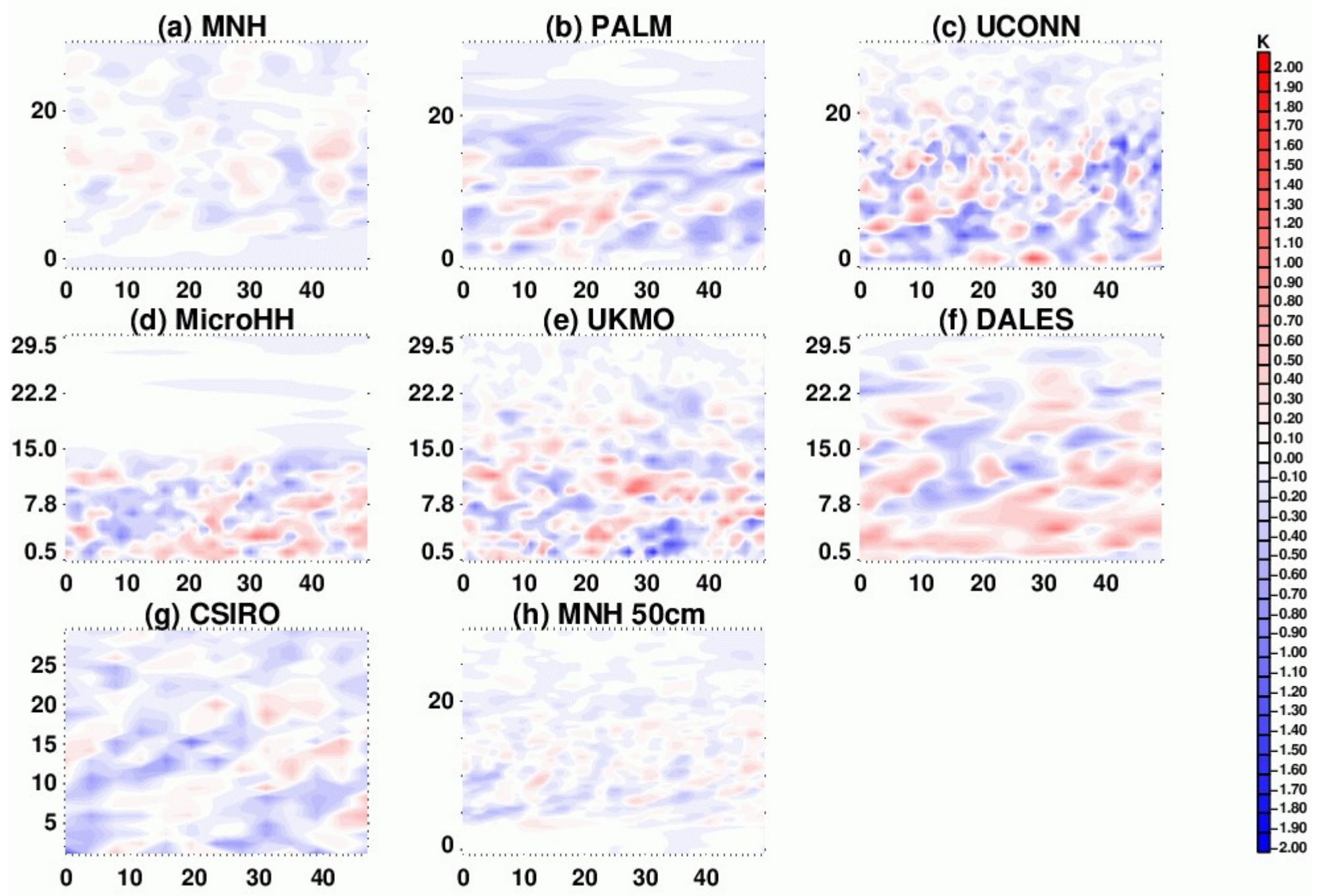




Example of distributions of potential temperature at 17h :

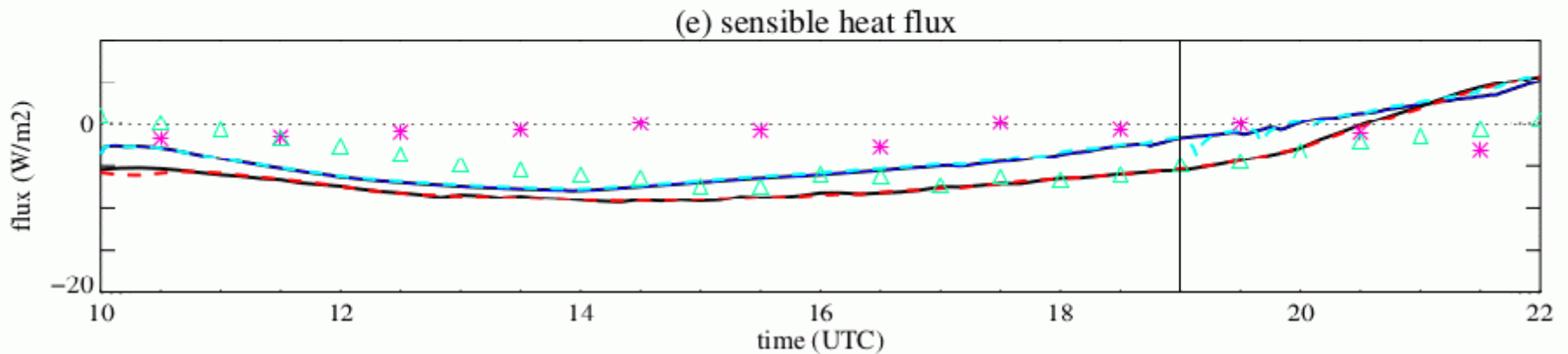
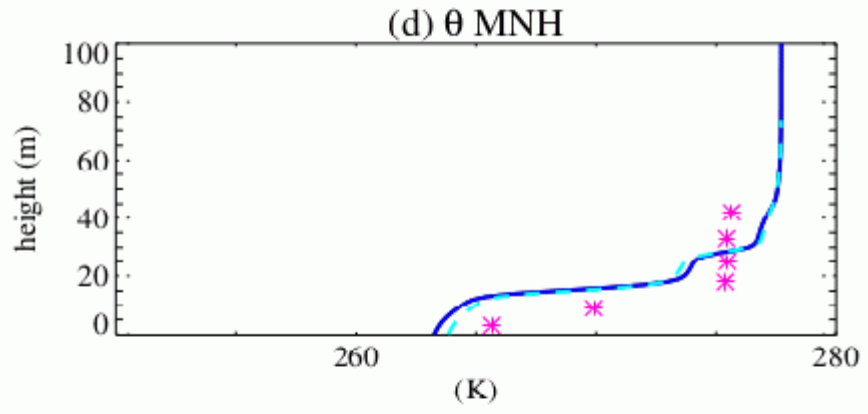
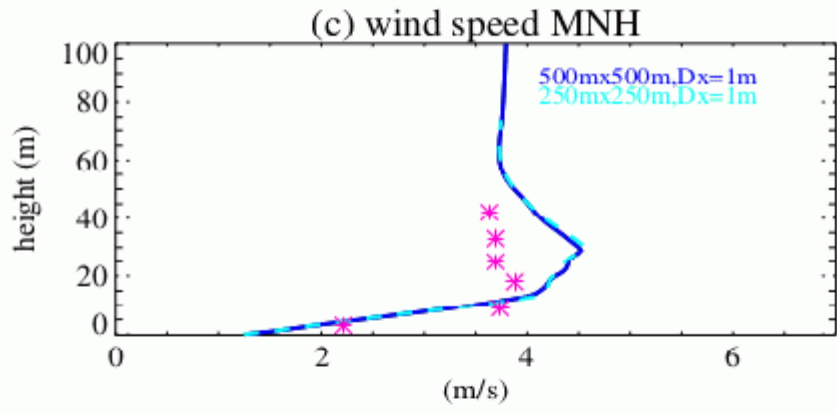
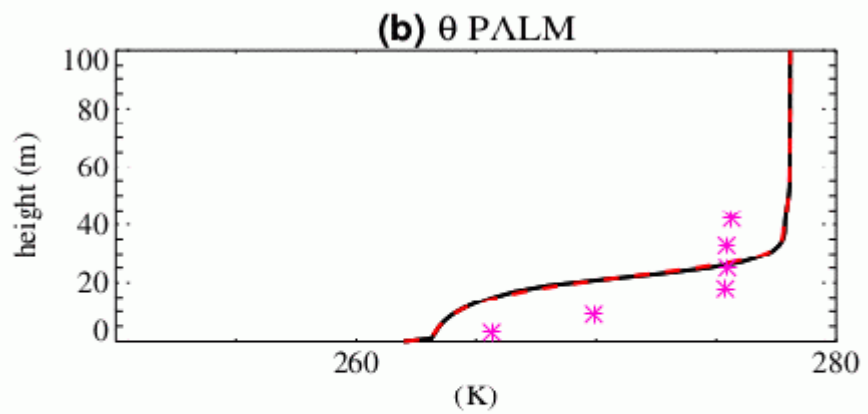
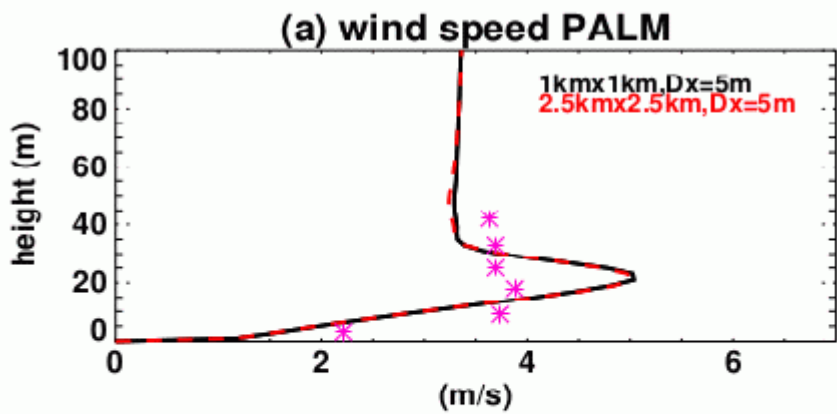


Vertical cross sections at 15h :

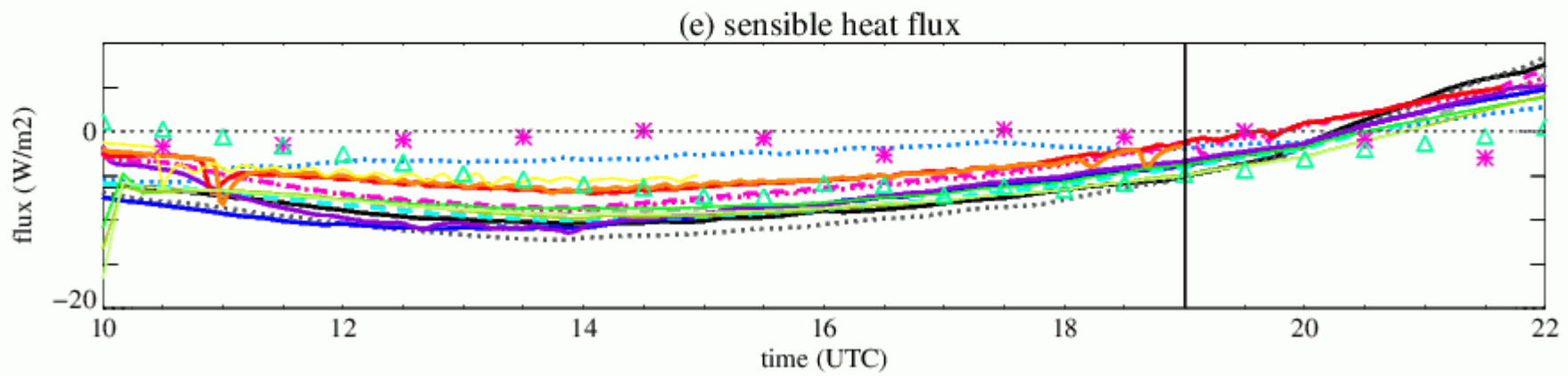
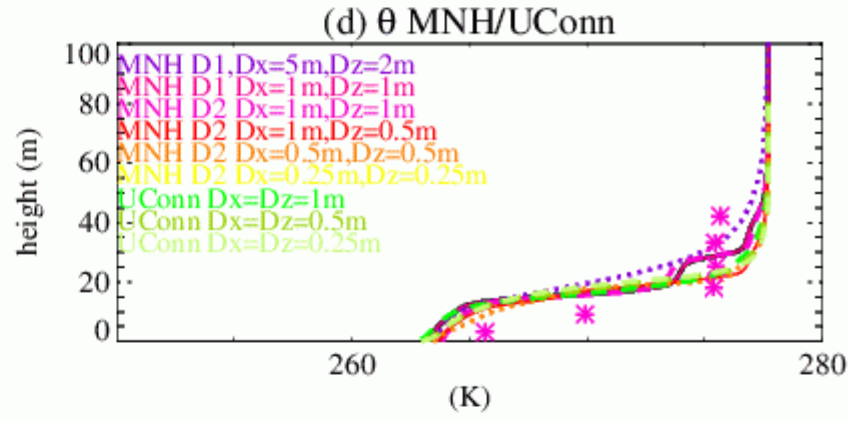
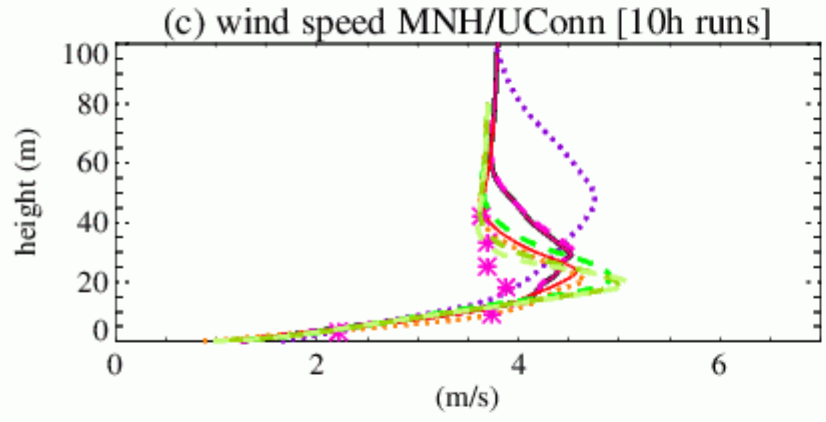
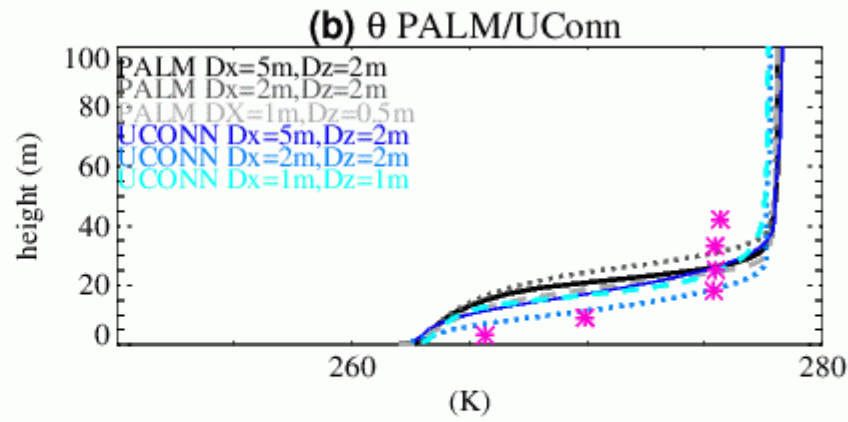
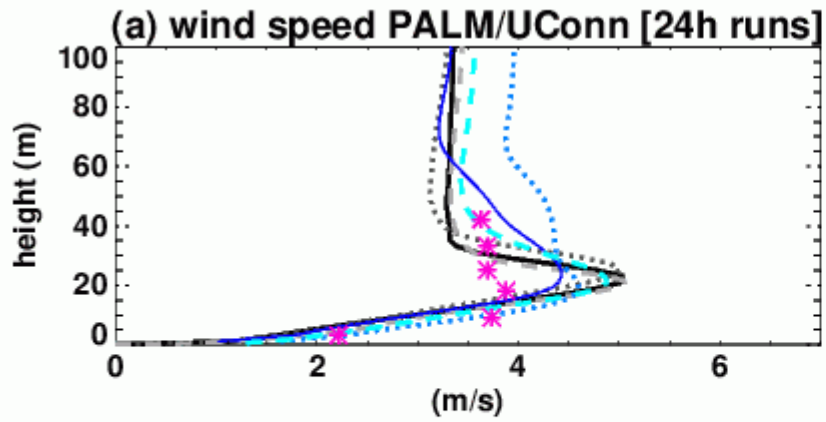


III. Sensitivity experiments

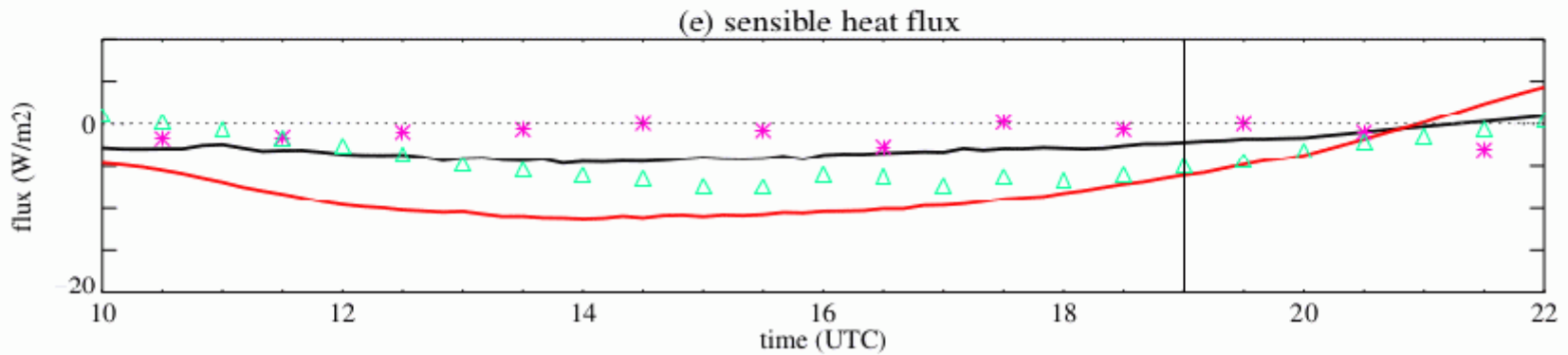
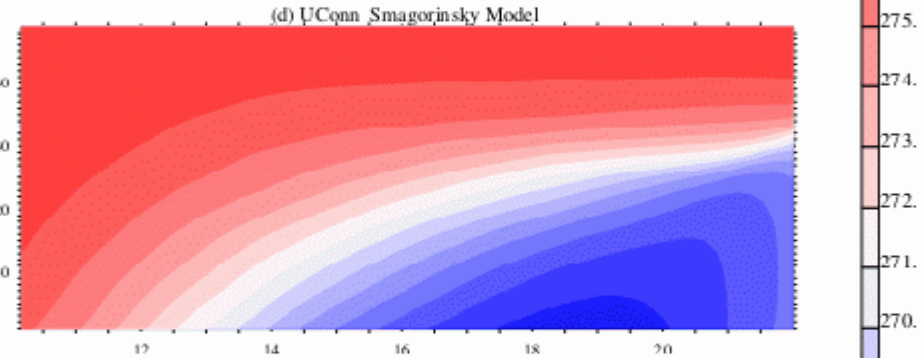
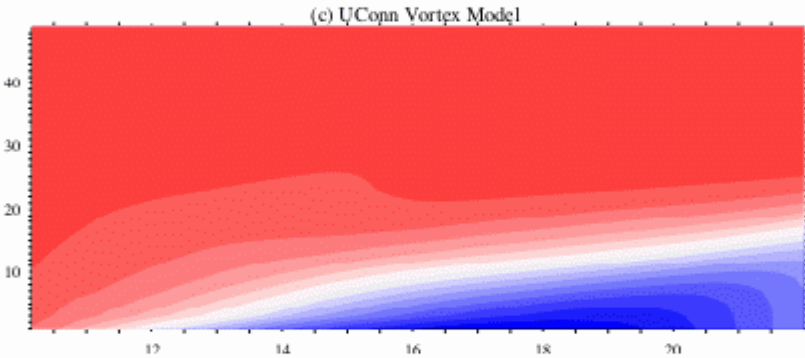
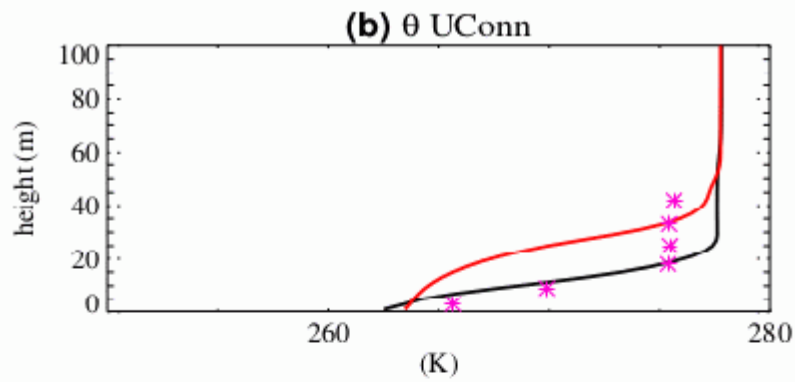
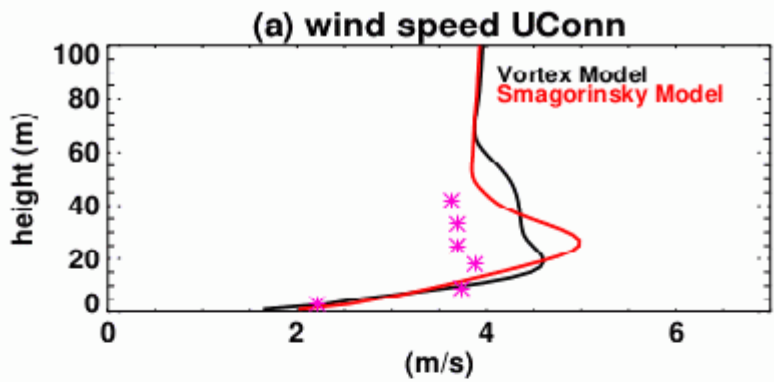
Some sensitivity tests : to the domain size



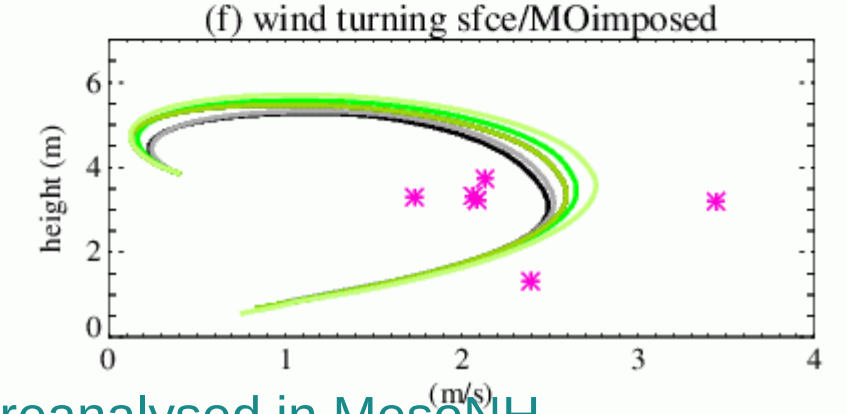
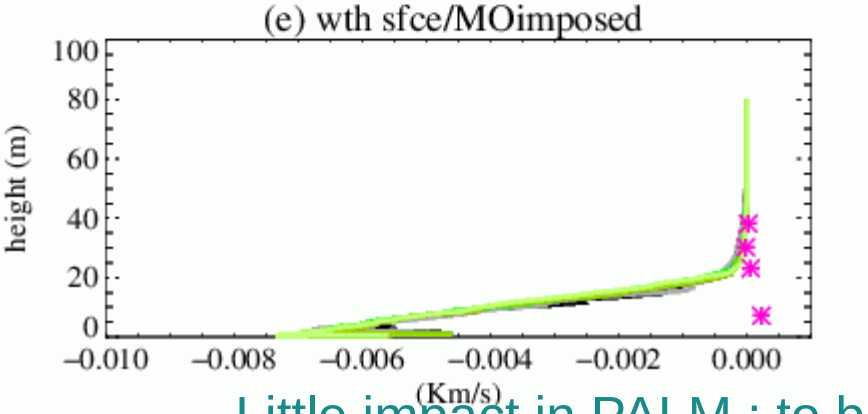
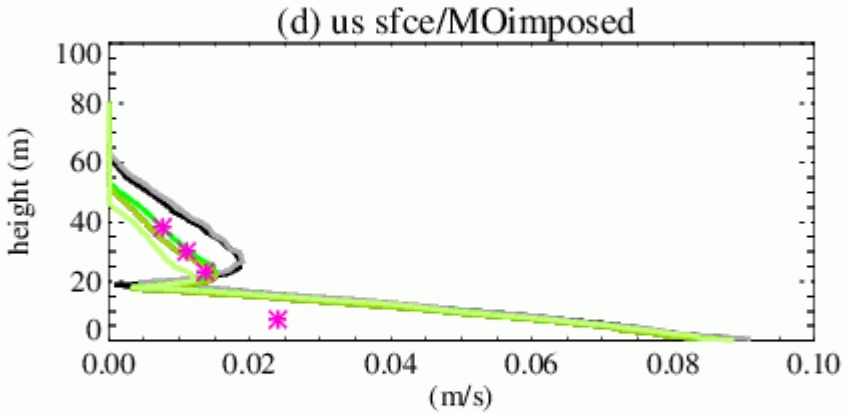
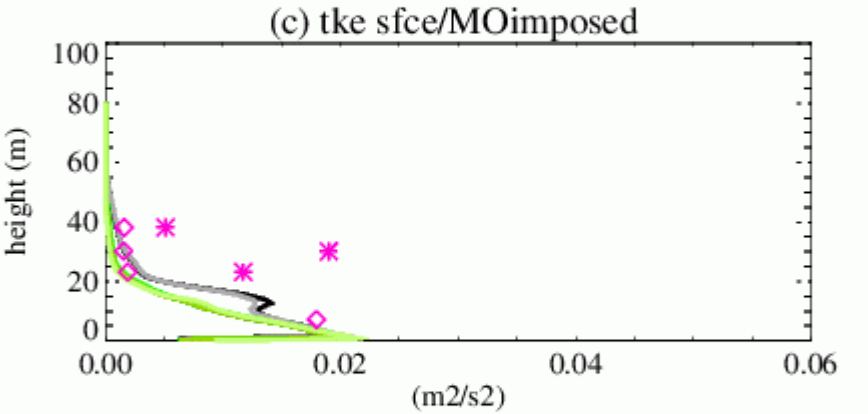
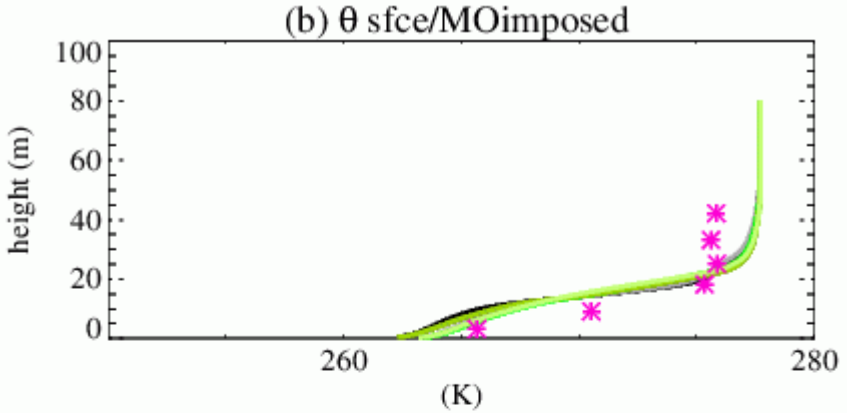
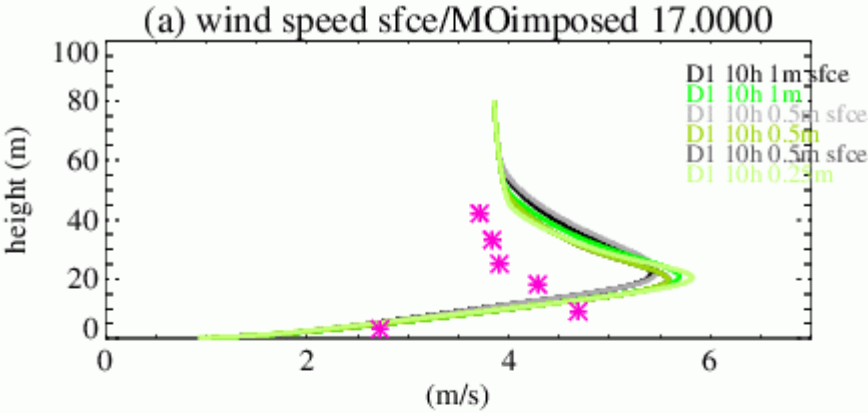
Some sensitivity tests : to the resolution



Some sensitivity tests : to the subgrid scheme



Some sensitivity tests : to the surface parameterization (NS)

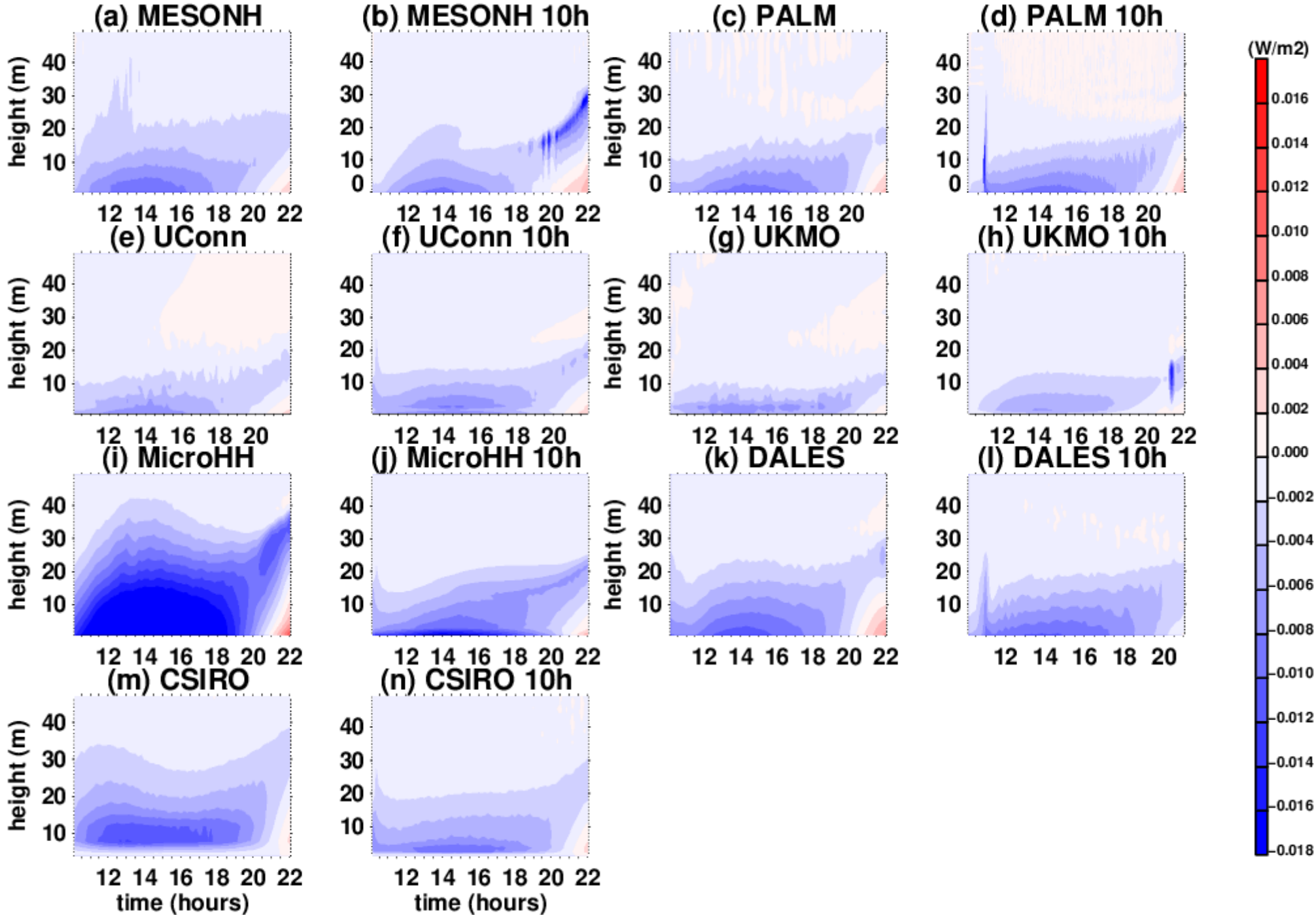


Little impact in PALM ; to be reanalysed in MesoNH
Still to be analysed ; $z/L \Rightarrow$ to check for validity of the formulation

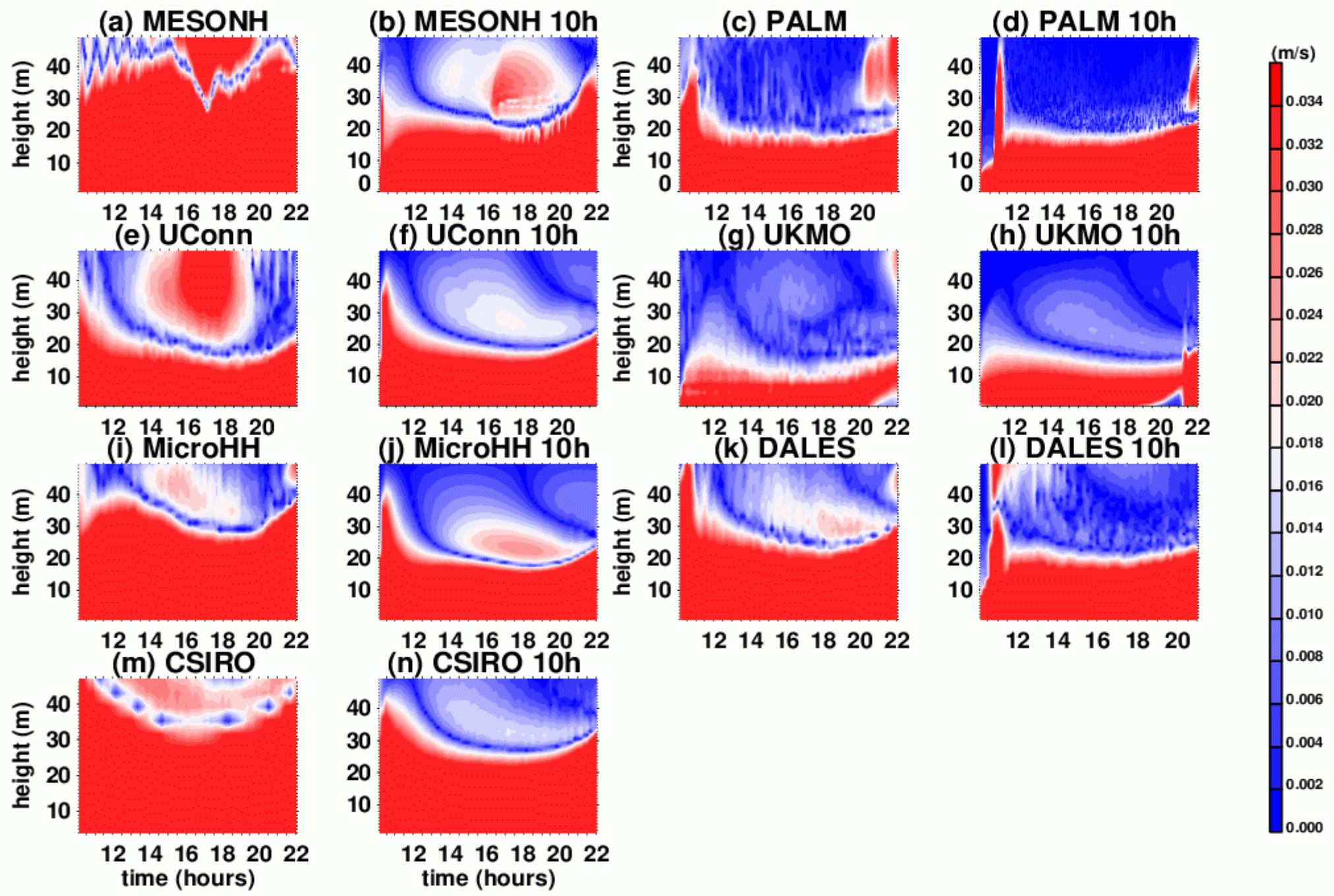
Conclusions :

- GABLS4 full diurnal cycle = demanding in term of domain & resolution
- Agreement btw LES for 1st 8 hours = convective BL although $T_{re} \sim -30^{\circ}\text{C}$
 - Large spread for the stable conditions => new set-up
- Reduction of the spread for $Dx=Dz=1\text{m}$ but still differences for 2nd order
 - Existence of micro-fronts (as in Sullivan et al 2016)
- Several sensitivity tests (resolution, domain, z_0 , subgrid turb scheme) :
 - Not sensitive to initial conditions & domain
 - Strong sensitivity to subgrid turbulence scheme (cf G Matheou talk)
 - Seems to converge around $Dx=25\text{cm}/Dz=25\text{cm}$ (cf Q Rodier talk)
 - Sensitivity to the surface flux to be more analysed
 - Not tackled but maybe a focus for next GABLS cases:
 - interaction between radiation/turbulence
 - Interaction between surface scheme/turbulence
 - Interaction between turbulence/waves

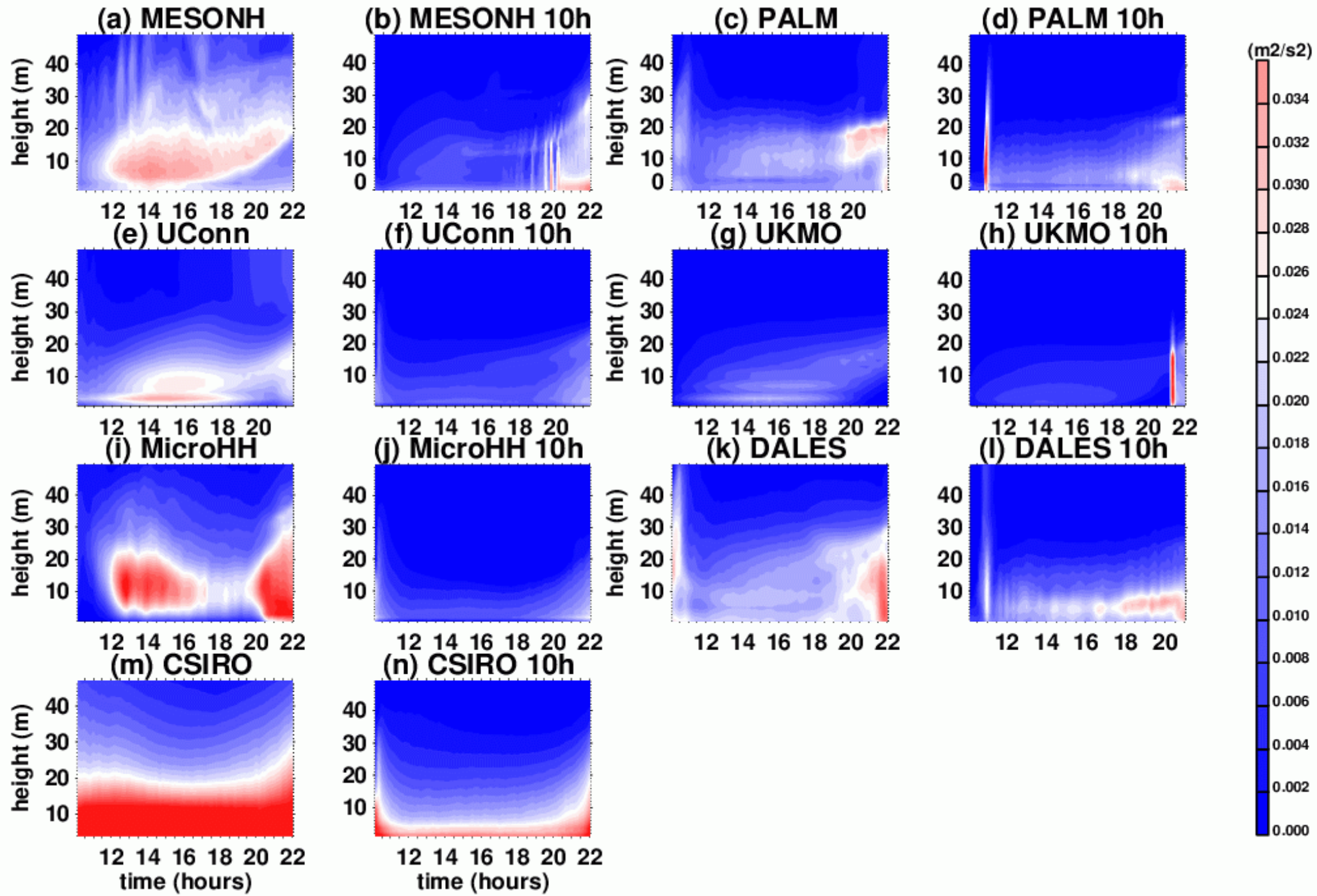
Supplementary : <wthl>



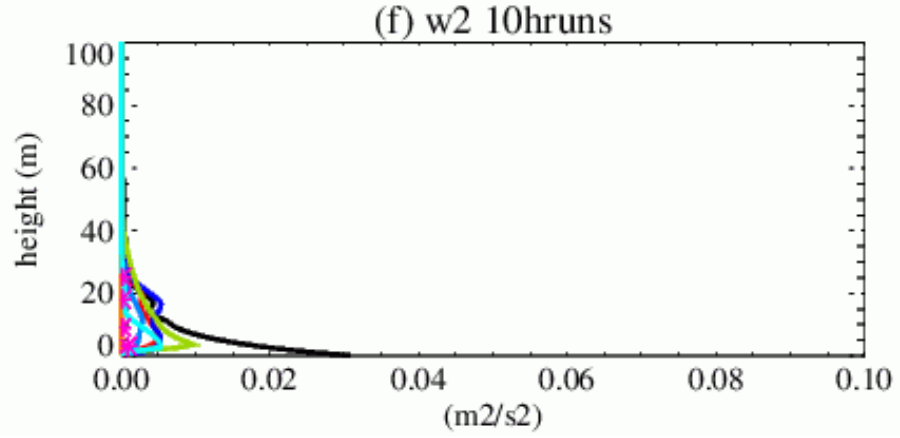
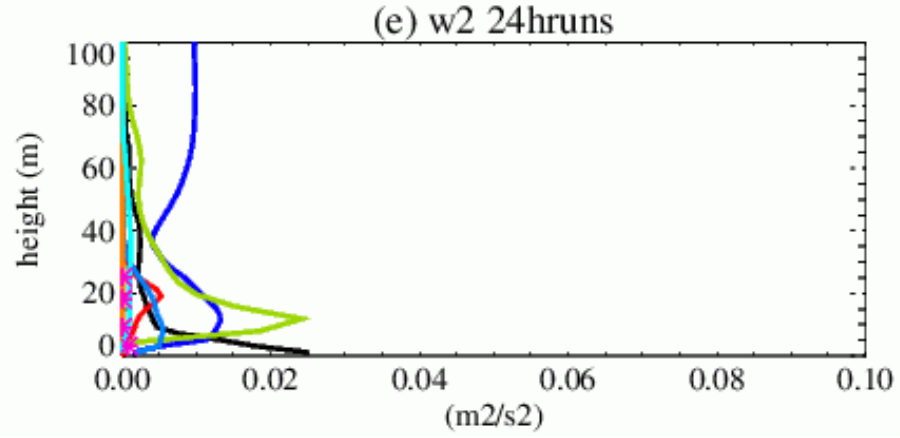
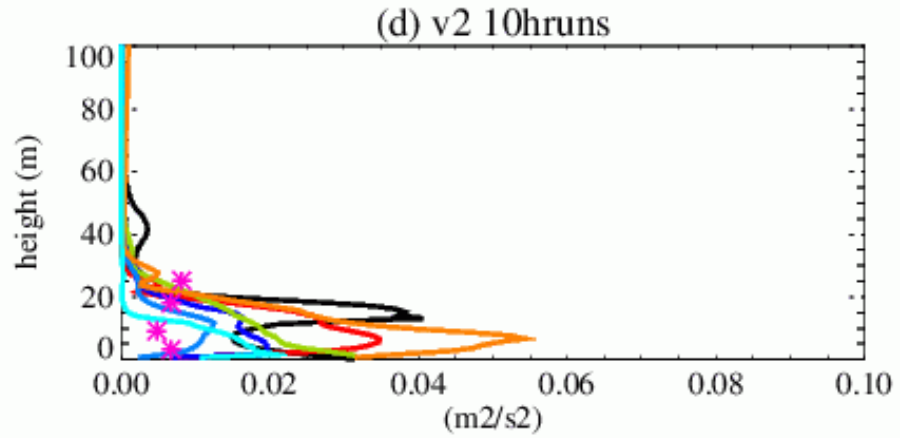
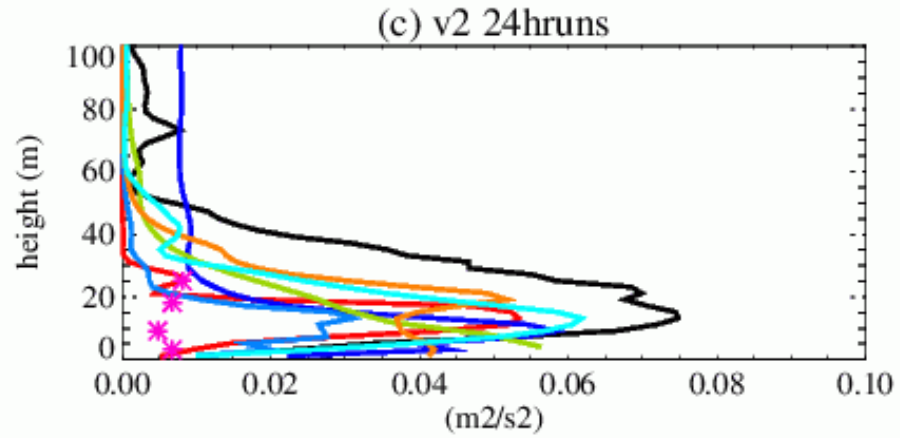
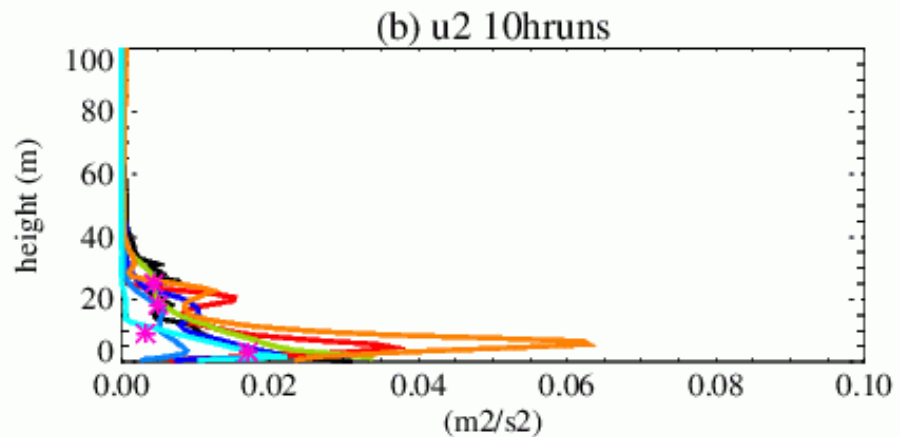
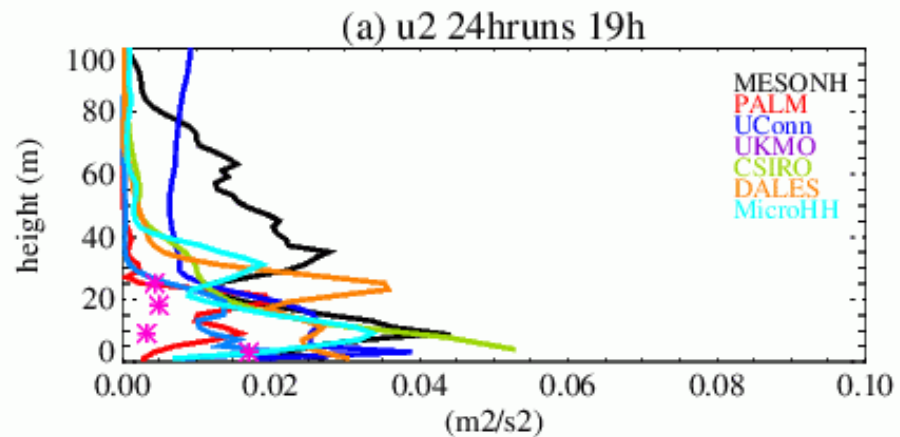
Supplementary : friction velocity



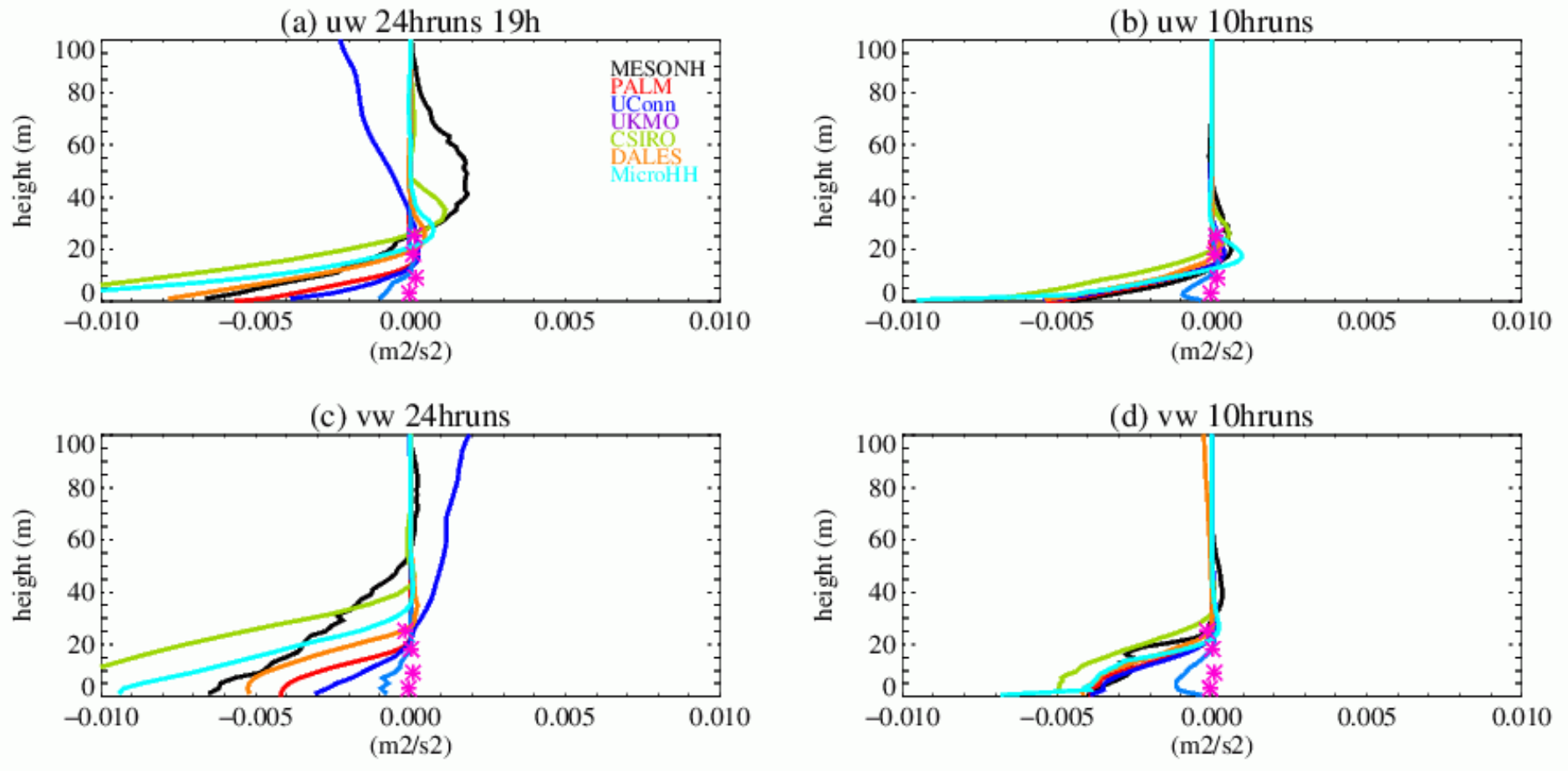
Supplementary : turbulent kinetic energy



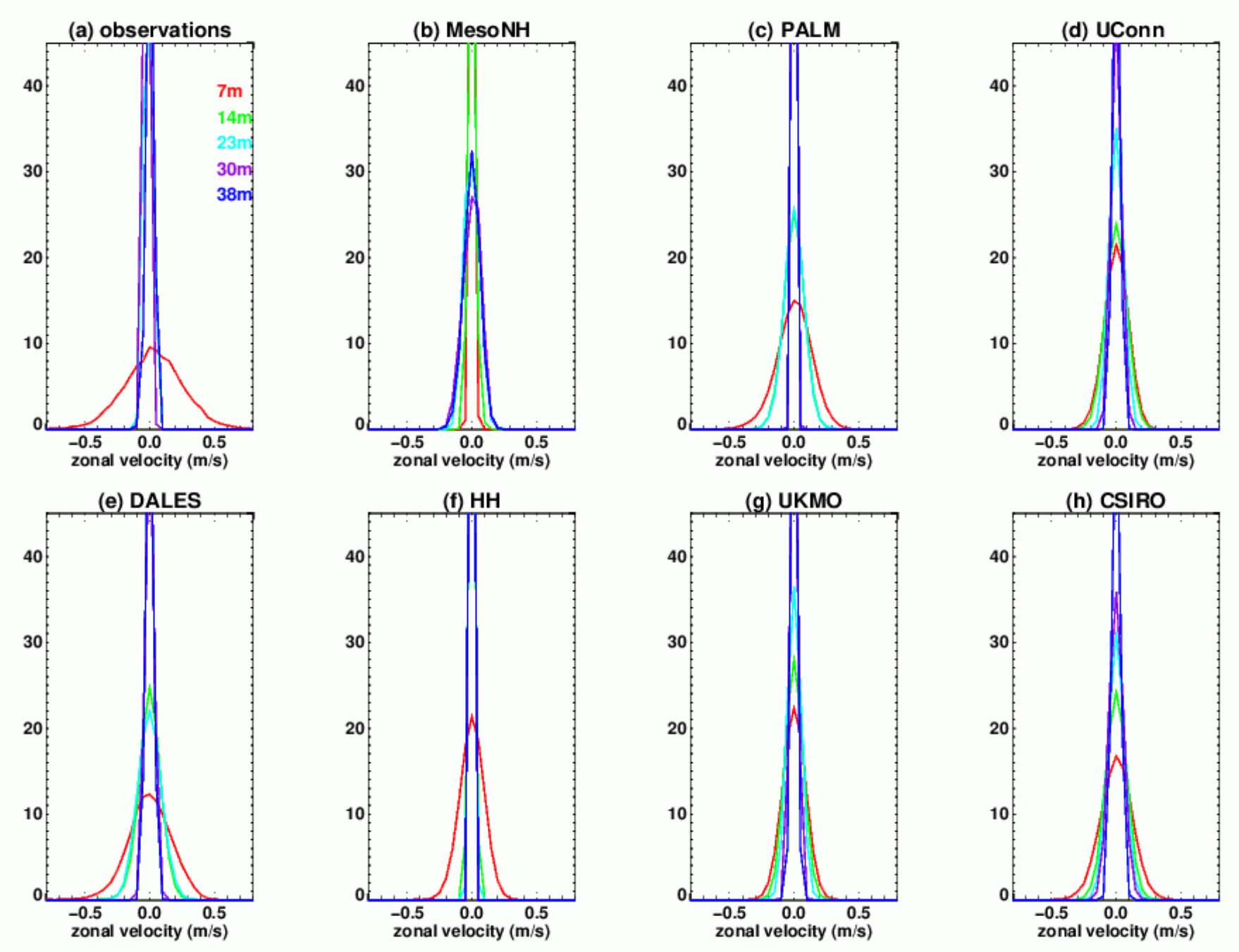
Supplementary : 2nd order moment at 19TU



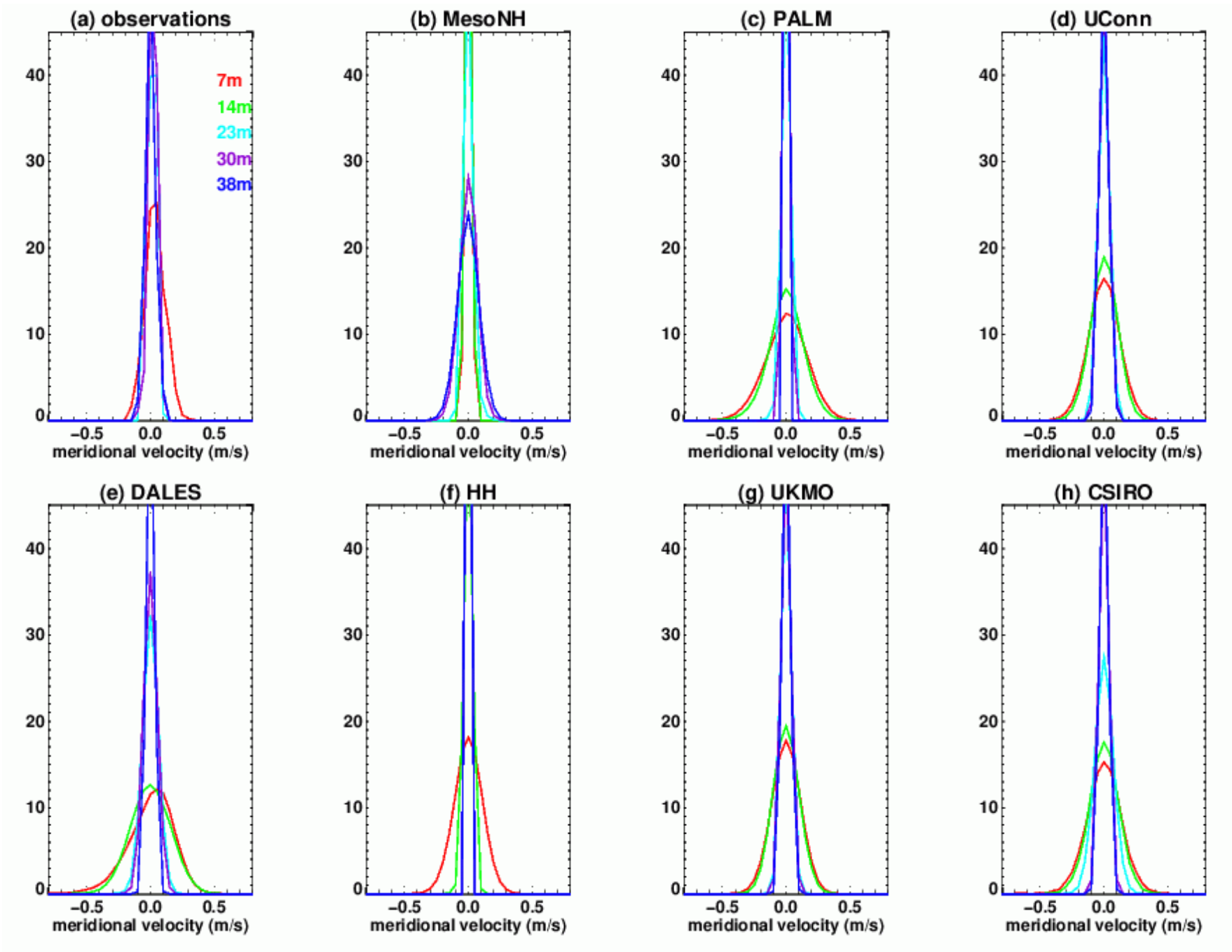
Supplementary : 2nd order moment at 19TU



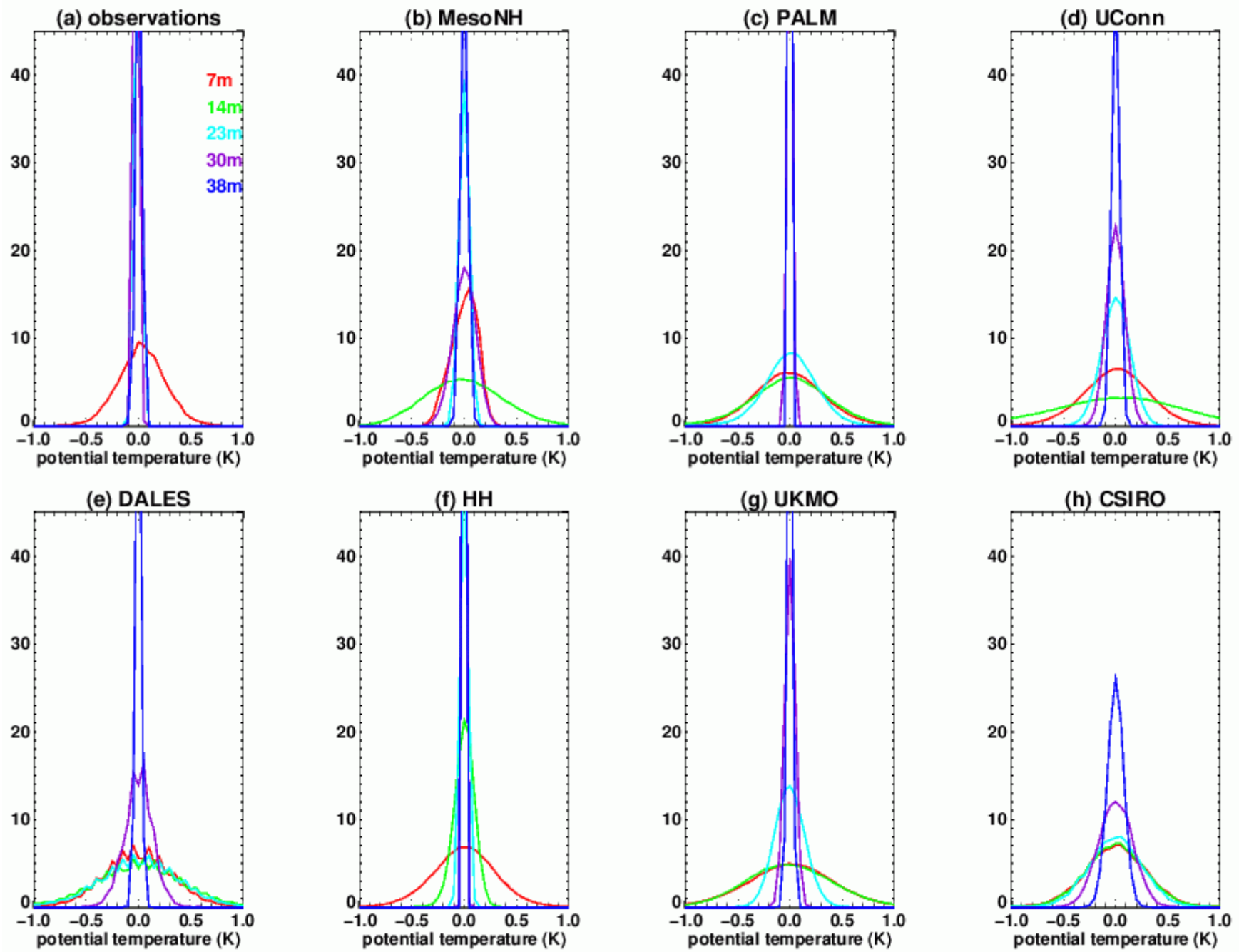
Example of distributions of zonal wind at 17h :



Example of distributions of meridional wind at 17h :

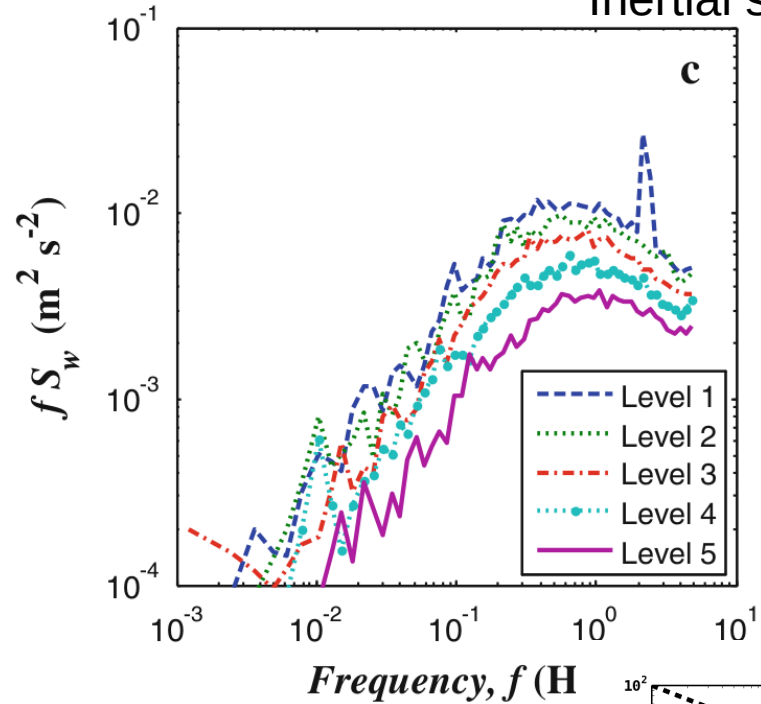
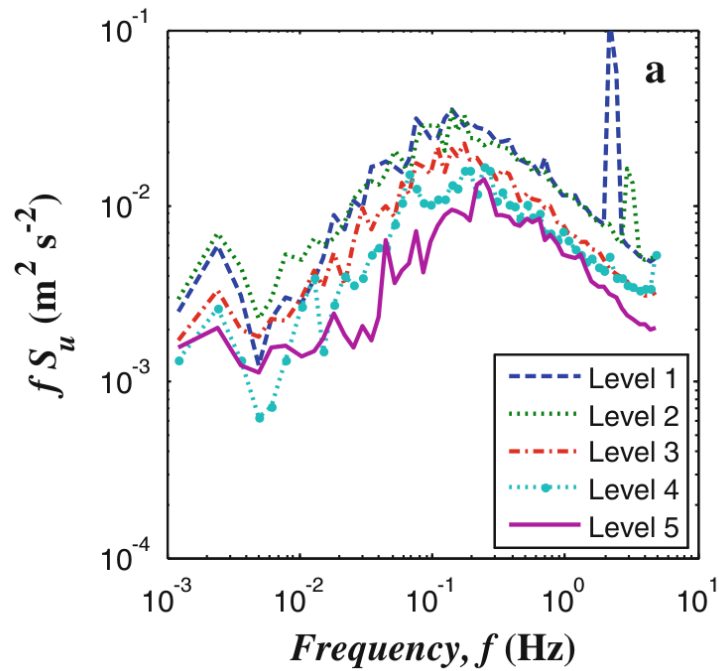


Example of distributions of vertical velocity at 17h :

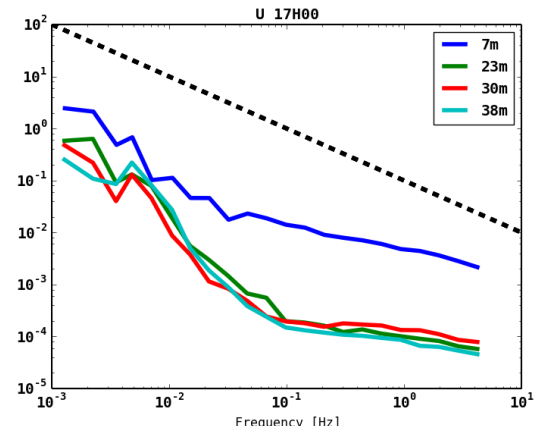
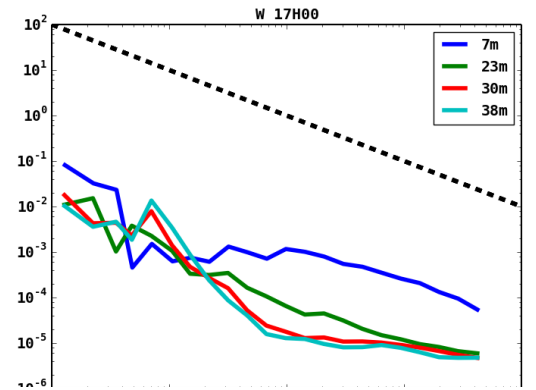
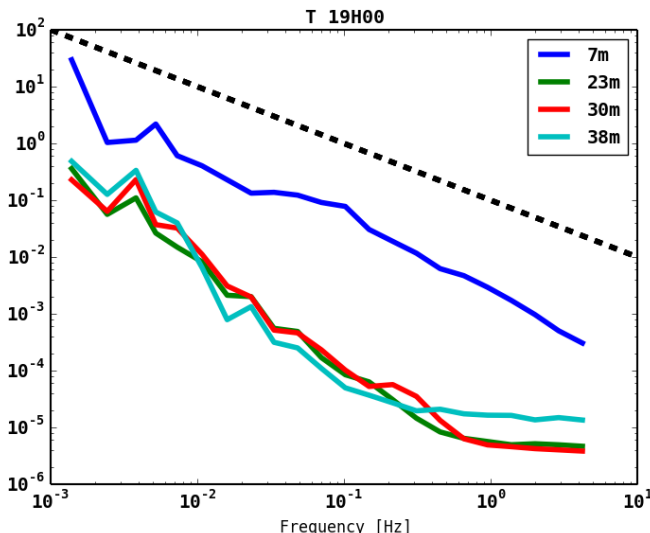
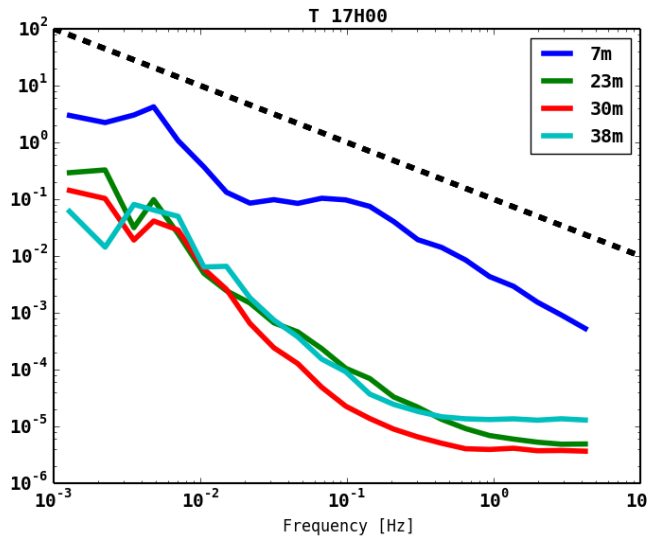


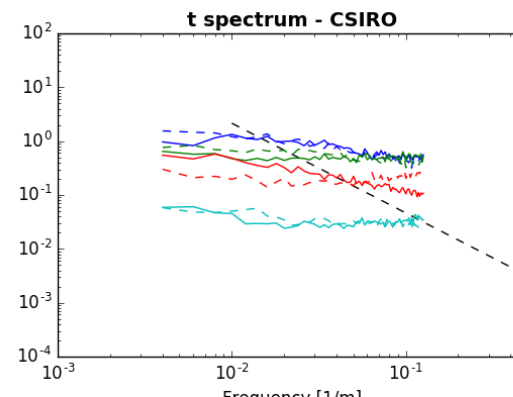
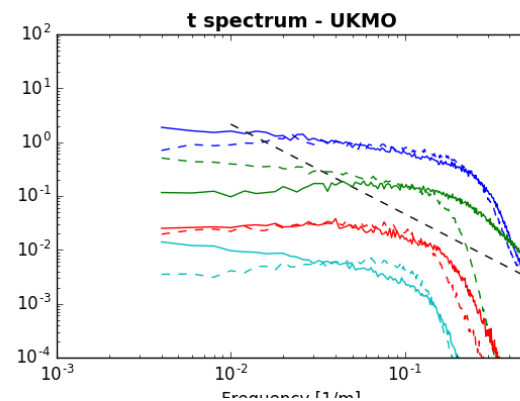
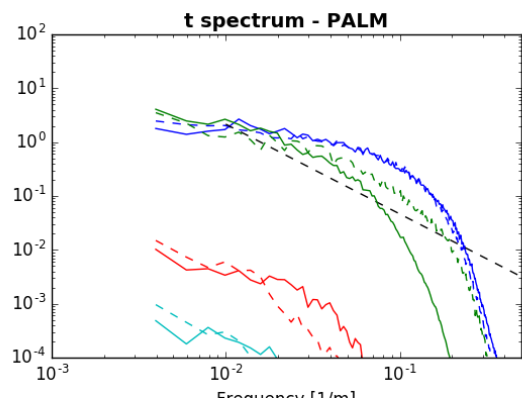
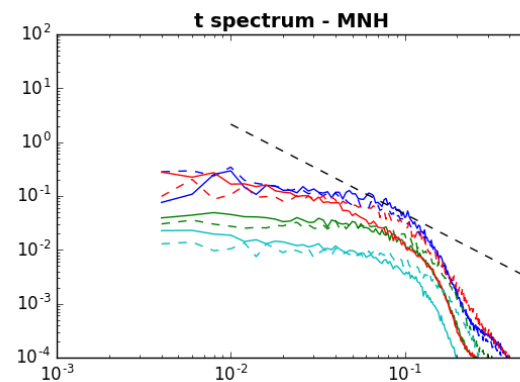
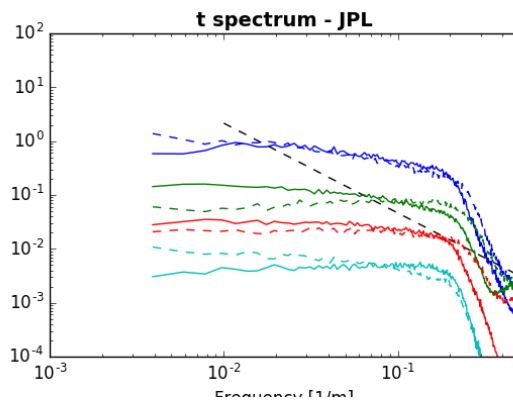
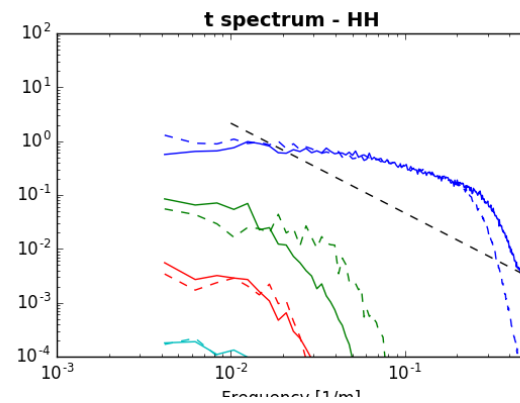
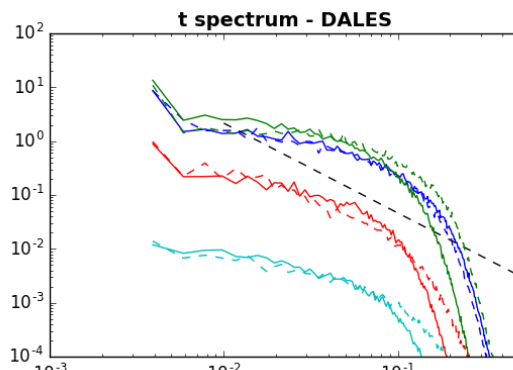
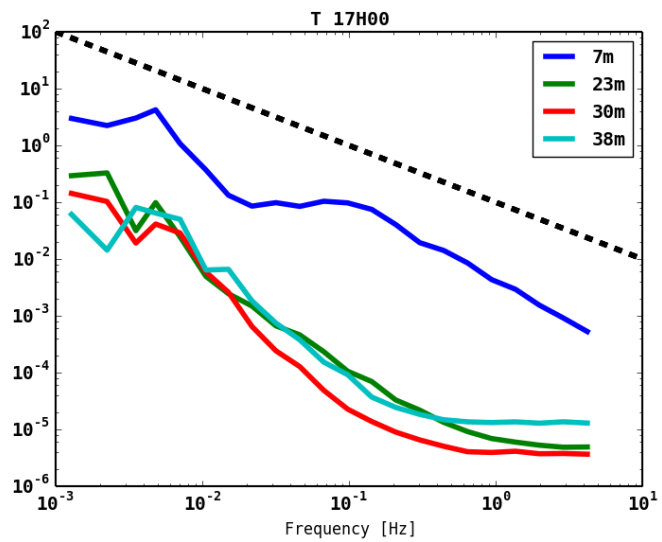
Campagne SHEBA : 20m tower (5 levels) over Arctic sea ice [Grachev et al 2013]

Inertial subrange = 1-3Hz



Dome C observation : 42m tower (5 levels) over Antarctica





Some sensitivity tests : to the surface parameterization (NS)

