

Status of assimilation methods at Météo-France

speaker: C. Fischer

1. 4D-En-VAR
2. Heterogenous B & cloudy IR radiances
3. Other stuff (EnDA, B, ...)

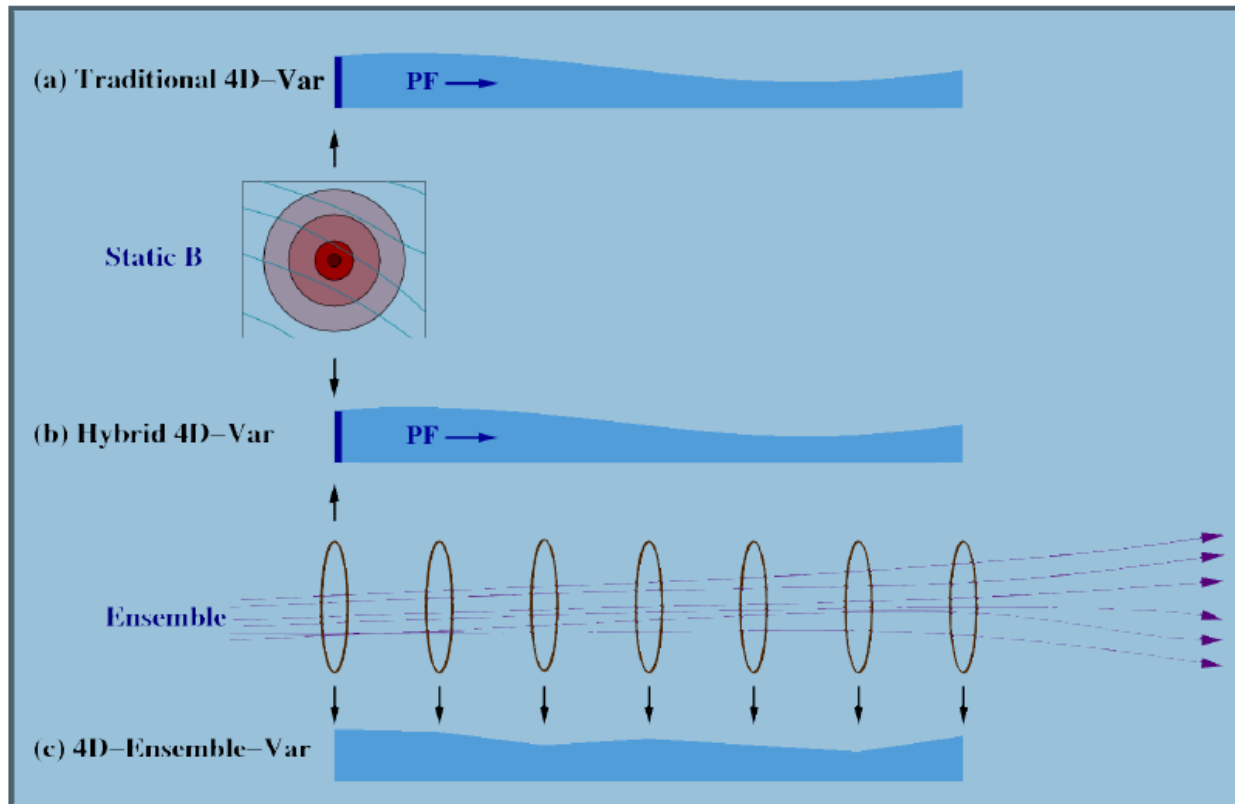


dépasser les frontières



METEO FRANCE
Toujours un temps d'avance

4D-Var / Hybrid 4D-Var / 4D-En-Var



Barker and Clayton, 2011

Investigations into an alternative 4D DA method (G. Desroziers, J-T Camino, L. Berre)

- 4D-Var
 - ✓ Simplified description of \mathbf{B} at initial time, and linear evolution of covariances.
 - ✓ Possible improv. via an ens. of pert. 4D-Var (Météo-France, ECMWF) : spat./temp. variations of error variances and correlations (wavelets).
 - ✓ Difficult development and maintenance of TL/AD.
 - ✓ Poor scalability of TL/AD.
- 4D-Var based on a 4D ensemble : 4D-En-Var
 - ✓ Similar to En-KF.
 - ✓ Keeps benefits of 4D-Var (global analysis, add. terms, outer-loop, ...)
 - ✓ Localization of the raw covariances made in model space.
 - ✓ Minimization cost similar to 3D-Var.
 - ✓ Natural parallelization, and NL evolution of covariances.

4D-En-Var formulation

- Minimization of

$$J(\underline{\delta\mathbf{x}}) = \underline{\delta\mathbf{x}}^T \underline{\mathbf{B}}^{-1} \underline{\delta\mathbf{x}} + (\underline{\mathbf{d}} - \underline{\mathbf{H}} \underline{\delta\mathbf{x}})^T \underline{\mathbf{R}}^{-1} (\underline{\mathbf{d}} - \underline{\mathbf{H}} \underline{\delta\mathbf{x}}), \text{ with}$$

d 4D vector of the innovations distributed in time,

H 4D linearized observation operator,

R 4D (but diagonal !) covariance matrix of obs. errors,

δx 4D vector of the increments to be added to the 4D bg \mathbf{x}^b ,
composed of K sub-elements (K slots for the pert. in time)

B 4D covariance matrix of bg errors, given by an ensemble.

(Lorenc, 2012)

4D-En-Var formulation

$$\underline{\mathbf{X}}^f = (\underline{\mathbf{x}}_1^f, \dots, \underline{\mathbf{x}}_L^f),$$

where L is the ensemble size and

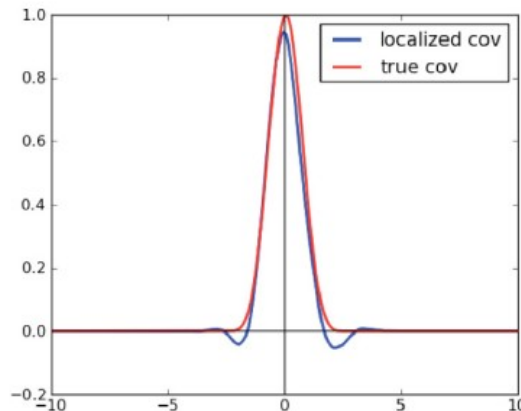
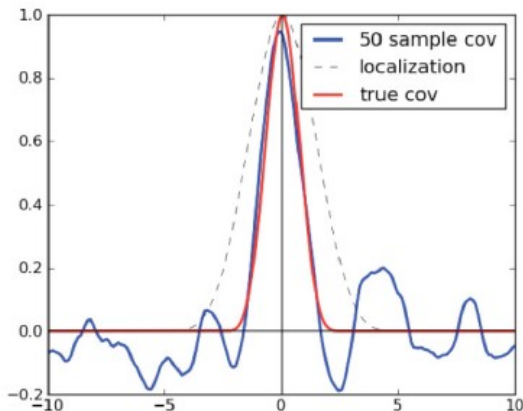
$$\underline{\mathbf{x}}_l^f = \underline{\mathbf{x}}_l^f - \langle \underline{\mathbf{x}}^f \rangle / (L-1)^{1/2}, \quad l=1, L,$$

are the deviations of the 4D pert. forecasts from the ens. mean traject.

$$\underline{\mathbf{P}} = \underline{\mathbf{X}}^f (\underline{\mathbf{X}}^f)^T$$

Localization of bg error cov. (Schurr product):

$$\underline{\mathbf{B}} = \underline{\mathbf{P}} \circ \underline{\mathbf{C}}$$



Whitaker, 2011

Implementations of 4D-En-Var

- $$\begin{aligned}\delta \mathbf{x} &= \mathbf{B}^{1/2} \boldsymbol{\chi} \\ &= (\mathbf{P} \circ \mathbf{C})^{1/2} \boldsymbol{\chi} \\ &= \sum_{i=1,L} \mathbf{x}^{f_i} \circ (\mathbf{C}^{1/2} \boldsymbol{\chi}_i)\end{aligned}$$

$$J^b(\boldsymbol{\chi}) = \sum_{i=1,L} \boldsymbol{\chi}_i^T \boldsymbol{\chi}_i, \dim \boldsymbol{\chi} = N(N_c) \times L \text{ (or } K \times N_c \times L \text{ in 4D with model error)}$$

Use of a Conjugate Gradient (CG) with $\mathbf{B}^{1/2}$ change of variables.

(Buehner 2005, 2010)

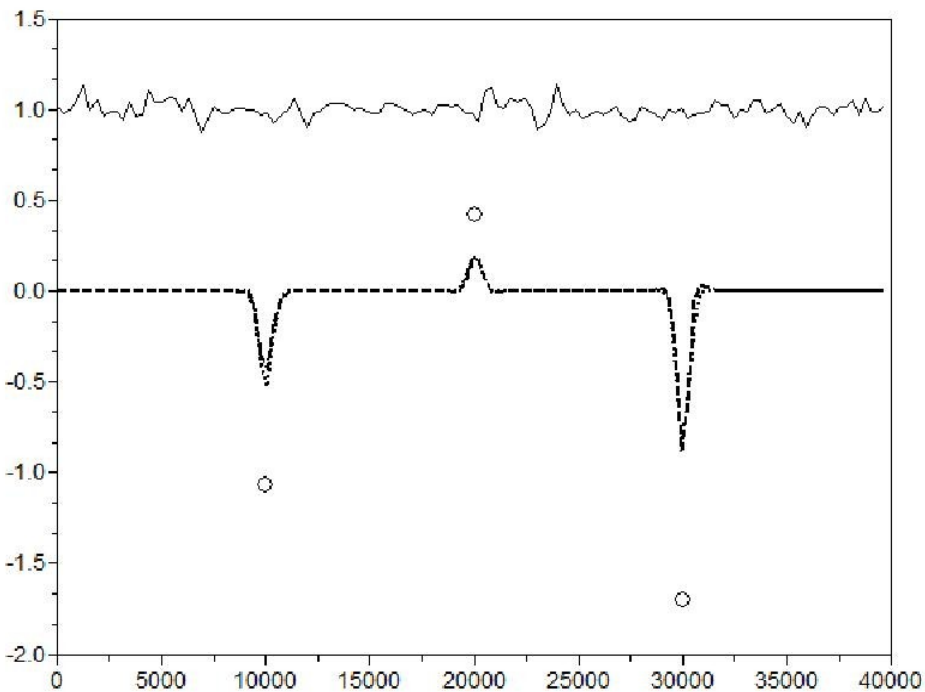
- $$\delta \mathbf{x} = \sum_{i=1,L} \mathbf{x}^{f_i} \circ \boldsymbol{\alpha}_i, \text{ with } \boldsymbol{\alpha}_i = \mathbf{C}^{1/2} \boldsymbol{\chi}_i$$

$$J^b(\boldsymbol{\alpha}) = \sum_{i=1,L} \boldsymbol{\alpha}_i^T \mathbf{C}^{-1} \boldsymbol{\alpha}_i, \dim \boldsymbol{\alpha} = N(N_c) \times L \text{ (or } K \times N_c \times L \text{ in 4D with mod. error)}$$

Use of a Double Preconditioned CG (DPCG) with \mathbf{C} preconditioning.

(Lorenc, 2003; Wang et al 2007; Wang 2010)

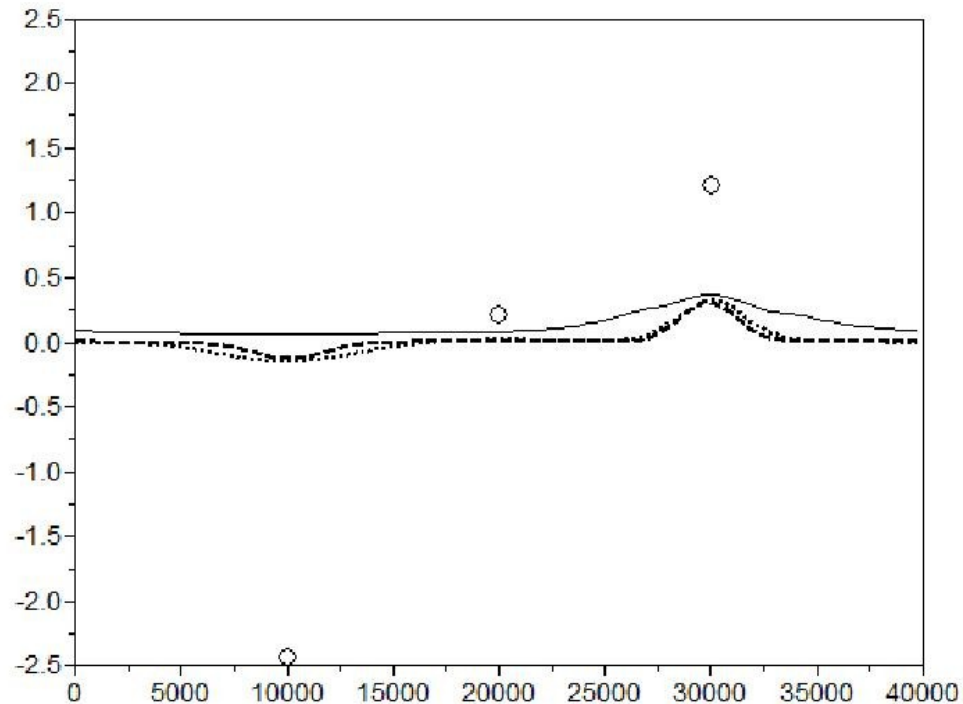
Comparison of increments 4D-En-Var / 4D-Var (Burgers model; *paper in preparation*)



Observations at t_0

$\delta \mathbf{x}_0$ at t_0 :

- 4D-En-Var (dashed)
- 4D-Var (dotted)
- bg error square-root (solid)



Observations at t_f ($t_0 + 6h$)

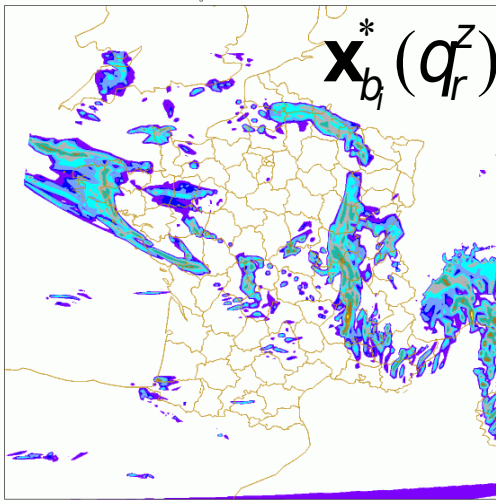
$\delta \mathbf{x}_f$ at t_f :

- 4D-En-Var (dashed)
- 4D-Var (dotted)
- bg error square-root (solid)

Modeling B for specific meteorological phenomena

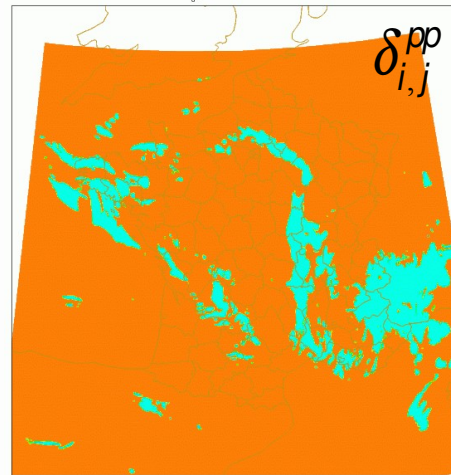
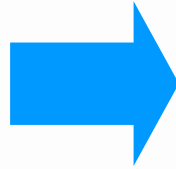
(Montmerle and Berre 2010)

Forecast errors are decomposed using features in the background perturbations that correspond to a particular meteorological phenomena.

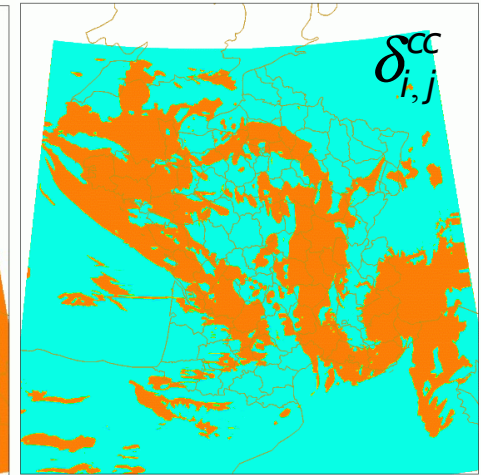


Example for precipitation

Binary masks: $\boxed{1 \mid 0}$



rain/rain



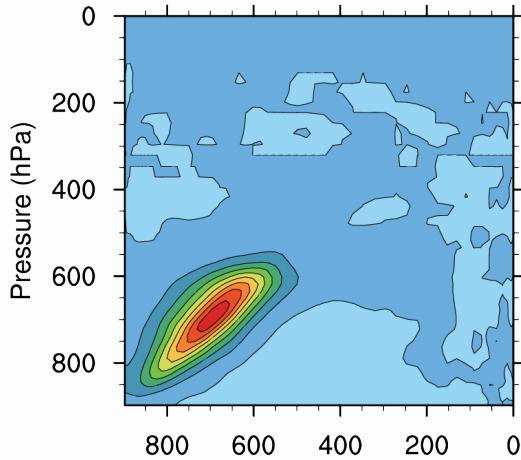
non rainy/non rainy

$$\varepsilon_{f_{ij}} = \mathbf{x}_{b_i}^* - \mathbf{x}_{b_j}^* \approx \left[G \delta_{ij}^{pp} \right] \varepsilon_{f_{ij}} + \left[G \delta_{ij}^{cc} \right] \varepsilon_{f_{ij}} + \left[G \delta_{ij}^{cp} \right] \varepsilon_{f_{ij}}$$

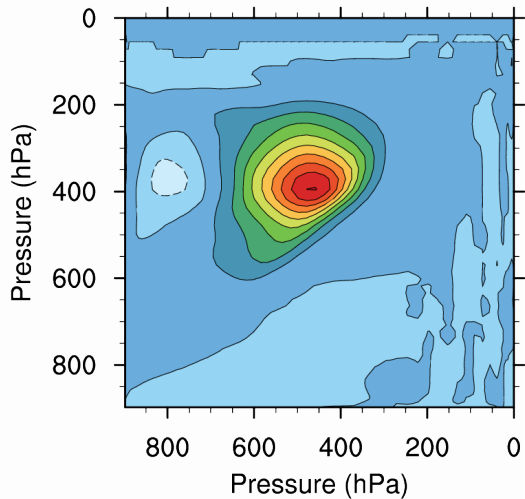
(G : Gaussian blur)

Assimilation of cloudy radiances in a 1DVar: B

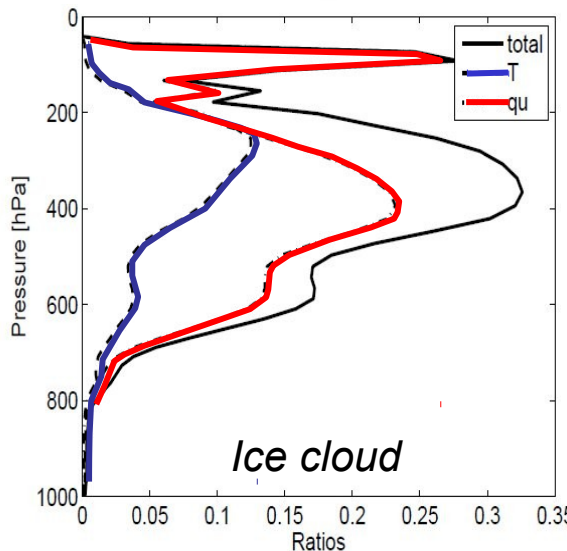
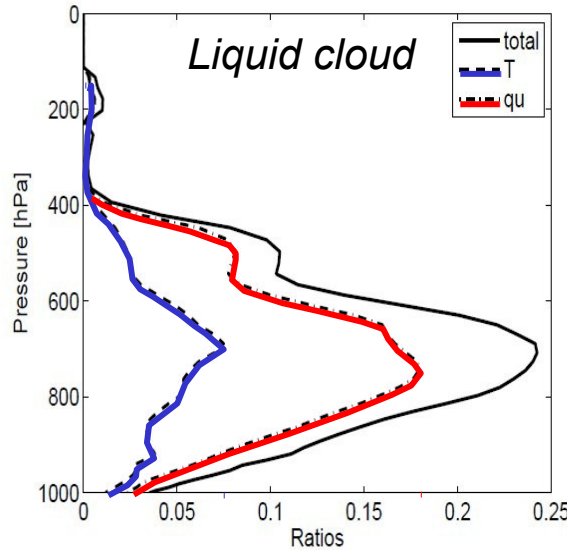
cov(q_l,q_u)



cov(q_i,q_u)



Vertical covariances between q_i, q_l and the unbalanced humidity q_u



% of explained error variances for q_i (top) and q_l (bottom)

Computation of background error covariances for all hydrometeors in clouds:

A mask-based method similar to Michel et al. (2011) is used, along with an extension of \mathbf{K}_p :

$$\begin{cases} \delta T = \delta T \\ \delta q = T_0 \delta T + \delta q_u \\ \delta q^\alpha = T_1 \delta T + T_2 \delta q_u + \delta q_u^\alpha \\ \alpha \in \{l, i, r, s\} \end{cases}$$

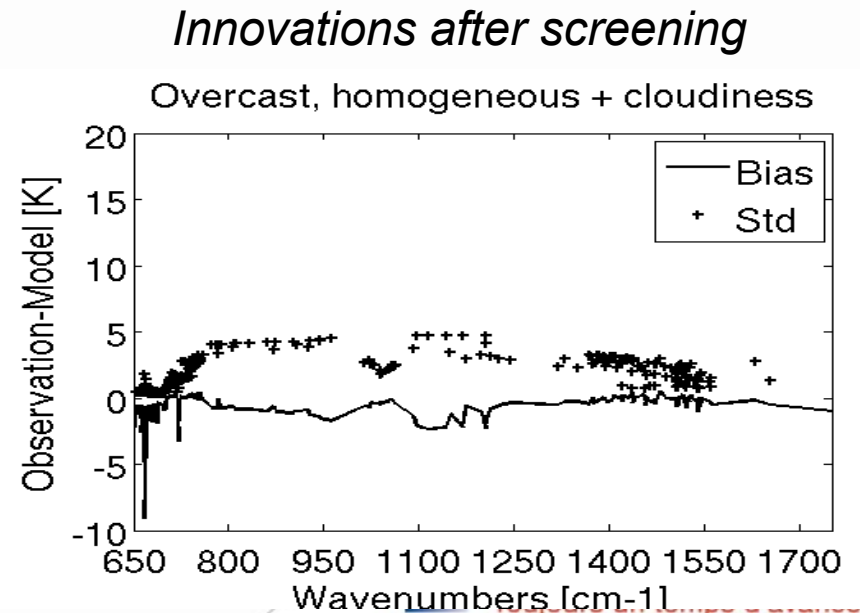
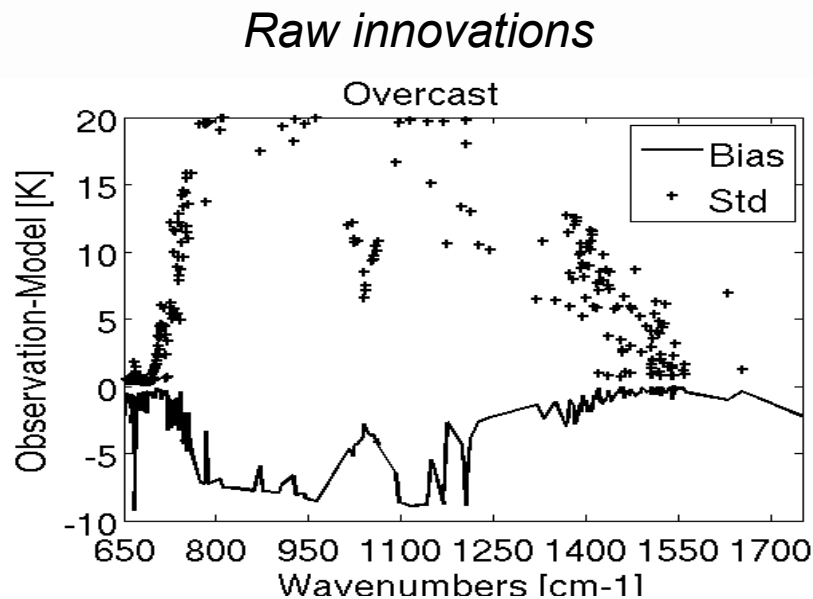
Assimilation of cloudy radiances in a 1DVar

Martinet et al. (2012)

Problematic: Non-Gaussian innovations due to wrong location of simulated structures and model deficiencies

⇒ **Simulation of IASI radiances using profiles of q_l and q_i .** Modelling of multi-layer clouds and cloud scattering with RTTOV-CLD.

⇒ **Selection of homogeneous overcast scenes** from a database of profiles extracted from AROME forecasts by comparing simulated and observed AVHRR radiances co-located with the IASI field of view

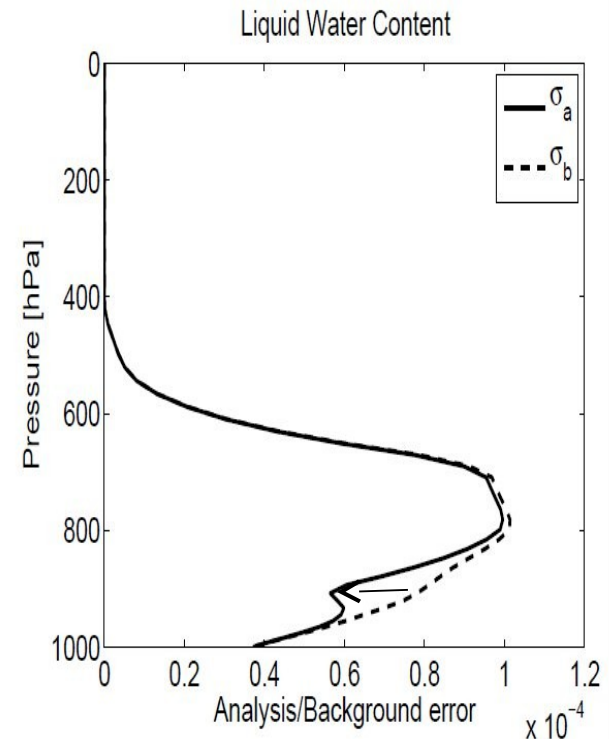
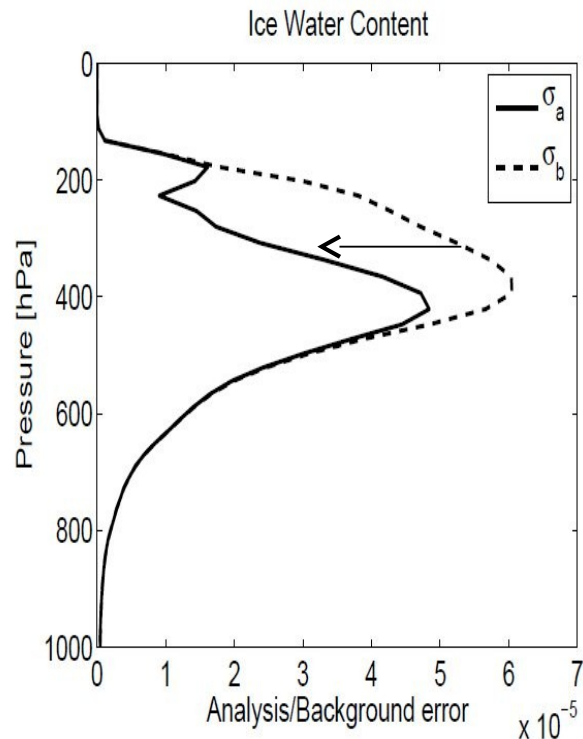


Assimilation of cloudy radiances in a 1DVar: stats of increments

Assimilation of IASI cloudy radiances

q_i and q_i have been added to the state vector of a 1DVar, along with T and q

Reduction of background error variances for selections of high opaque cloud (left) and low liquid cloud (right)

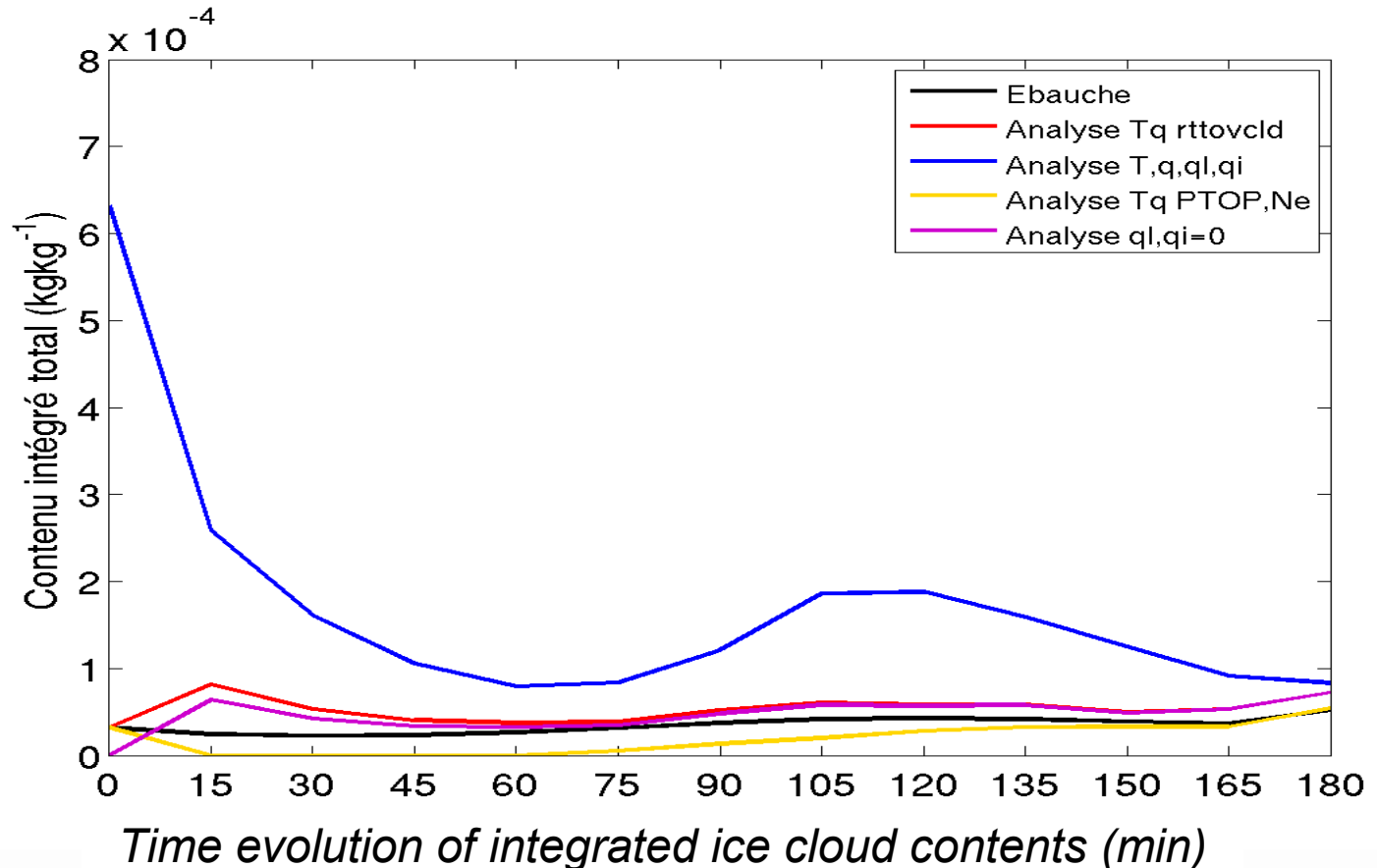


⇒ Error stdevs are reduced for q_i and q_i (same as for T and q - not shown -), increments are coherently balanced for all variables.

Assimilation of cloudy radiances in a 1DVar: impact in forecast

Evolution of analyzed profiles using AROME 1D

Example for low semi-transparent ice clouds:



⇒ Thanks to the multivariate relationships and despite the spin-down, integrated contents keep values greater than those forecasted by the background and by other assimilation methods up to 3h

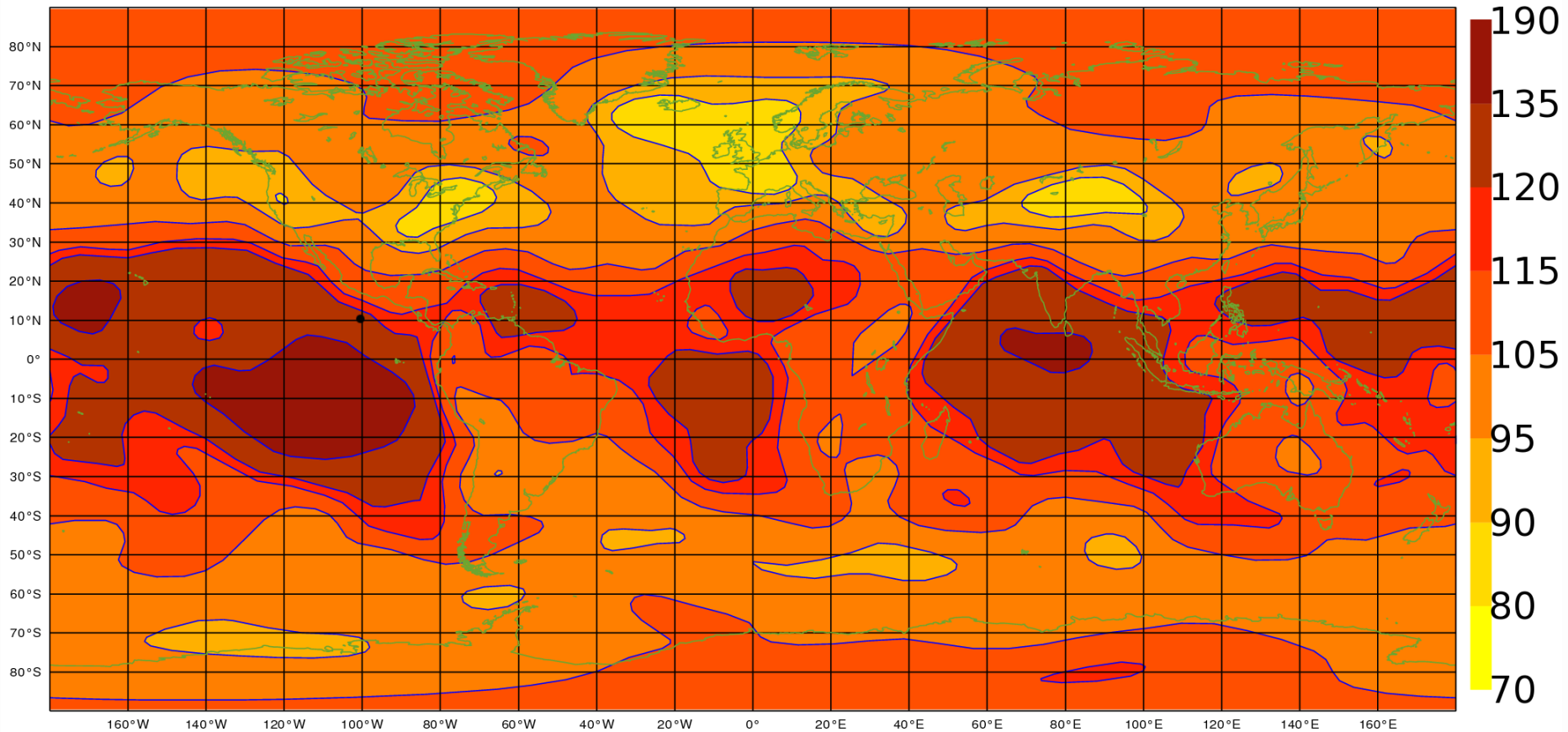
Some concluding items

- **Wavelets in Arpège 4D-VAR**: presently tested in E-suite
- **Heterogeneous B**: rain/no-rain & radar assim (Montmerle, 2010), fog/no fog (Ménétrier & Montmerle, 2012); implementation in official codes on hold
- Other Arome B matrix aspects (Yann Michel):
 - Vertical deformation
 - Displacement error (PhD work just started)
- Implication in **OOPS**: actively take part in implementation of **4D-En-VAR** (one solution implemented for L96 & QG models)

Recent evolutions and plans for (Arpège) EnDA

- **Model error** through inflation of forecast perturbations (2012).
- **Flow-dependent correlations**, with wavelet spatial filtering (2013).
- Increase of **ensemble size** (~ 24 members, 2014).
- Towards **4D-En-Var**.
- Plans to install an Arome EnDA (AEARO) in link with EPS (PEARO)

Background error **correlations** using EnDA and wavelets



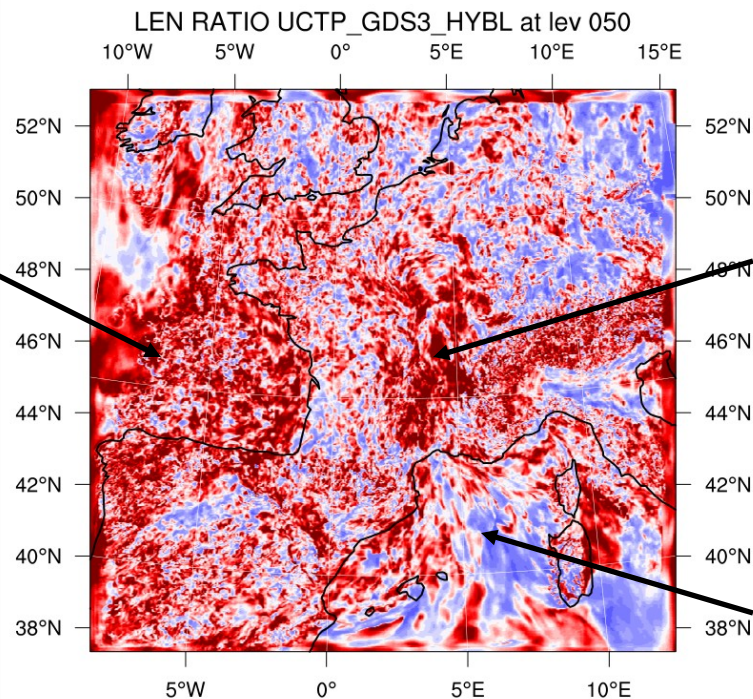
Wavelet-implied horizontal length-scales (in km),
for wind near 500 hPa, averaged over a 4-day period.

(Varella et al 2012, and also Fisher 2003,
Deckmyn and Berre 2005, Pannekoucke et al 2007)

Vertical deformation for Jb in AROME

- A vertical deformation can be added to the Jb in AROME
- It can be estimated over a small ensemble (AEARO with 6 members) despite strong sampling noise, with spatial filtering
- References: Michel (2012 a,b)

*Larger vertical
lengthscale due to
coupling*

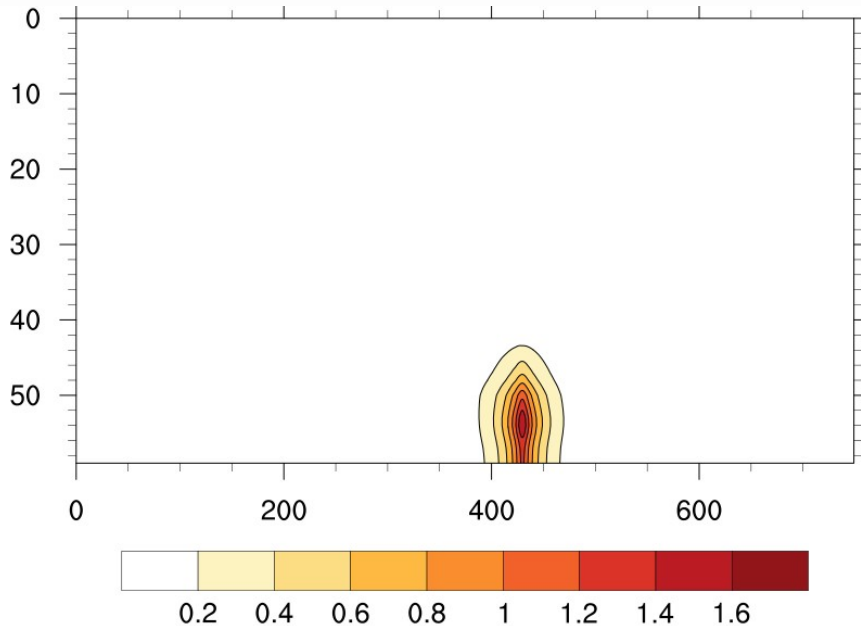


*Larger vertical lengthscale in
convective precipitation*

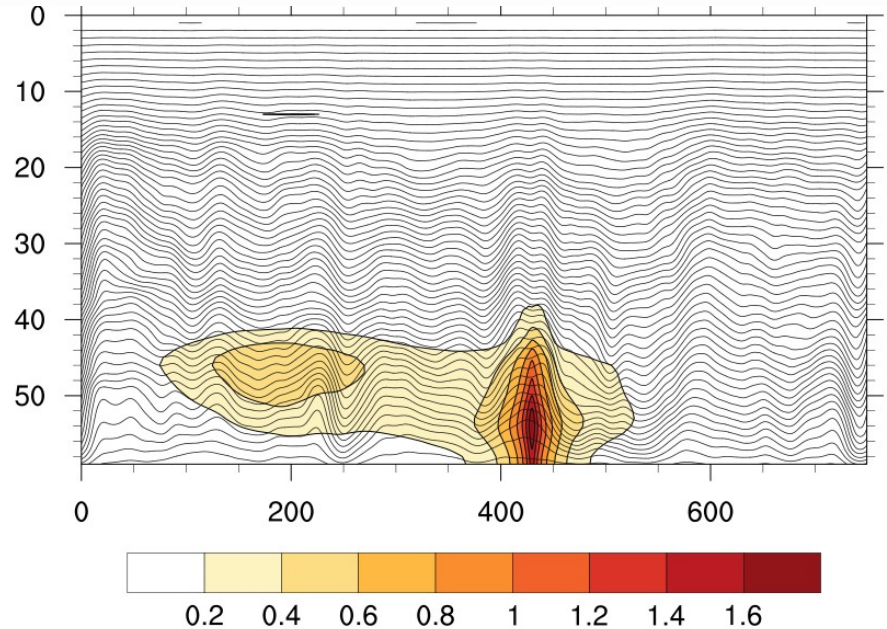
*Smaller vertical lengthscale
in the inflow over the
Mediterranean (Hymex case)*

Vertical deformation for the in AROME

- Test with single obs. shows interaction with the balance (shown: T)
- Compact support formulation (following V. Guidard & C. Fischer) helps
- Further work concerns 3D deformation => post-doc in GMAP (J. Beezley)



Original Jb



With vertical deformation (contours)

- þakka þér fyrir athygli þína