

Neighborhood methods for precipitation forecasts from high resolution EPS

(and some other thoughts on calculating probabilities)

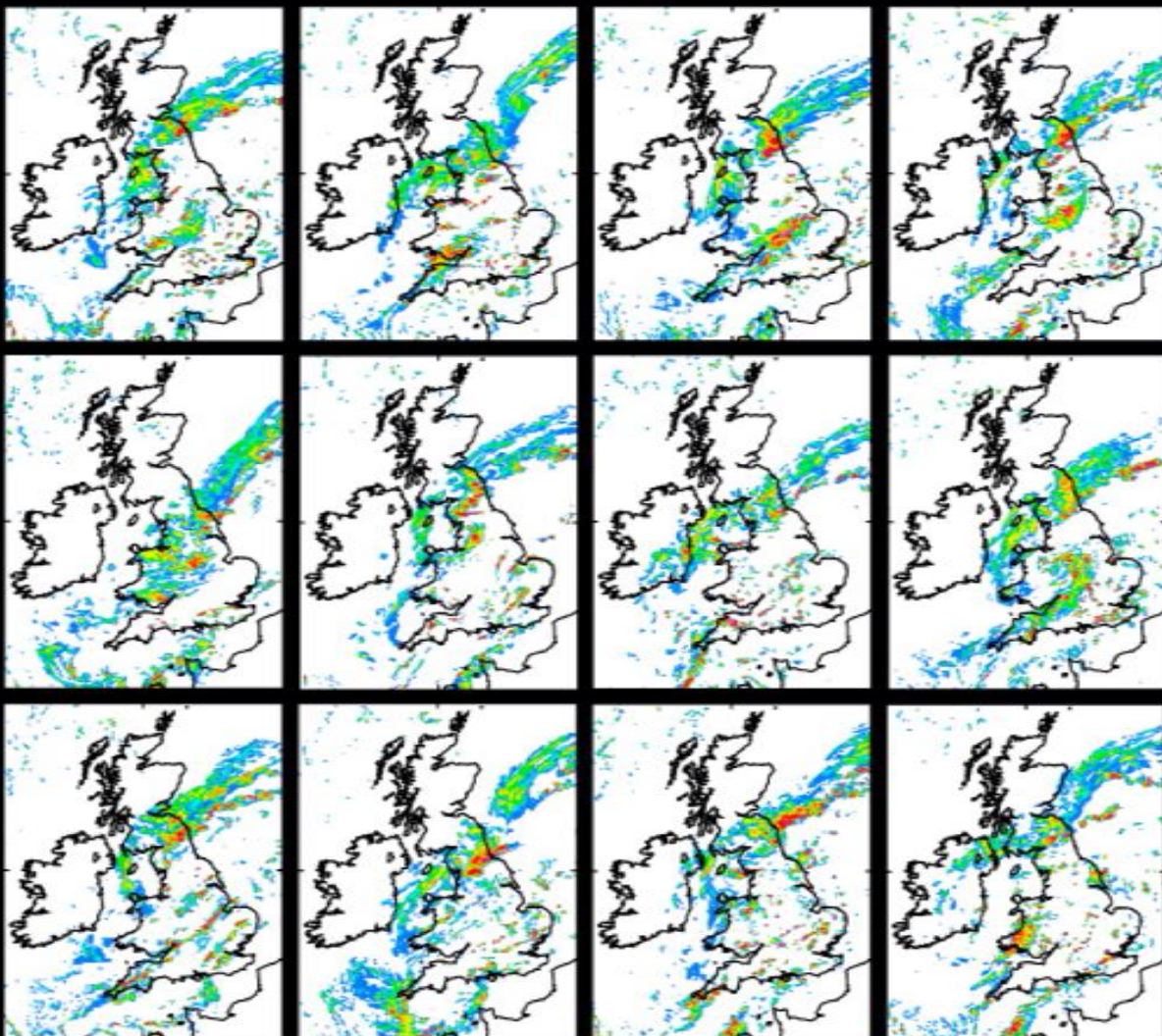
Andrew Singleton

MET Norway

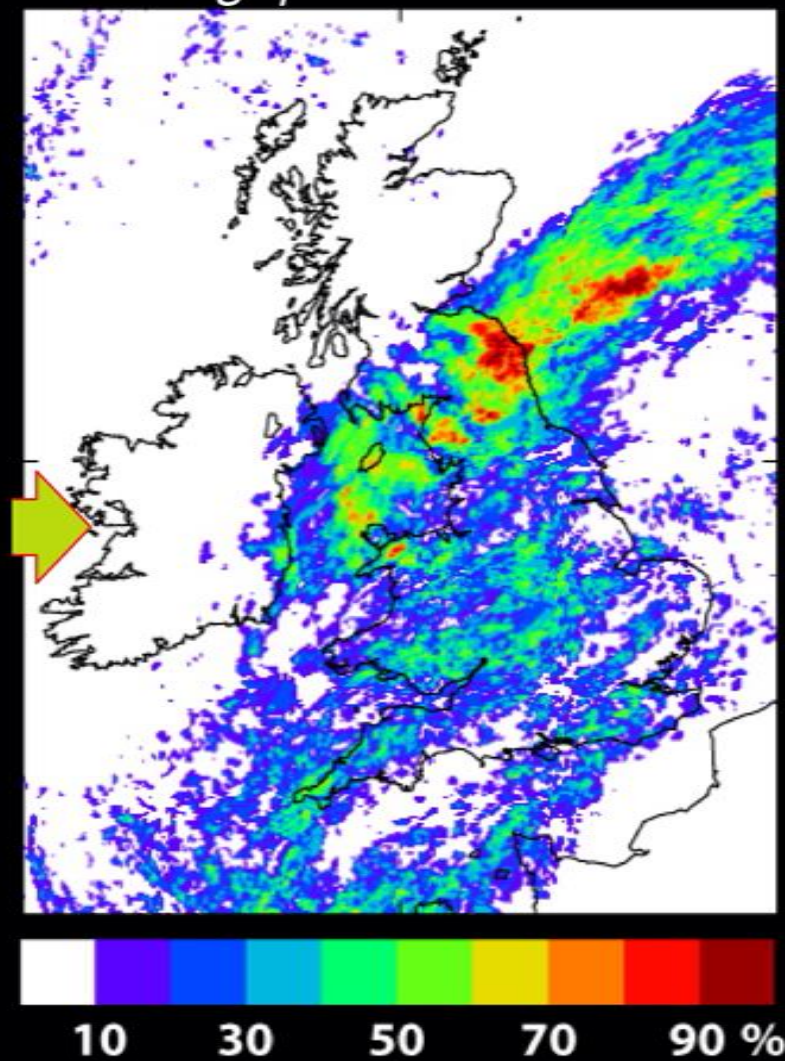
Why use neighborhood methods?

- Ideally EPS members should encompass entire range of atmospheric uncertainty – infinite number of members with perfect perturbations.
- Computational expense limits number of members for high resolution ensembles
- Neighbourhood methods can be used to "fill in the gaps" and create a super ensemble.
 - Assume all pixels in 3x3 neighborhood surrounding a grid square are equally likely – if the event occurs in 5 of these pixels, the probability at the central grid square is $5/9$
 - If we then have 14 members, a 3x3 neighborhood would effectively result in 126 members.

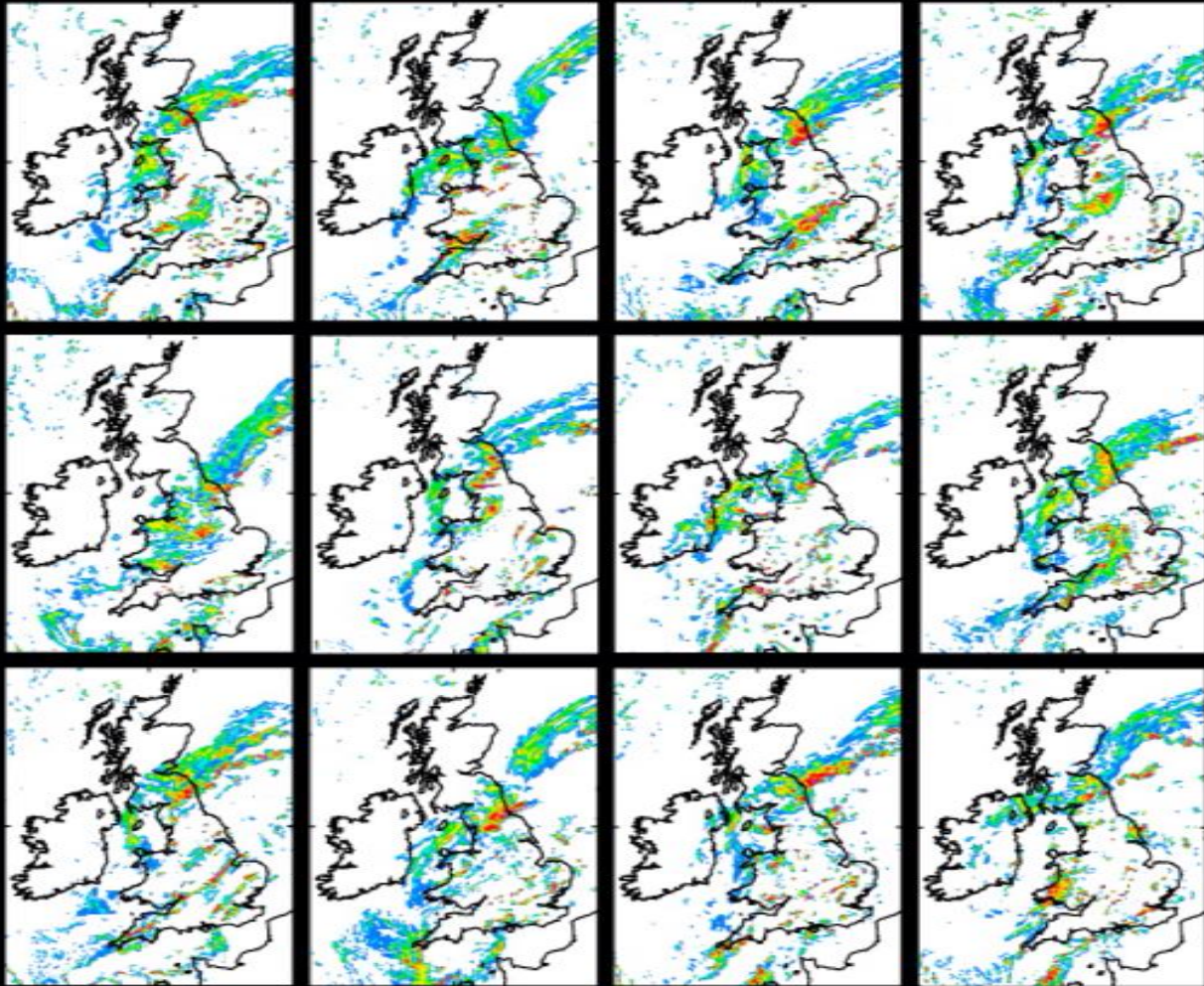
Met Office



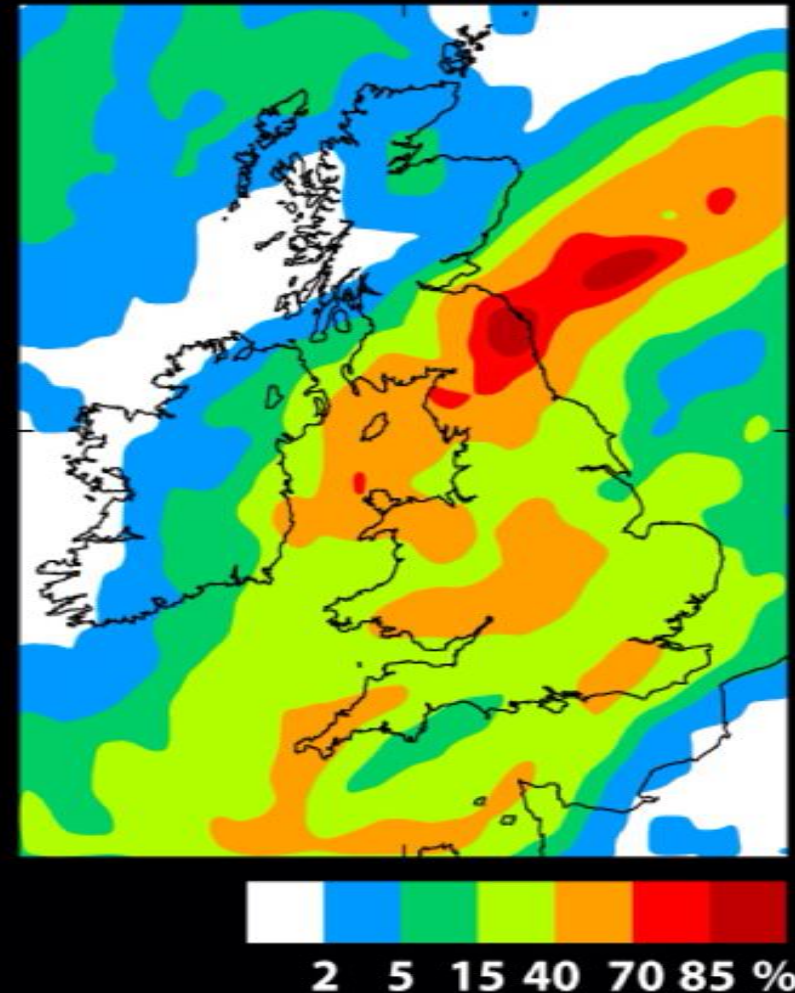
*Insufficient ensemble size
leaves gaps*



Met Office



Probability of rain in period around the time of interest



How to determine neighborhood size?

1. Fixed neighbourhood size

- Based on rule of thumb (e.g. 5 grid lengths)
- Based on spatial verification (e.g. FSS) over a training period

BUT

- May penalise forecasts with good predictability
- Neighbourhood may be too small when predictability is low

How to determine neighborhood size?

2. Adaptive neighbourhood size

- Based on spatial scales of predictability

$$\mathit{Var}\left(\sum_{i=1}^N X_i\right) = \sum_{i=1}^N \mathit{Var}(X_i) + \sum_{i \neq j} \mathit{Cov}(X_i, X_j)$$

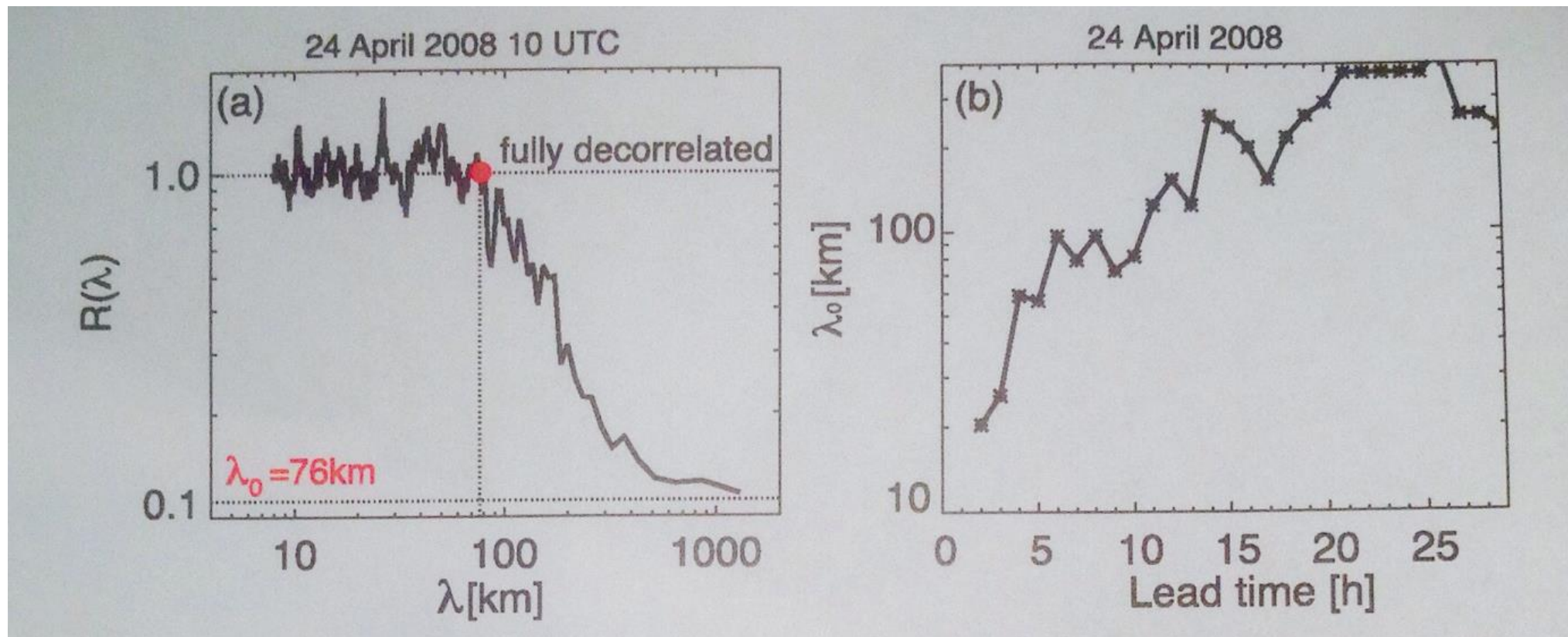
$$\frac{\sum_{i=1}^N \mathit{Var}(X_i)}{\mathit{Var}\left(\sum_{i=1}^N X_i\right)} = 1$$

$$R(\lambda) = \frac{\sum_{i=1}^N P_X(\lambda)}{P_{X_T}(\lambda)}$$

How to determine neighborhood size?

2. Adaptive neighbourhood size

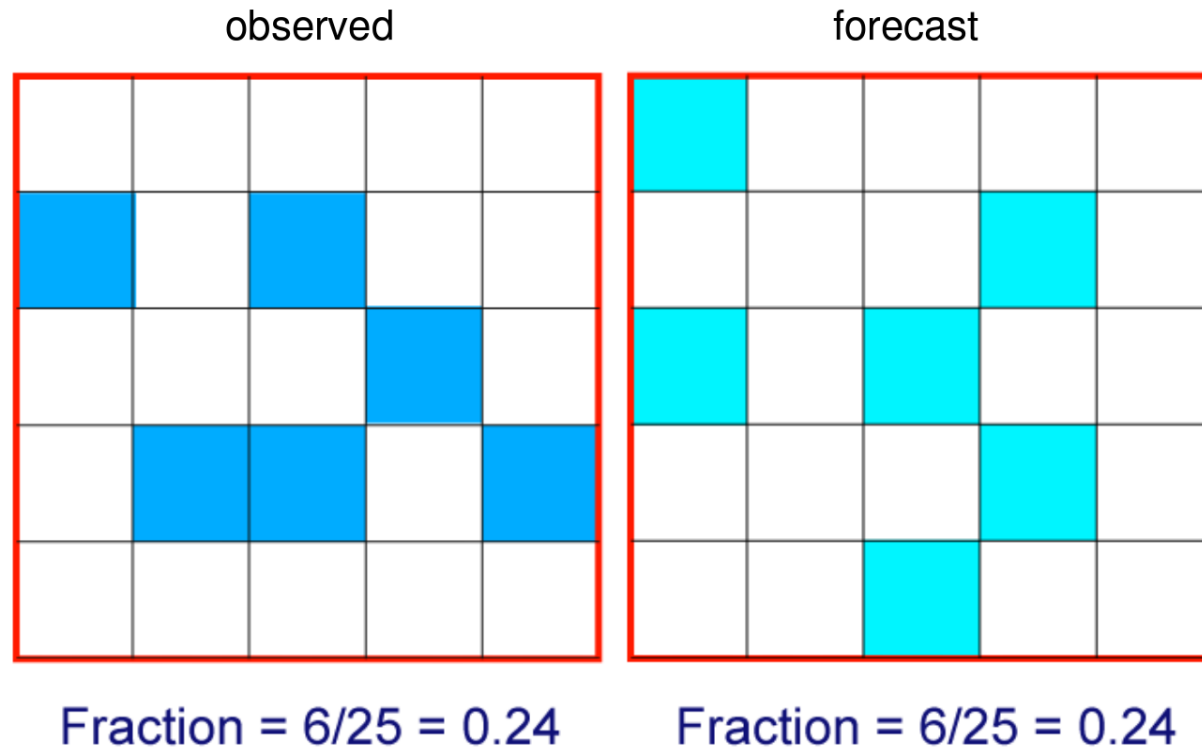
- Based on spatial scales of predictability



How to determine neighborhood size?

2. Adaptive neighbourhood size

- Based on fractions skill score (FSS) between members



How to determine neighborhood size?

2. Adaptive neighbourhood size

- Based on fractions skill score (FSS) between members

Mean square error for the fractions – variation on the Brier score

$$\begin{array}{l} \text{FBS} \\ \text{(Fractions Brier Score)} \end{array} = \frac{1}{N} \sum_{j=1}^N (p_j - o_j)^2$$

$0 \leq p_j \leq 1$ forecast fractions
 $0 \leq o_j \leq 1$ radar fractions
N number of points

Skill score for fractions/probabilities - Fractions Skill Score (FSS)

$$\text{FSS} = 1 - \frac{\text{FBS}}{\frac{1}{N} \left[\sum_{j=1}^N (p_j)^2 + \sum_{j=1}^N (o_j)^2 \right]}$$

How to determine neighborhood size?

2. Adaptive neighbourhood size

- Based on fractions skill score (FSS) between members

For each lead time and threshold:

1. Compute FSS for each member against all other members
2. Compute FSS_{uniform} for each member
3. Spatial scale at which $FSS > FSS_{\text{uniform}}$ is spatial scale for member pair
4. Mean of spatial scales for all member pairs is neighbourhood size (don't use maximum as gives too much weight to outliers).

Probabilistic forecasts

=

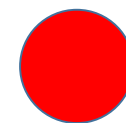
Better decisions, right?

Maybe not!!!!

Björn



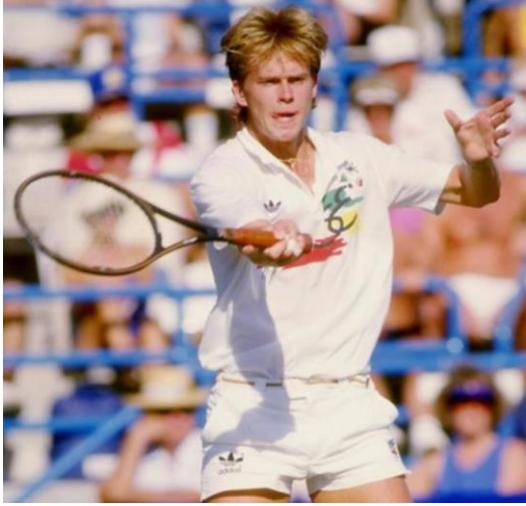
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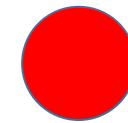
Borgköping



Stefan

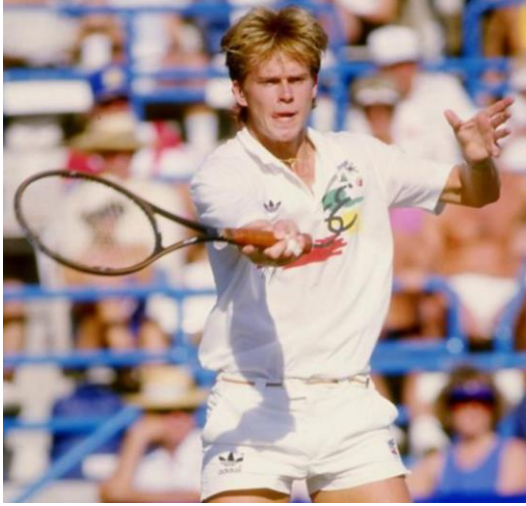


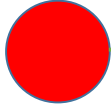
Björn



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Edberg

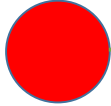
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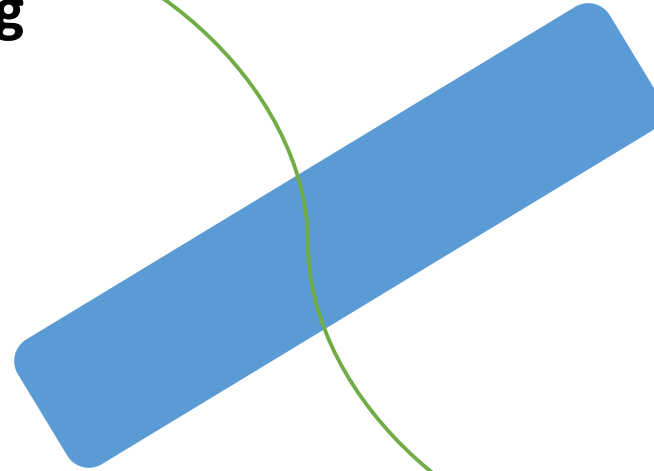

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 Snow




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Stefan



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Mats

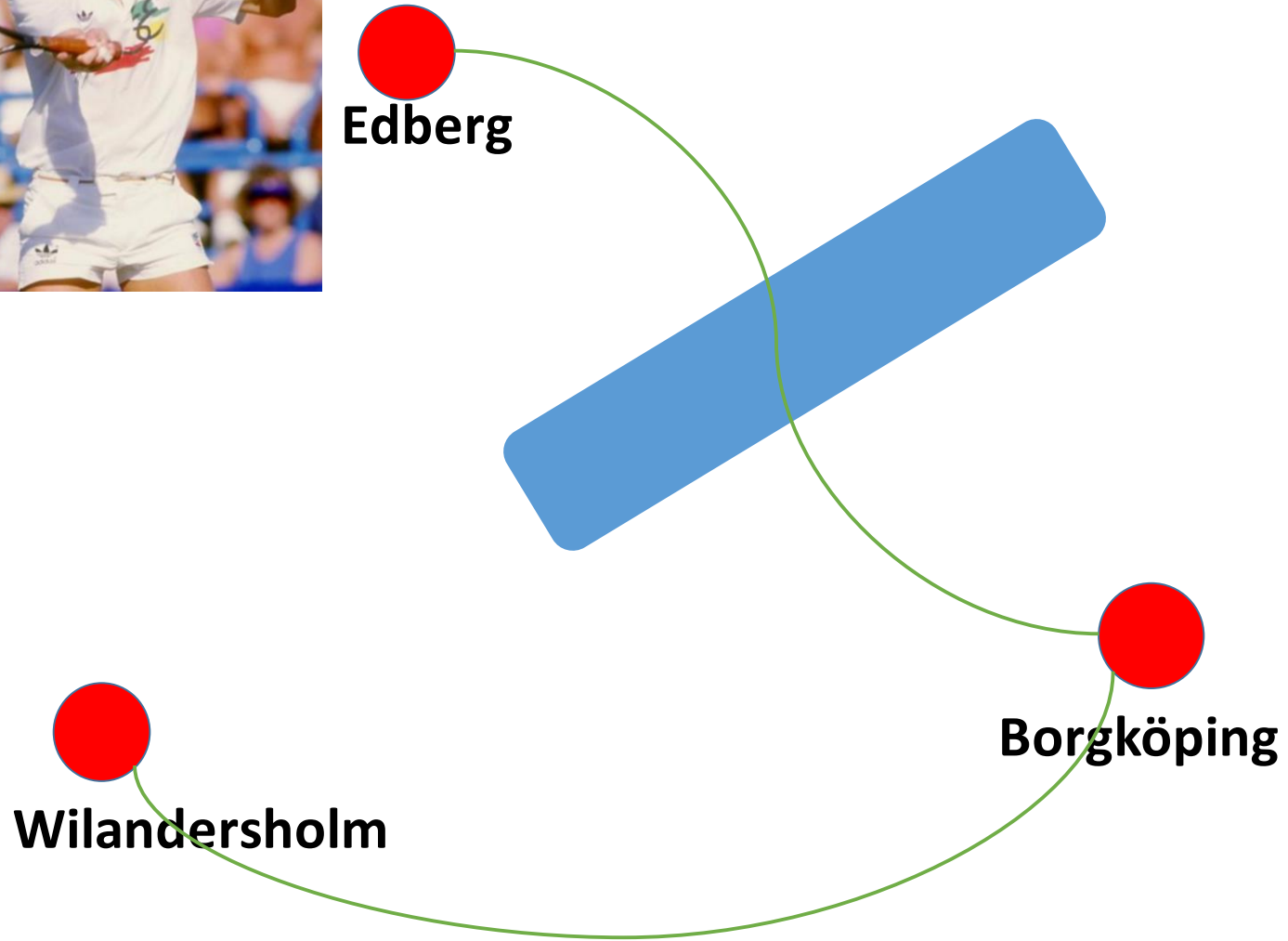


Wilandersholm

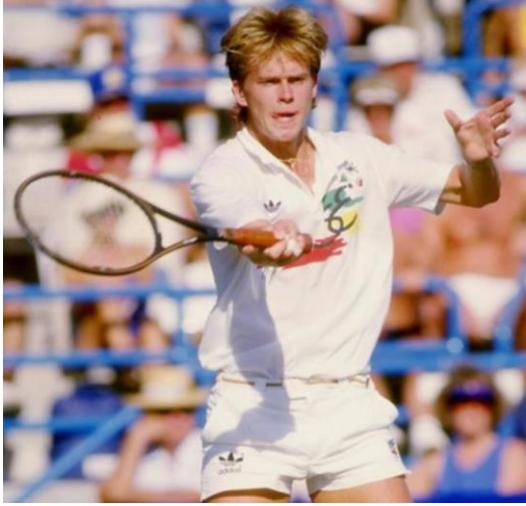
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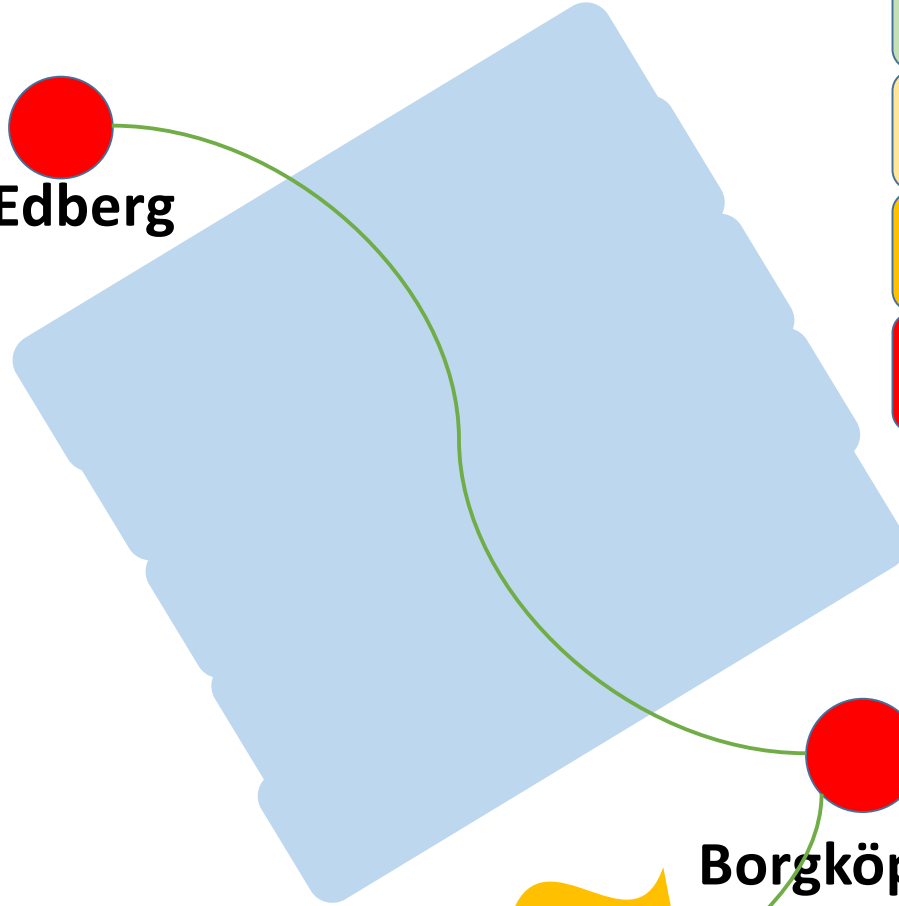
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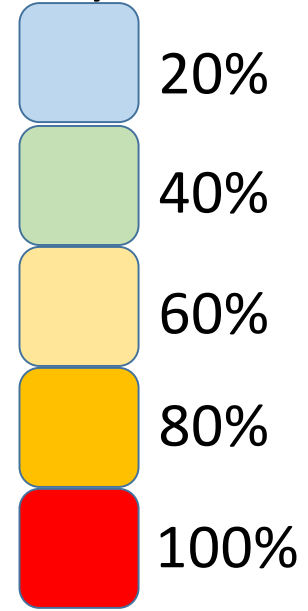
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Probability of snow



Björn

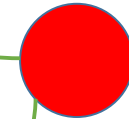
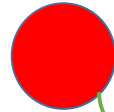


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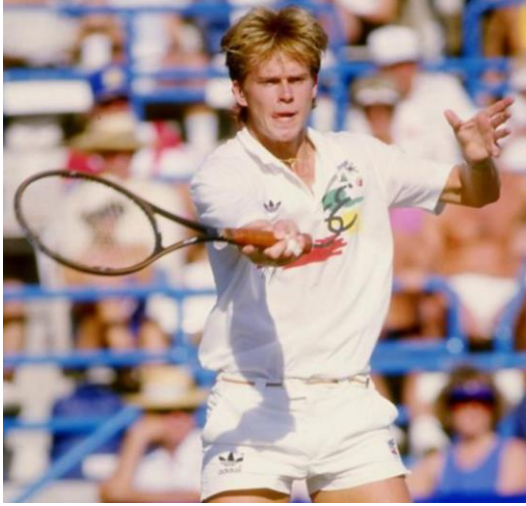
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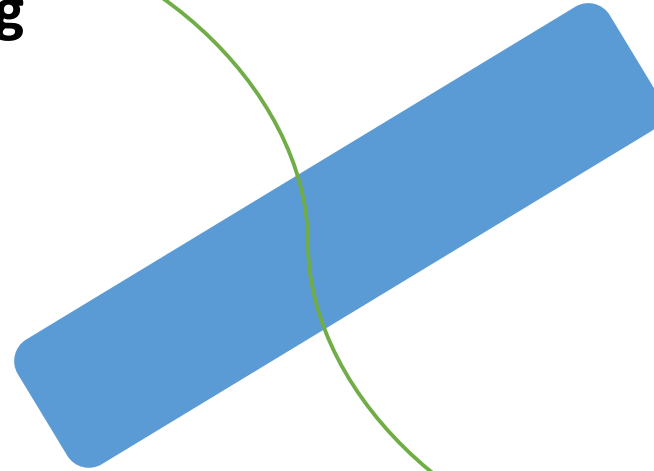


Member 0

Mats



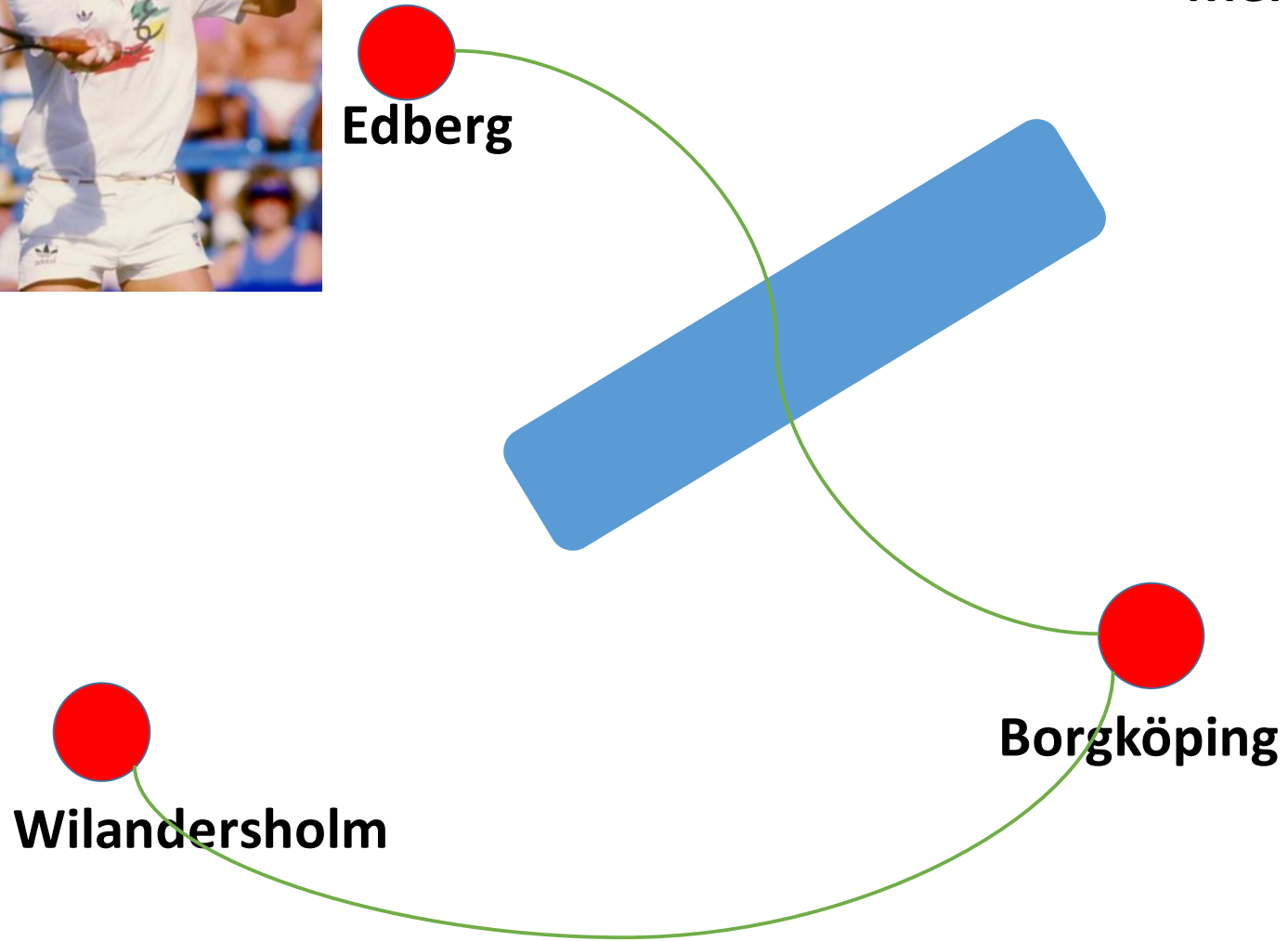
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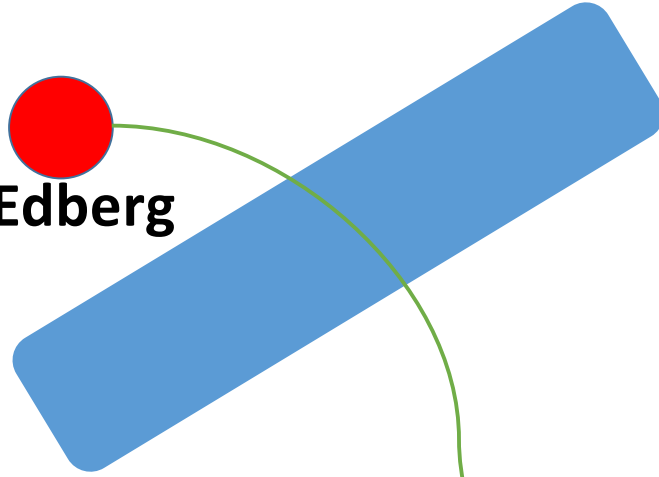
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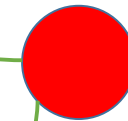
Member 1



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Member 2

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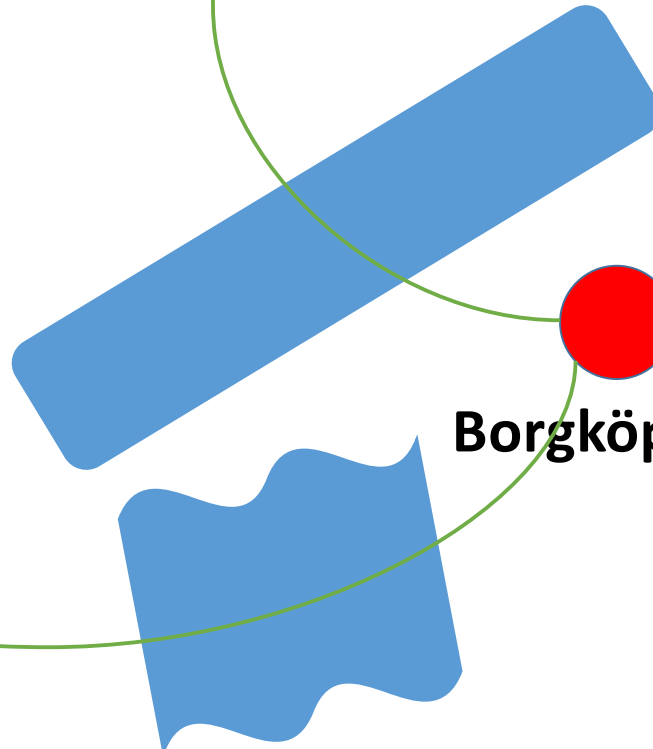


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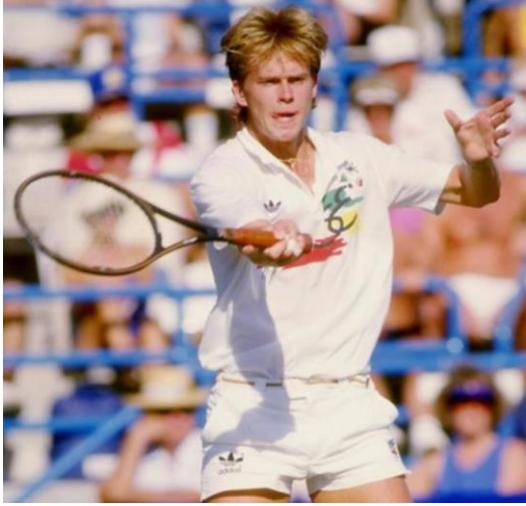
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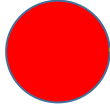
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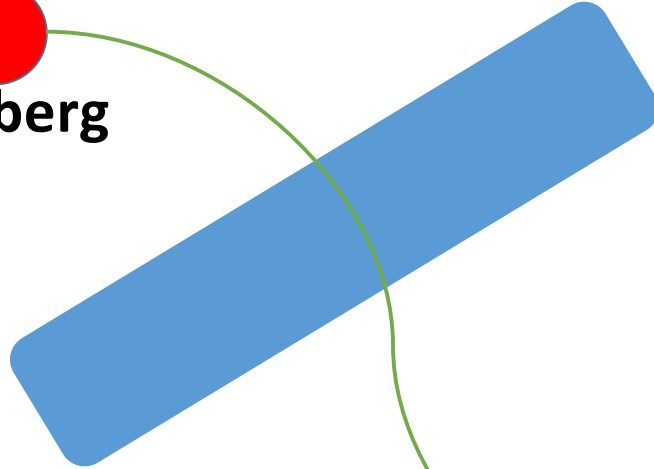


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Member 3

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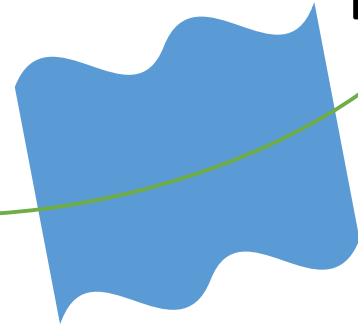


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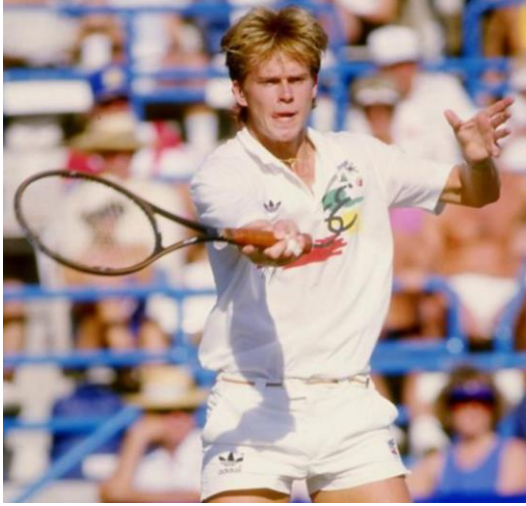


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Member 4

Björn



Borgköping

Wilandersholm

Mats

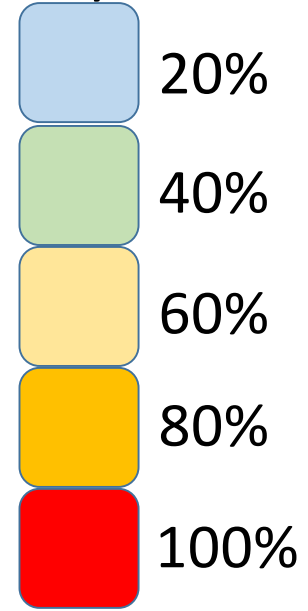


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Probability of snow



Björn

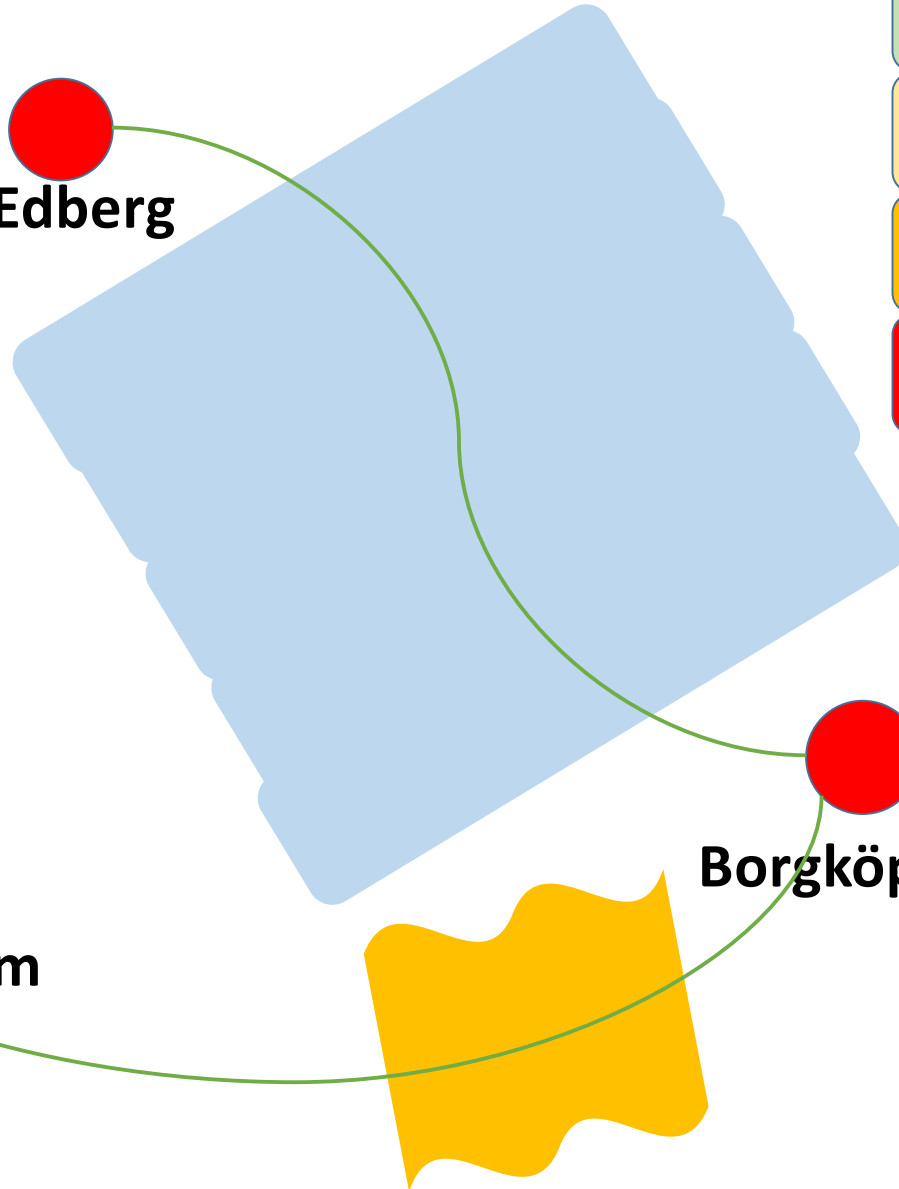


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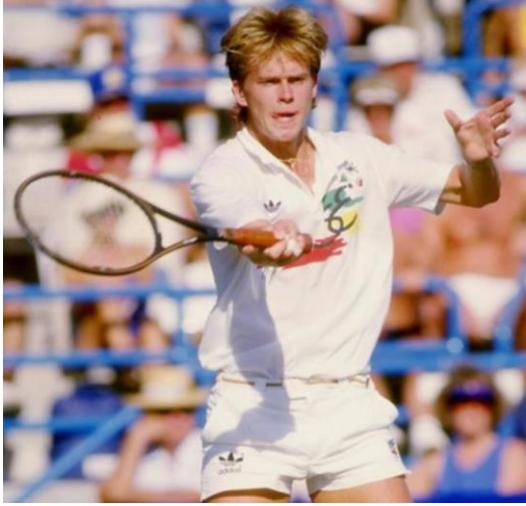


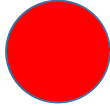
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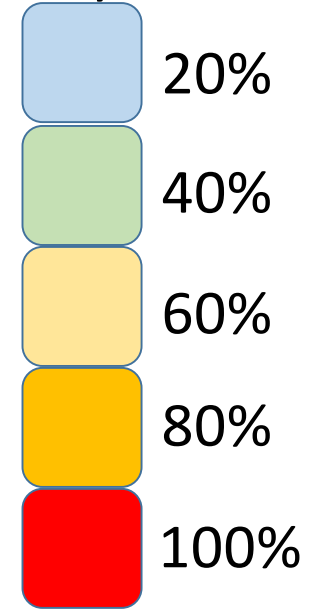


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Probability of snow



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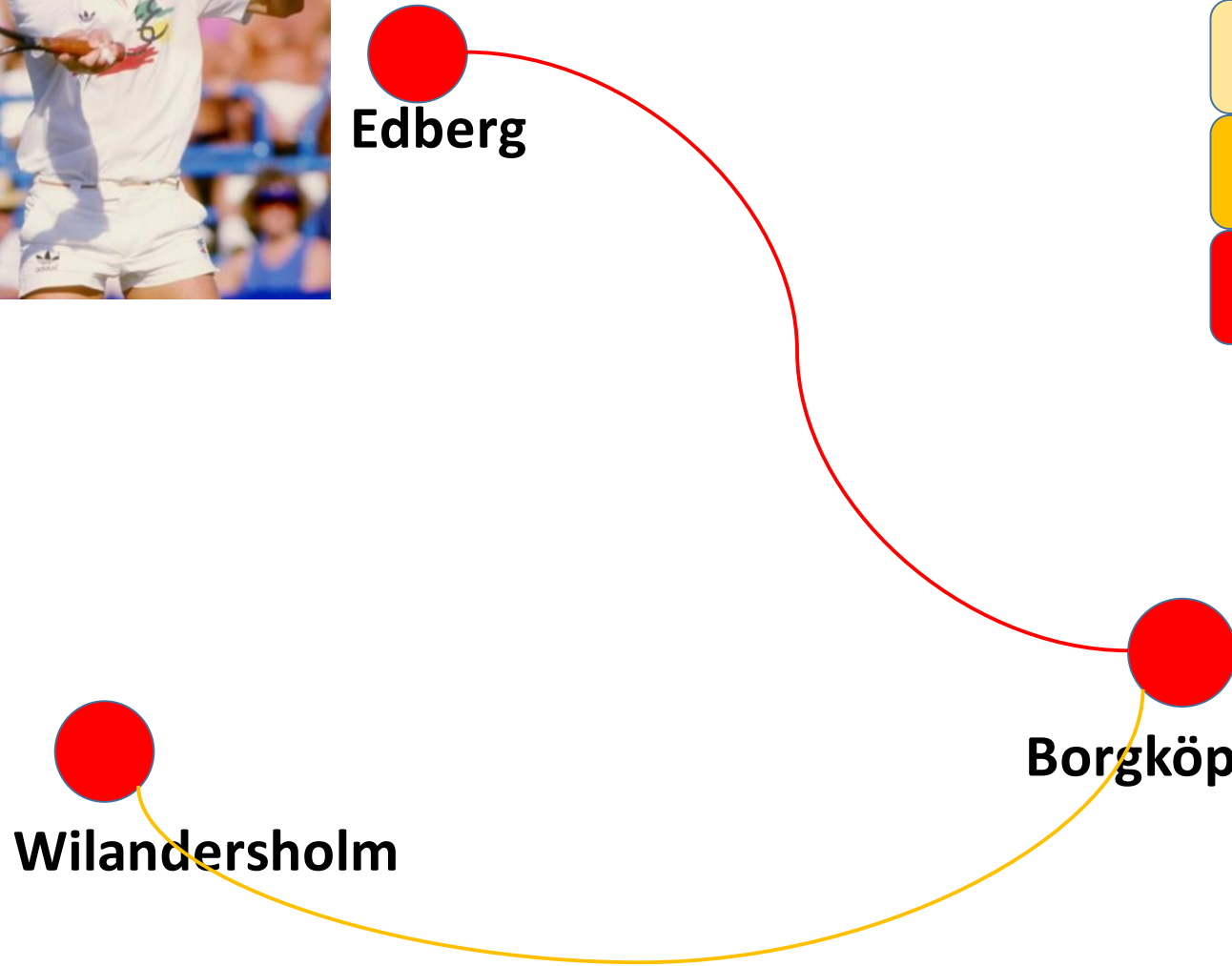


Mats



 Wilandersholm

 Borgköping



Petter



Petter





15:00

Petter



10:00





15:00



Petter



10:00

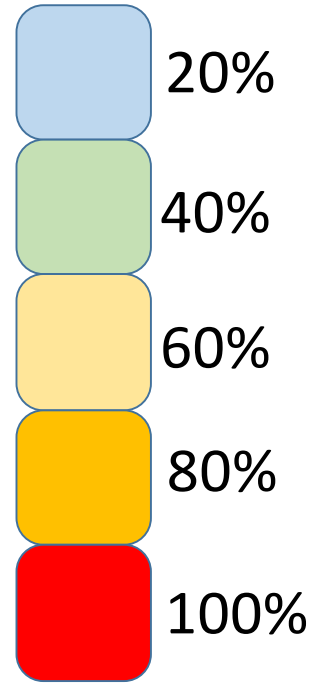


Deterministic : 12:00 – 13:00

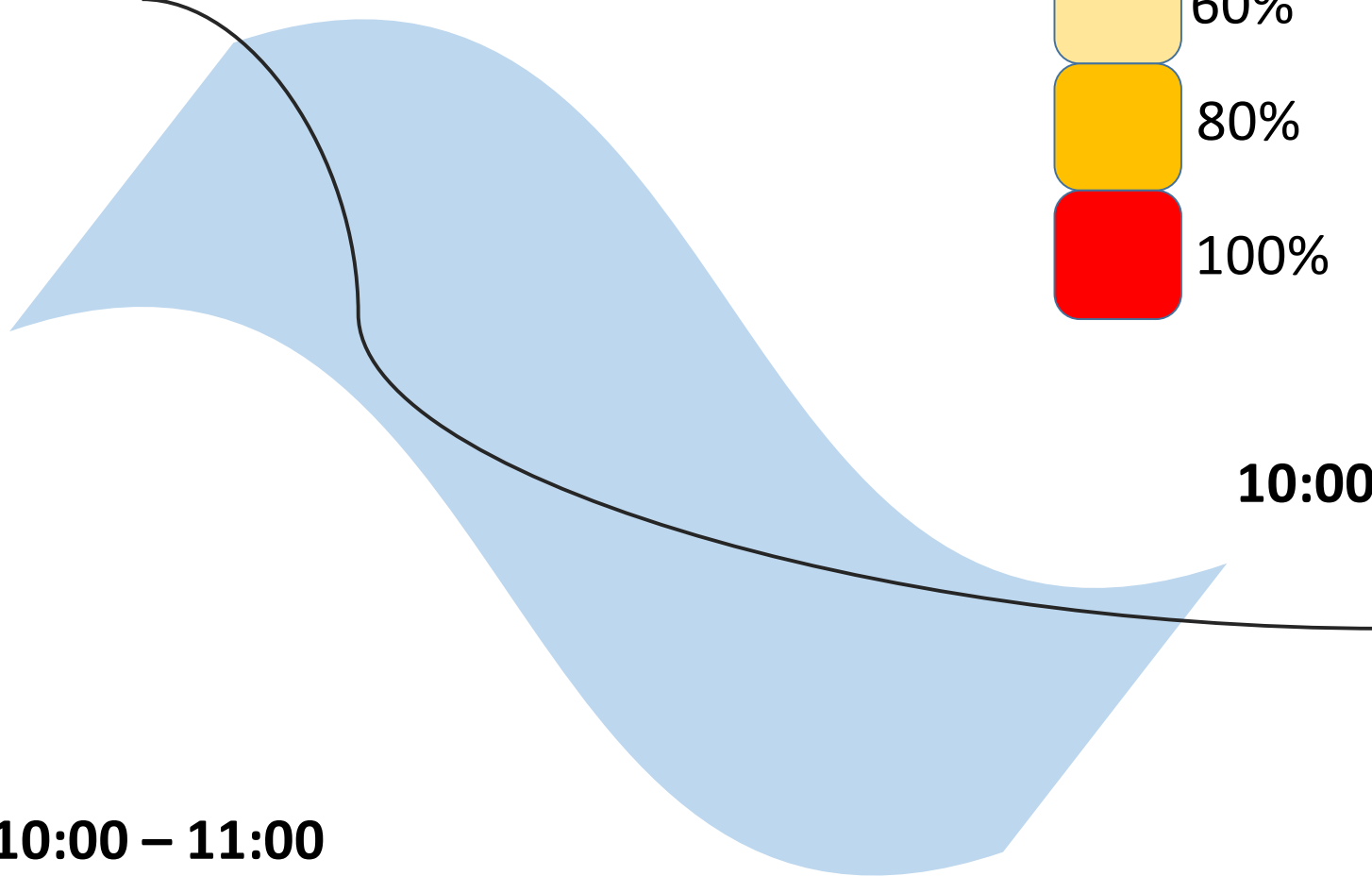


15:00

Probability of fog



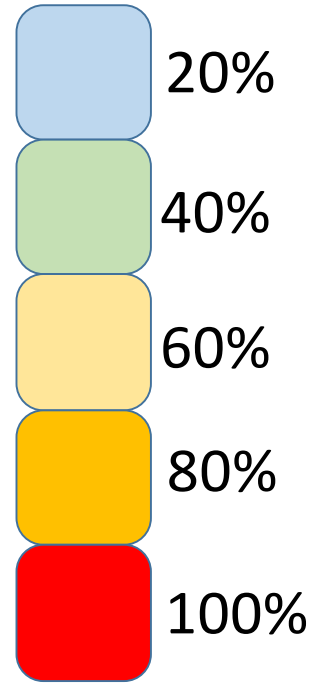
Petter



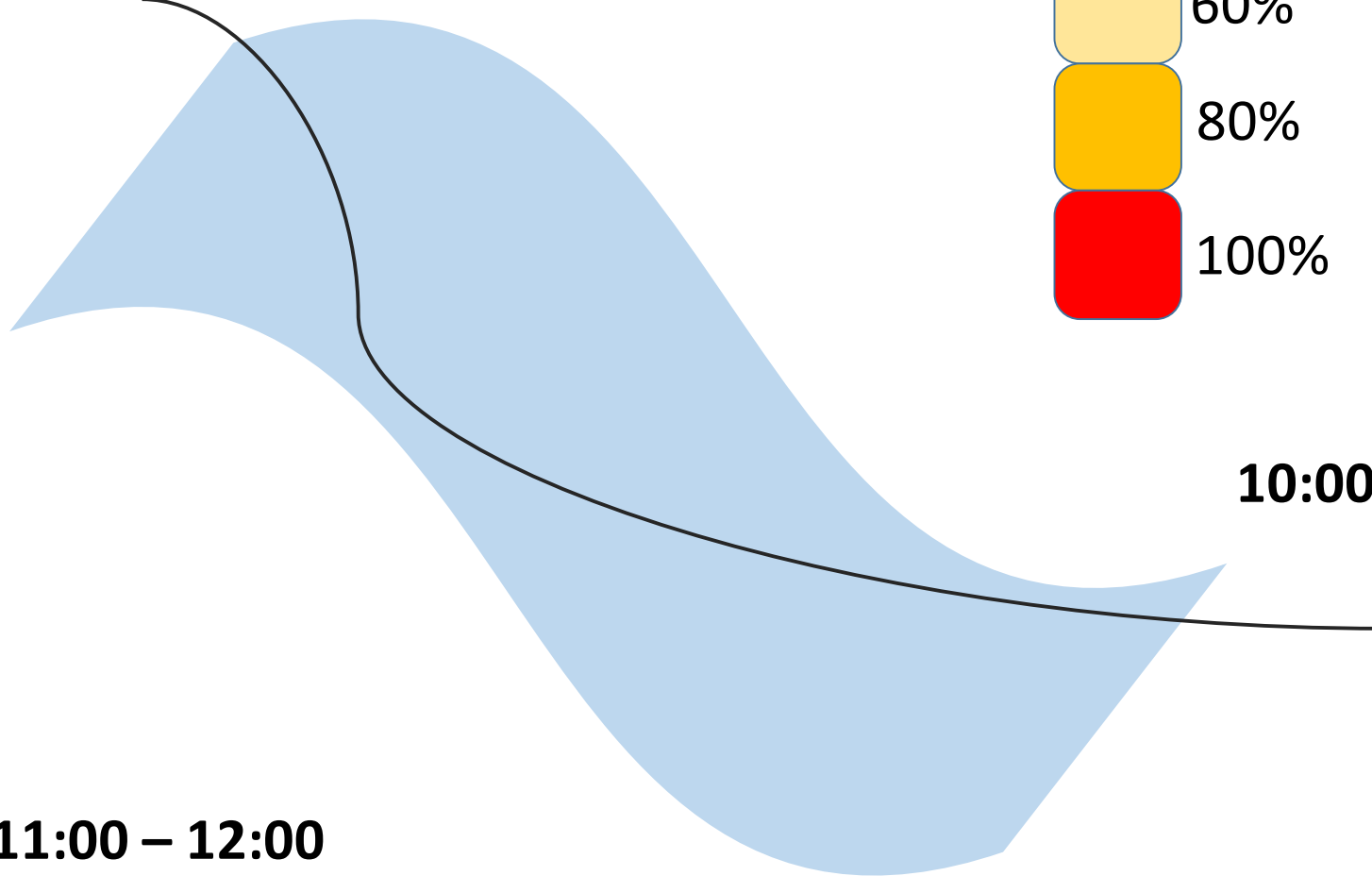


15:00

Probability of fog



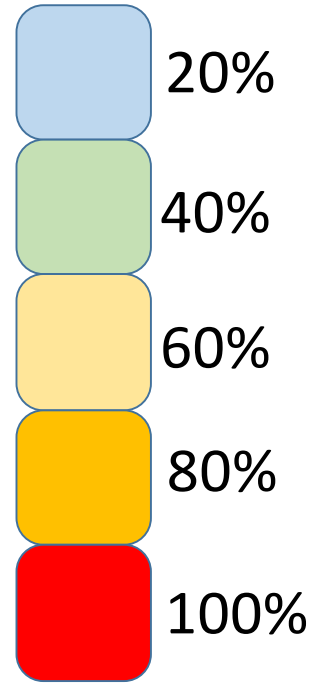
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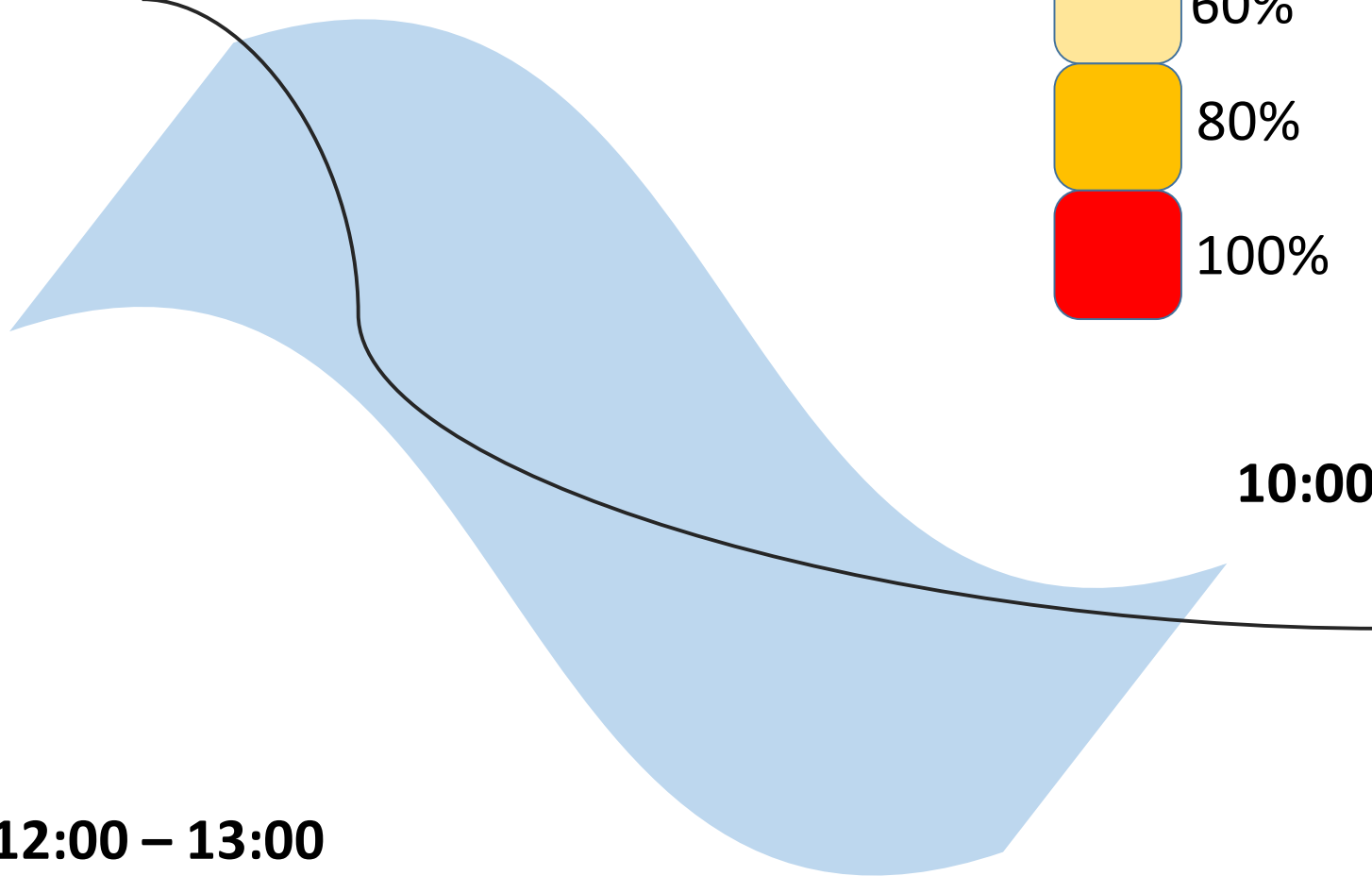


15:00

Probability of fog



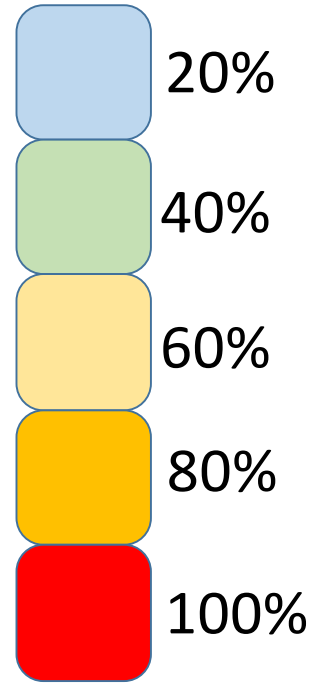
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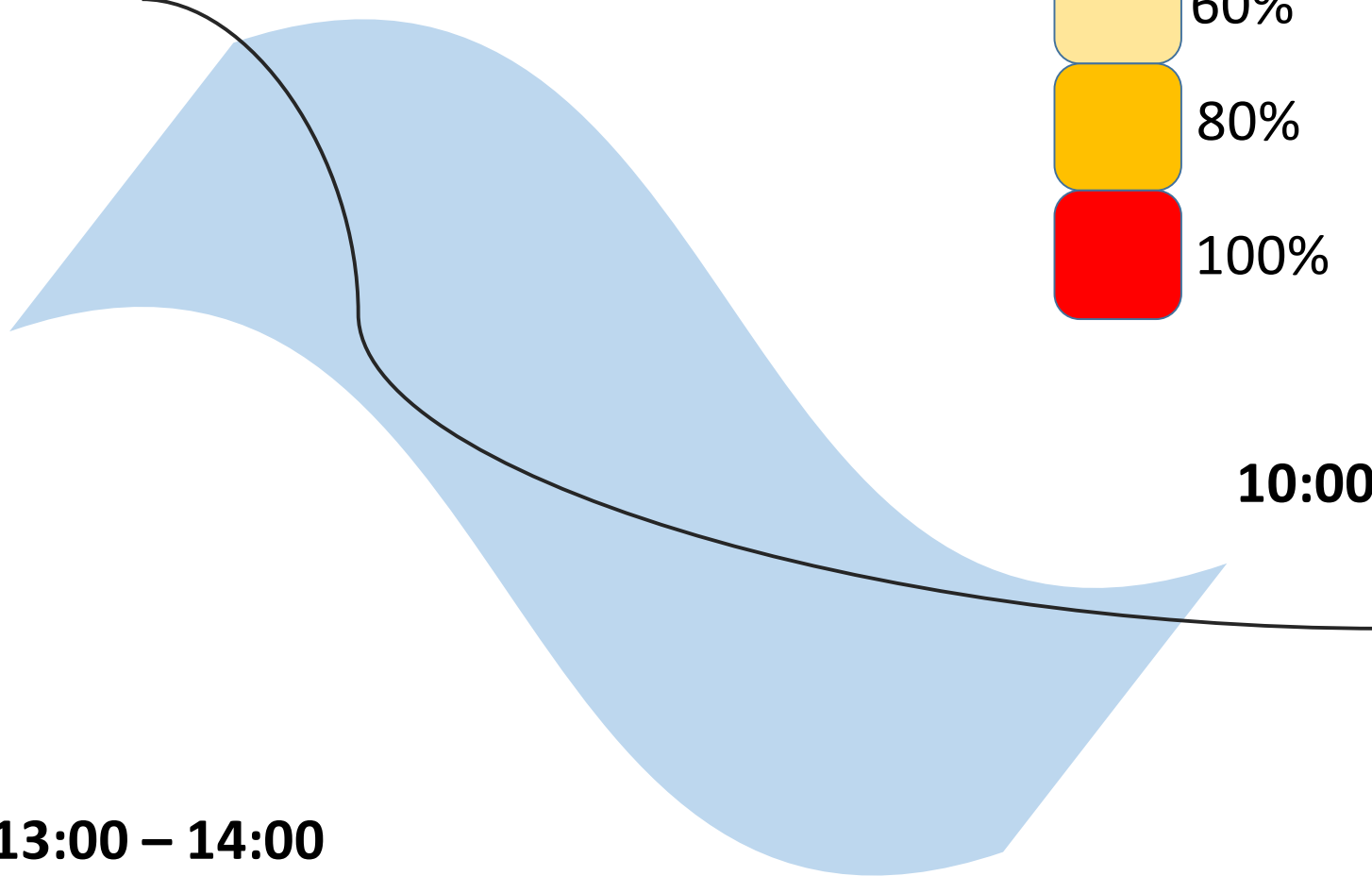


15:00

Probability of fog



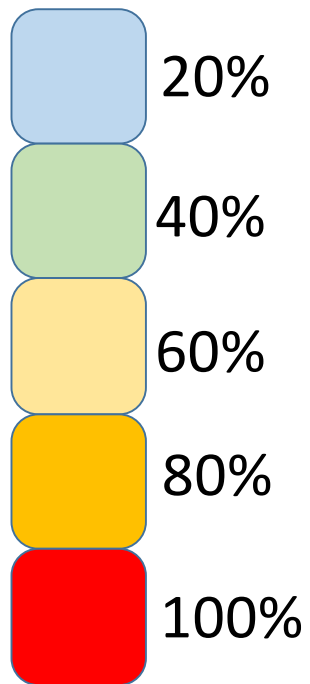
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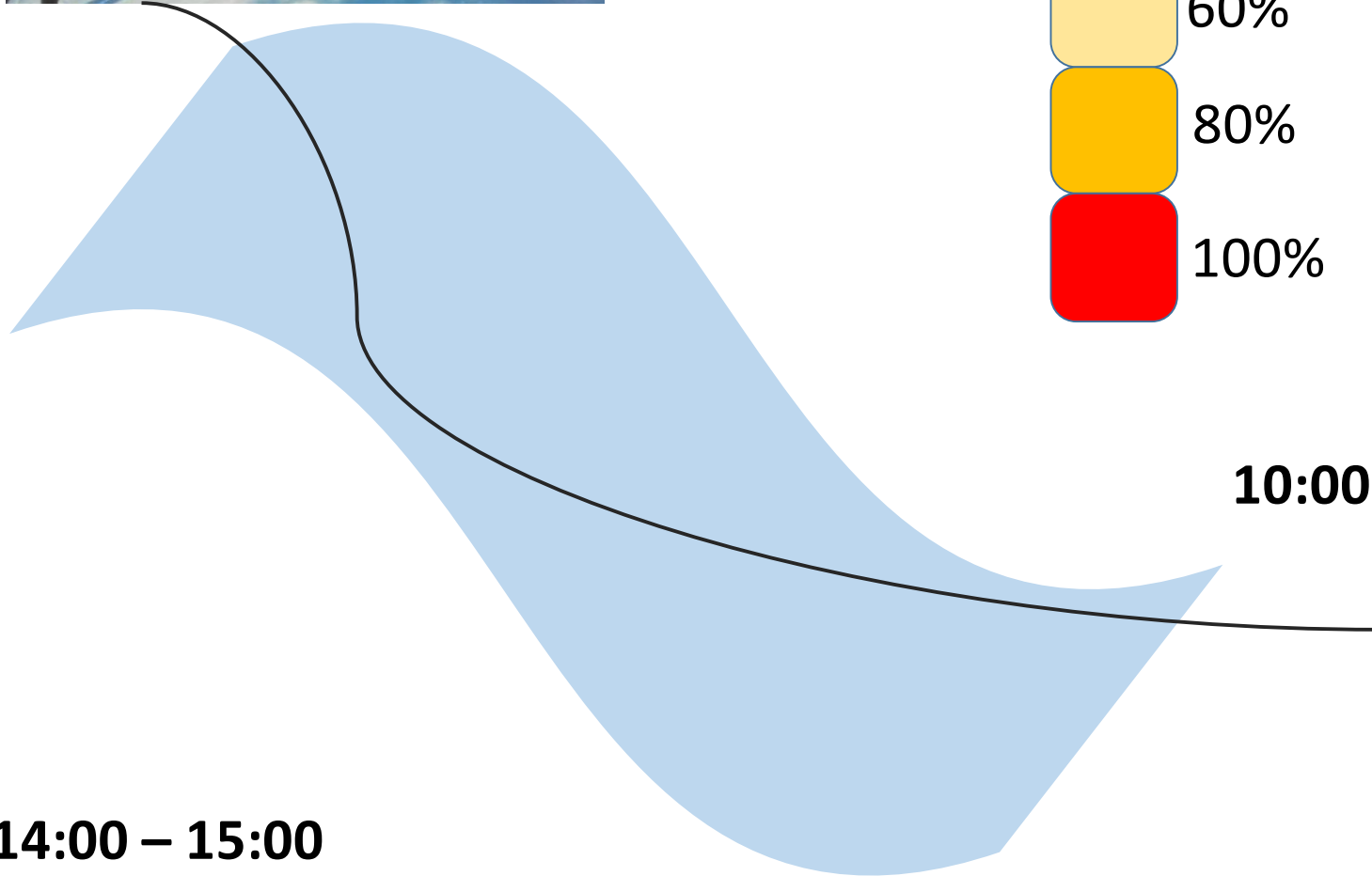


15:00

Probability of fog

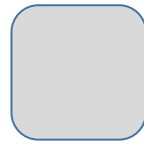


Petter



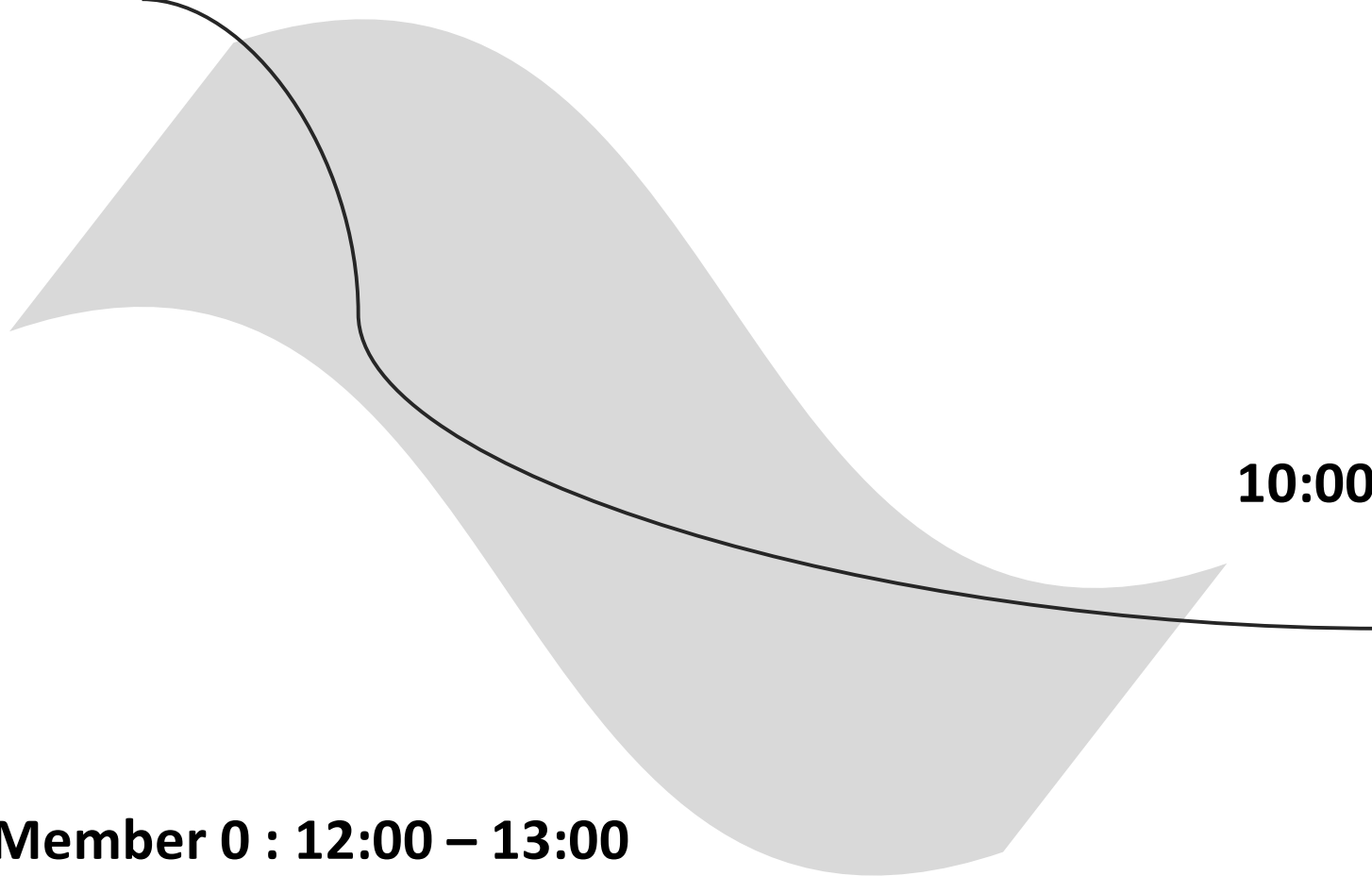


15:00



Fog

Petter



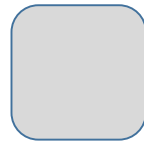
10:00



Member 0 : 12:00 – 13:00

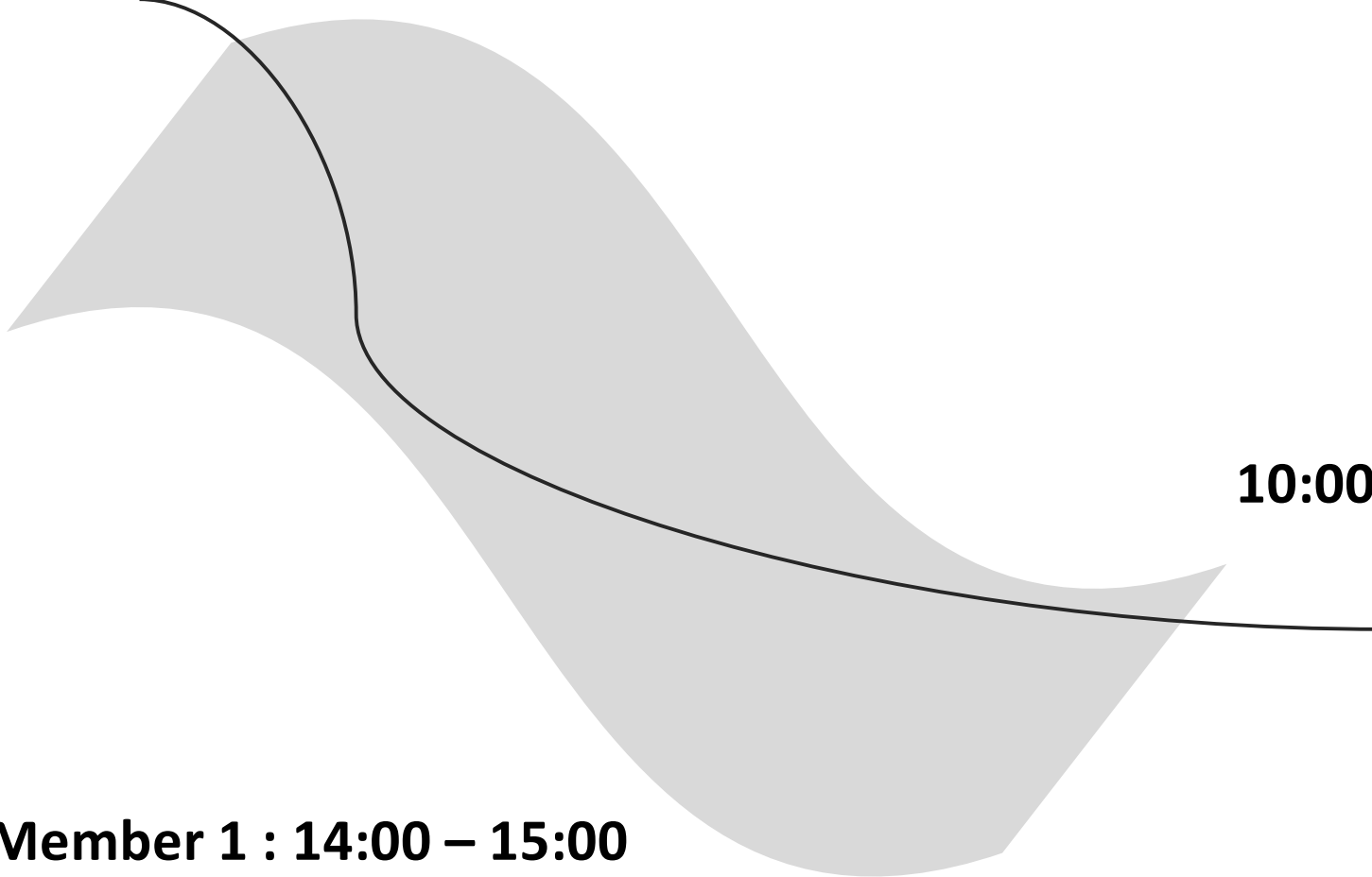


15:00



Fog

Petter



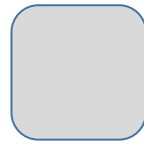
10:00



Member 1 : 14:00 – 15:00



15:00



Fog

Petter



10:00



Member 2 : 10:00 – 11:00



15:00



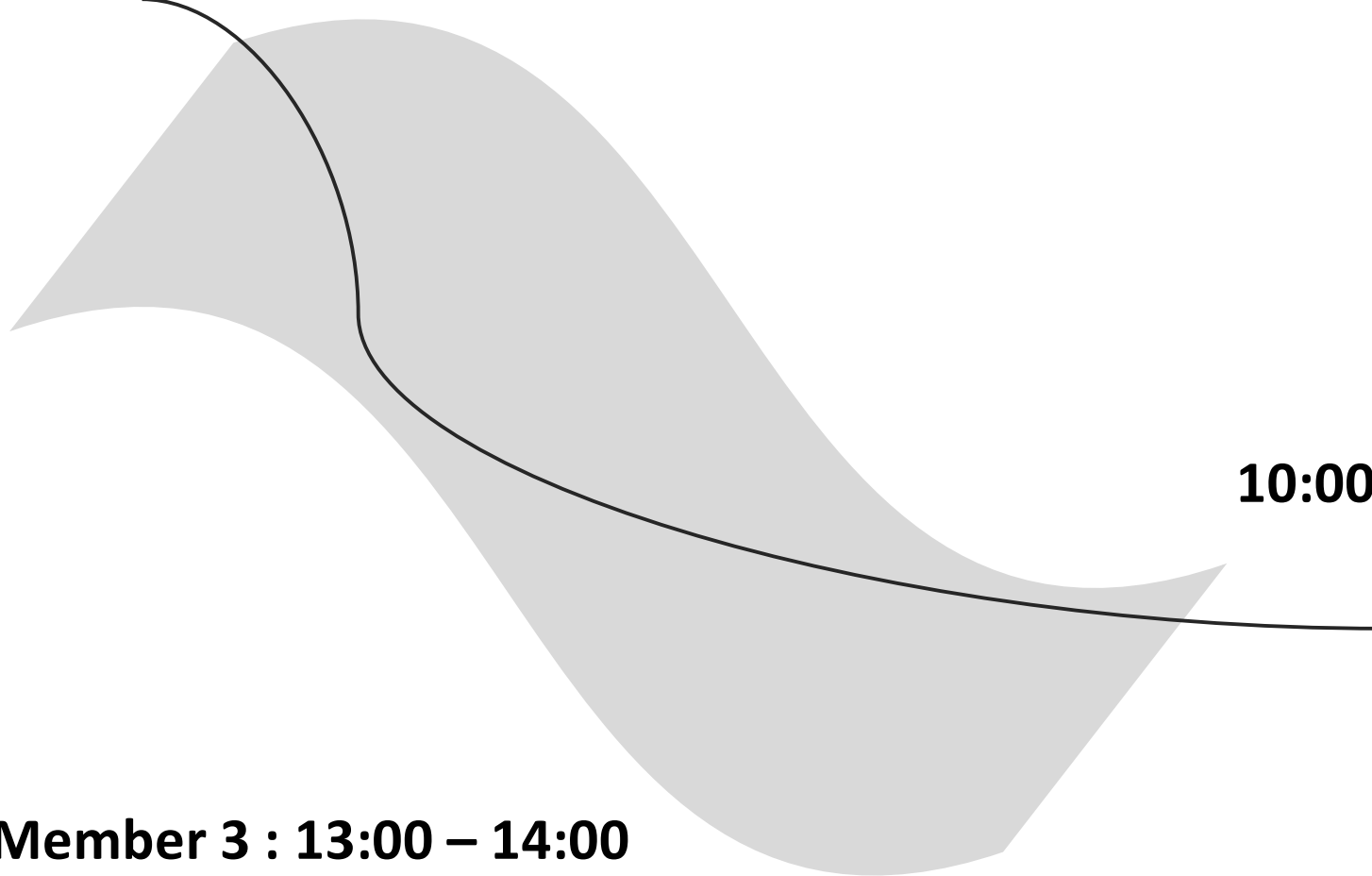
Petter



10:00

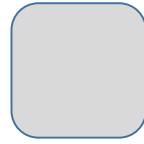


Member 3 : 13:00 – 14:00



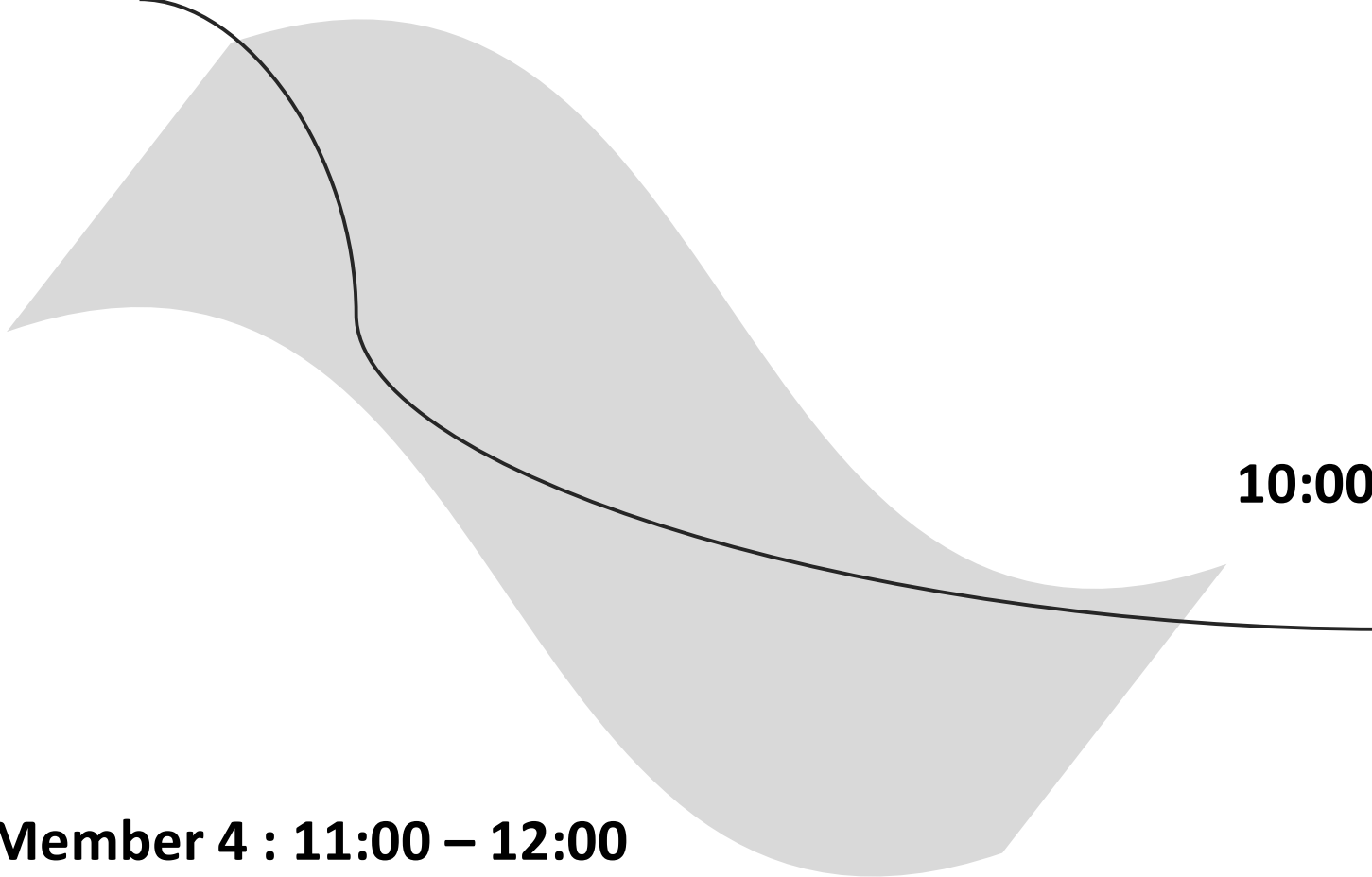


15:00



Fog

Petter



10:00

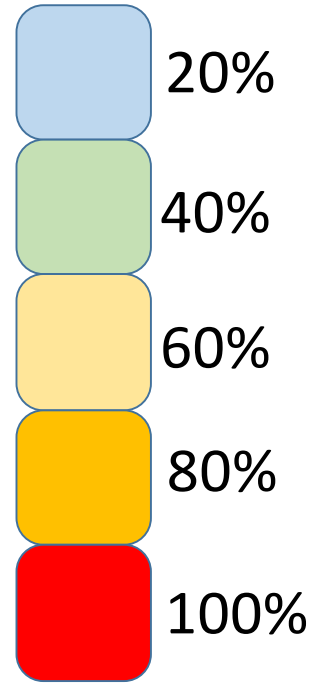


Member 4 : 11:00 – 12:00

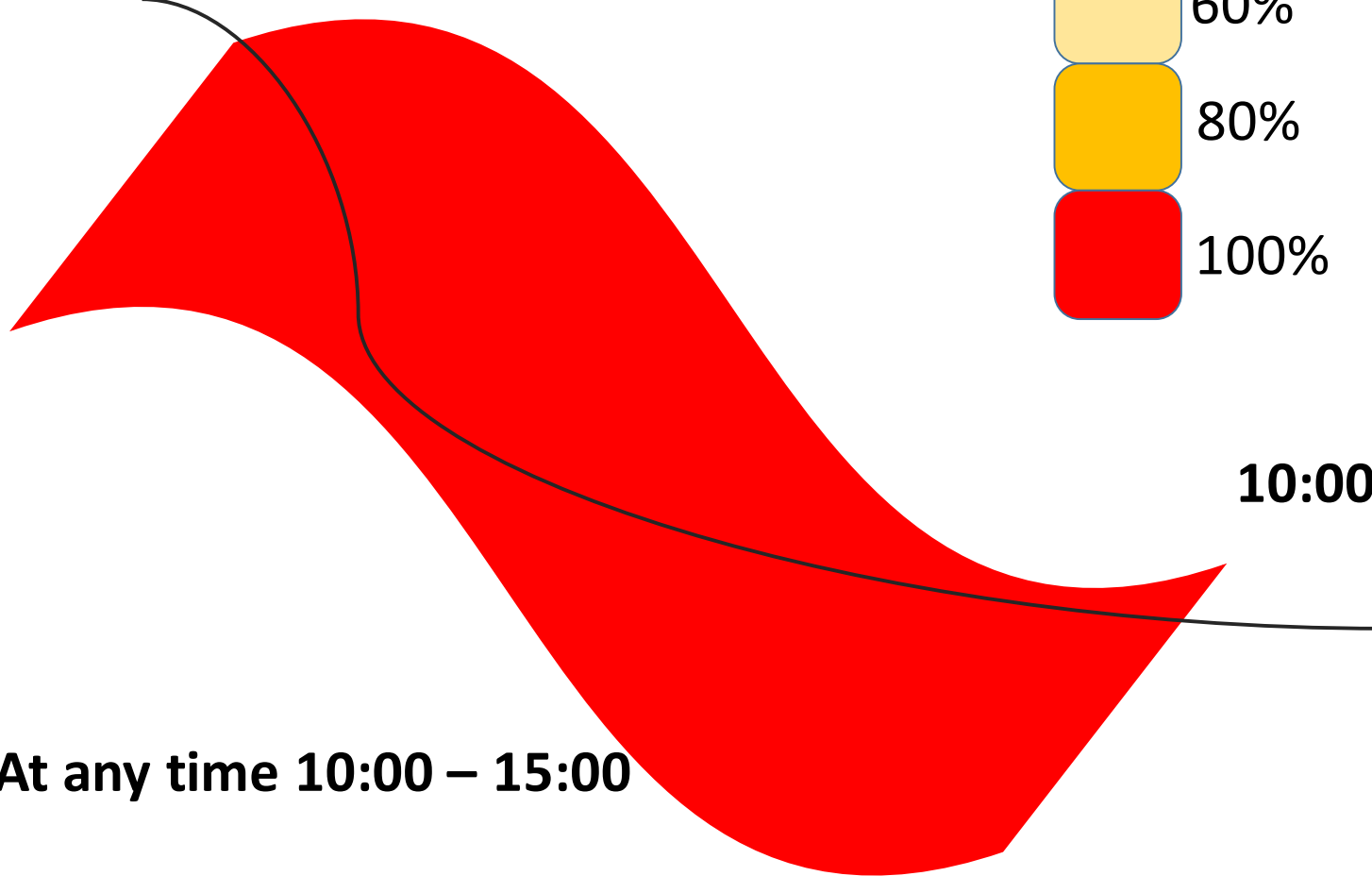


15:00

Probability of fog



Petter



10:00



Probabilistic forecasts

=

Better decisions, right?

**Only if the probability directly
refers to the decision**