

Wim de Rooy and Pier Siebesma
Royal Netherlands Meteorological Institute (KNMI)

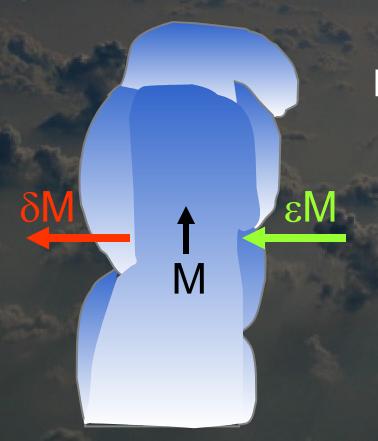
Outline

- •Basics of convection schemes
- Expressions for lateral mixing from first principles
- Validation of the expressions
- Link to practical application
- Summary/Conclusions



Convection is parameterized by a mass flux scheme

Key parameters in a mass flux scheme: ϵ and δ



Different approaches for ϵ and δ :

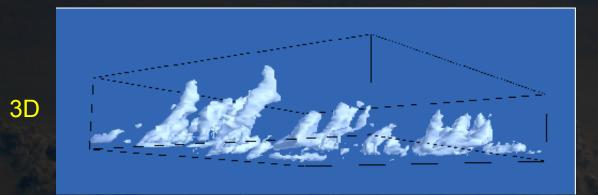
- Constant values
- •Kain Fritsch (90, 04)
- •De Rooy Siebesma (08)

We need more insight into the behavior of ϵ and δ

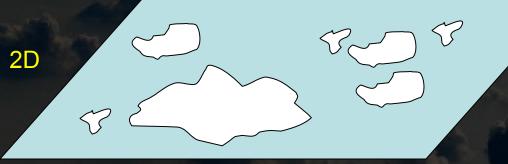
For example: Why does δ varies so much more than ε ?



Expressions for \varepsilon and \delta



$$a_c = \frac{A_c}{A} \qquad \frac{\partial a_c}{\partial z} \neq 0$$



$$\frac{-}{\varphi_c} \equiv \varphi_c \equiv \frac{1}{A_c} \iint_{\substack{cloudy\\area}} \varphi dxdy$$

Starting point:

General equations for arbitrary in-cloud fields (Siebesma 98).

continuity equation w_c equation $q_{t,c}$ equation

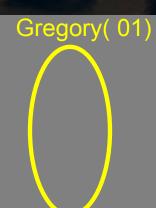
Assumptions (literature)

=>

Eliminate unknowns

q, equation can be written as:

 $\frac{\partial q_{t,c}}{\partial z} = -\left(\frac{\alpha B}{w_c^2} - \frac{1}{w_c} \frac{\partial w_c}{\partial z}\right) (q_{t,c} - q_{t,e})$



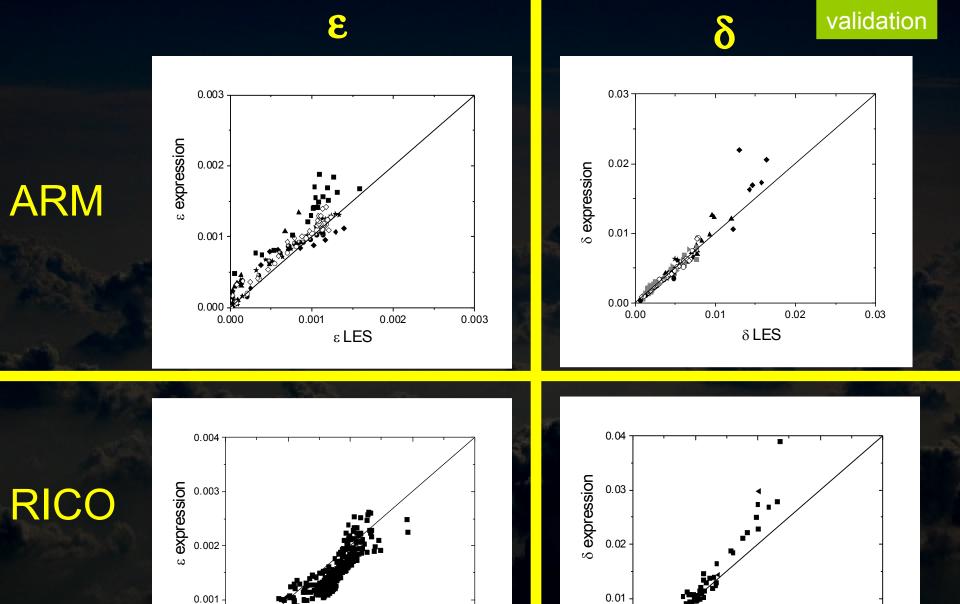
An expression for δ

$$\varepsilon_{\rm exp} = \frac{\alpha B}{w_c^2} - \frac{1}{w_c} \frac{\partial w_c}{\partial z}$$

$$\frac{\partial M}{\partial z} = (\varepsilon - \delta)M$$

$$M = a_c w_c$$

$$\delta_{\text{exp}} = \frac{\alpha B}{w_c^2} - \frac{2}{w_c^2} \frac{\partial w_c}{\partial z} - \frac{1}{a_c} \frac{\partial a_c}{\partial z}$$



0.00

0.01

0.02

 $\delta\,\text{LES}$

0.03

0.04

0.000 +

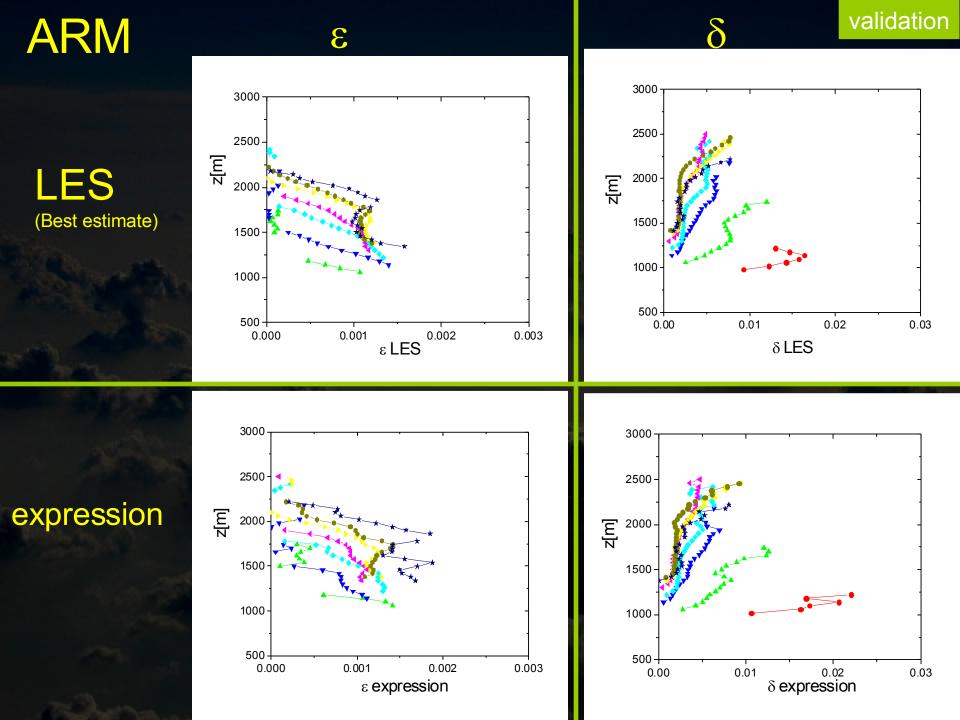
0.002

 $\epsilon\,\text{LES}$

0.003

0.004

0.001





What's the practical use of the expressions?

- Judge existing parameterizations:
- -ε according to Gregory (01) misses essential term
- -δ (with $\partial a_{cl}\partial z$) is closely linked to $\partial M/\partial z$ (via M= $a_{c}w_{c}$)
- In Harmonie and Racmo: Variation in M-profile is determined by δ (de Rooy Siebesma 08)
- Inspiration for new parameterizations

Possible refinement for ε based on theoretical expressions

Summary/Conclusions

- •Expressions from first principles and with a minimum of assumptions (e.g. no constant area fraction)
- Good correspondence with LES diagnosed values
- •Gives insight into the behavior of ϵ and δ
- Helps to judge existing parameterizations
- Inspiration for further developments

