

Experimental and model based investigation of the links between snow bidirectional reflectance and snow microstructure



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Overview

This work presents measurements of snow bi-directional reflectance (BRDF) in cold room along with micro-computed tomography (CT) of the snow. Measurements are compared to simulations of reflectance obtained with the model of Malinka, 2014. We investigate the effects of snow microstructure treatment and uncertainties on the value of the ice refractive index on the simulations.

Measurements

BRDF set-up



Figure 1 – S1 in the spectro-goniometer. Illumination in the right arm, the left arm is reflected light measurements.

Tomography

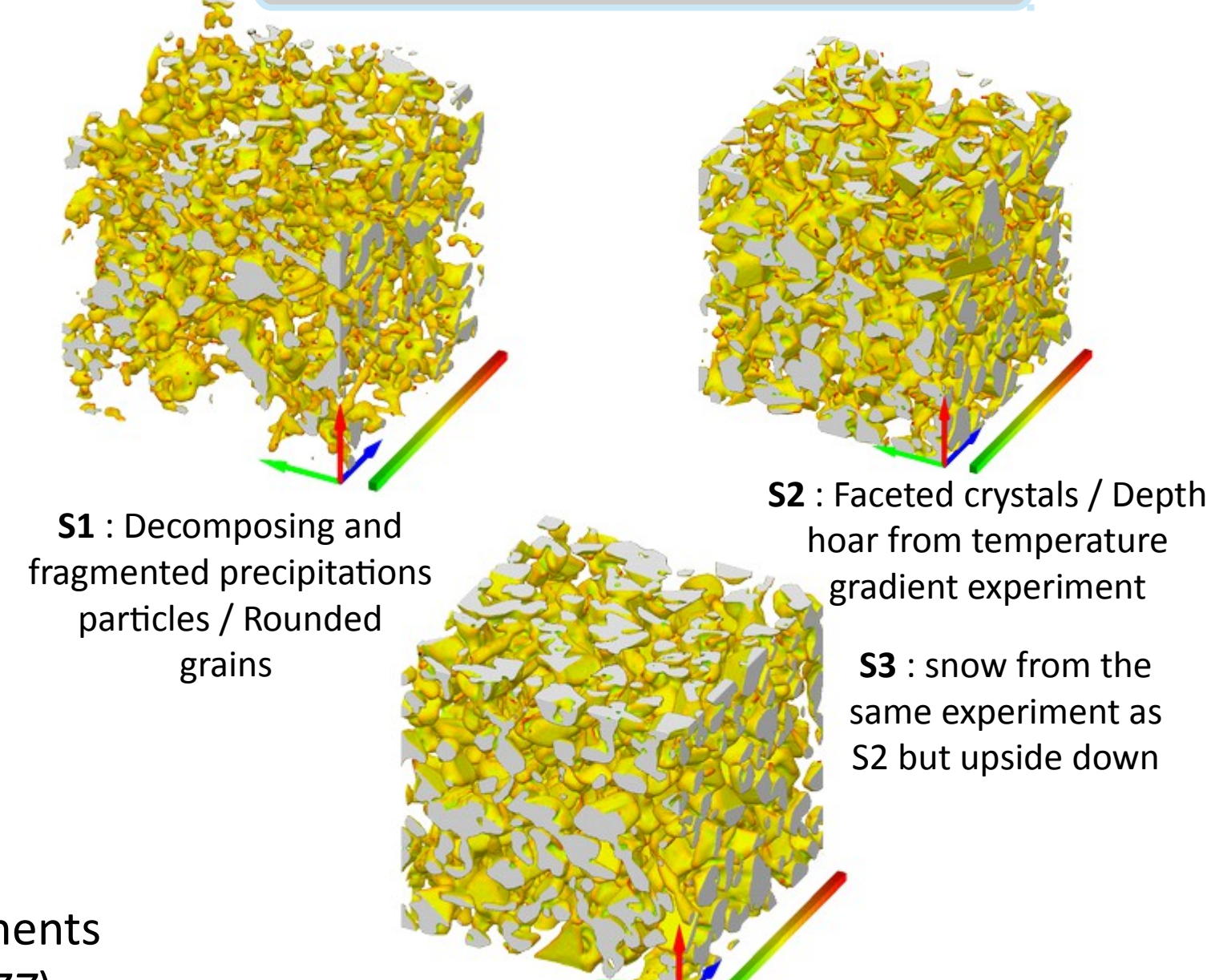


Figure 2 – Visualization of the 3 samples. The size of the cube is approximately 7 mm. The color is proportional to the curvature

FOV 2.05° → the difference between the measurements and BRDF values is negligible (Nicodemus et al., 1977)

Table 2. Geometry and spectral range of S1 optical measurements

Name	θ_i	ϕ_{view}	θ_{view}	spectral range	begin	end
2012_run1	30	180	70,60,50,45,40,30,20,10,0	1500-1520 nm	03-27 15:23	03-27 15:31
2012_run2a	30	0,30,60,90,120,150,180	0,15,30,45,60,70	700-1540 nm step 20 nm	03-27 15:59	03-28 00:20
2012_run3a	60	180	70,65,60,50,40,30,20,10,0	1280-2500 nm step 20 nm	03-28 08:48	03-28 11:55
2012_run4a	0	0,90,180	15,20,30,35,40,45,50,55,60,65,70	800, 810 nm	03-28 14:14	03-28 14:39
2012_run5a	0	0,90,180	15,20,30,35,40,45,50,55,60,65,70	1300, 1310 nm	03-28 15:13	03-28 15:38
2012_run6a	0	0,90,180	15,20,30,35,40,45,50,55,60,65,70	900-1090 nm step 10 nm	03-28 16:10	03-28 19:43
2012_run7a	30	180	70,60,50,45,40,30,20,10,0	1500, 1520 nm	03-29 08:17	03-29 08:24

Reflectance processing

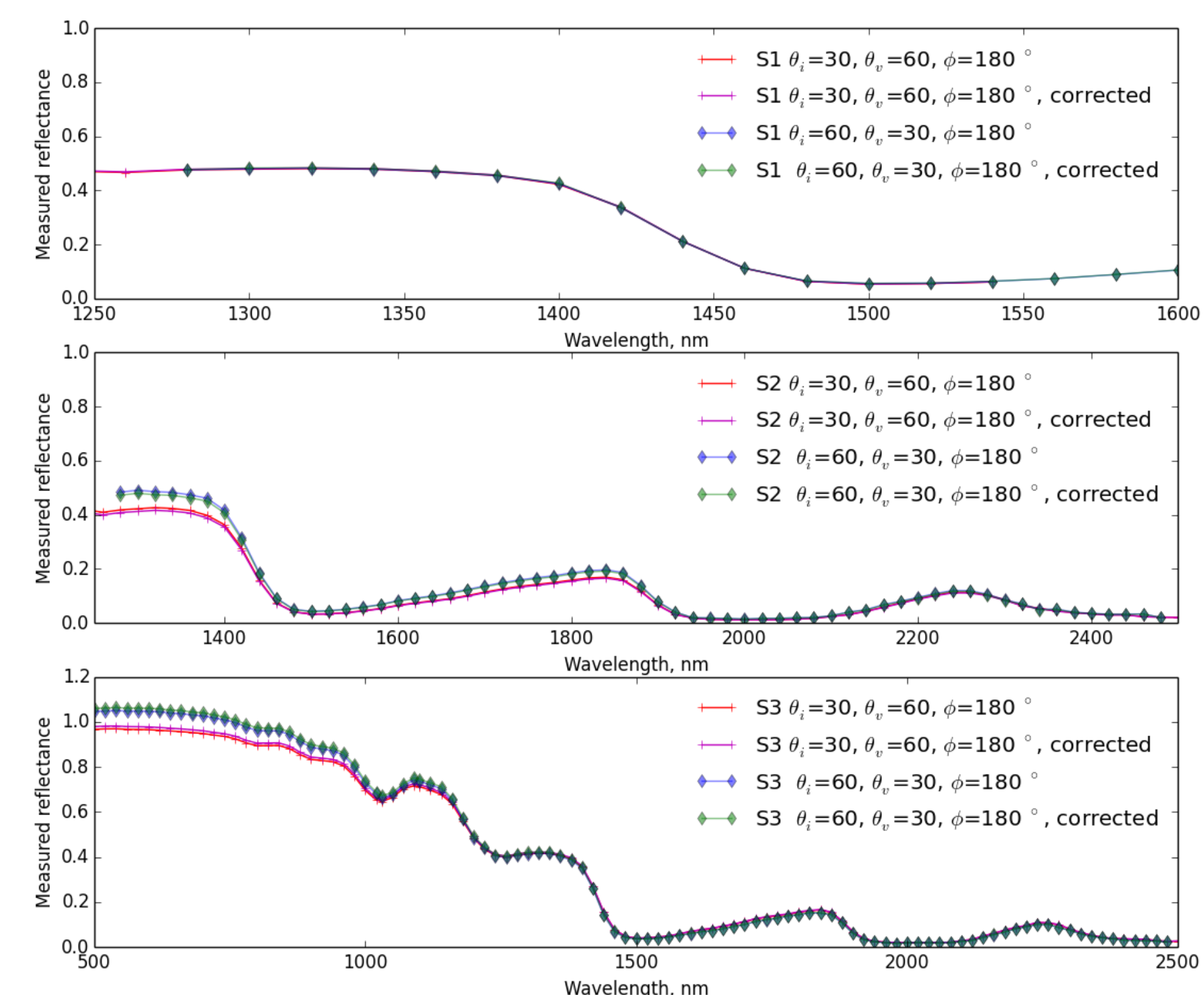


Figure 3 – Comparison of reflectance obtained for optically equivalent geometries for the 3 samples. Corrected means corrected for not perfectly horizontal surface.

References scans at the beginning and at the end of the experiments show that the reflectance slightly evolves during the experiment (small changes in SSA and sublimation)

Planarity correction was performed using the differences in reflectances obtained for nadir illumination at several azimuths (small slope angles -0.24°, -0.59° and -0.52° were estimated).

The reciprocity principle is not completely verified (see Fig. 3 on the left) due to :
 • Changes in snow during the scan.
 • Re-illumination effects at high incident zenith angle (60°).

CT image analyses

3D images were first segmented and then analyzed. Several properties, including SSA and density were estimated from the images using two methods : (i) the voxel projection method described in Flin et al. (2011) (VP) and (ii) from the chord length distributions (CLD) using equation (5) in Malinka (2014).

Figure 4 shows that:

- The agreement between SSA estimated from CLD and from Flin et al. (2011) is good but there is a small positive bias between the two for low SSA and negative bias for higher SSA ($r^2=0.994$).
- The SSA estimated from DUFFISS measurements are systematically higher than the one estimated from 3D images.
- The SSA of the samples evolves slightly during the BRDF measurements for S1 and S3. For S2, the evolution is stronger.

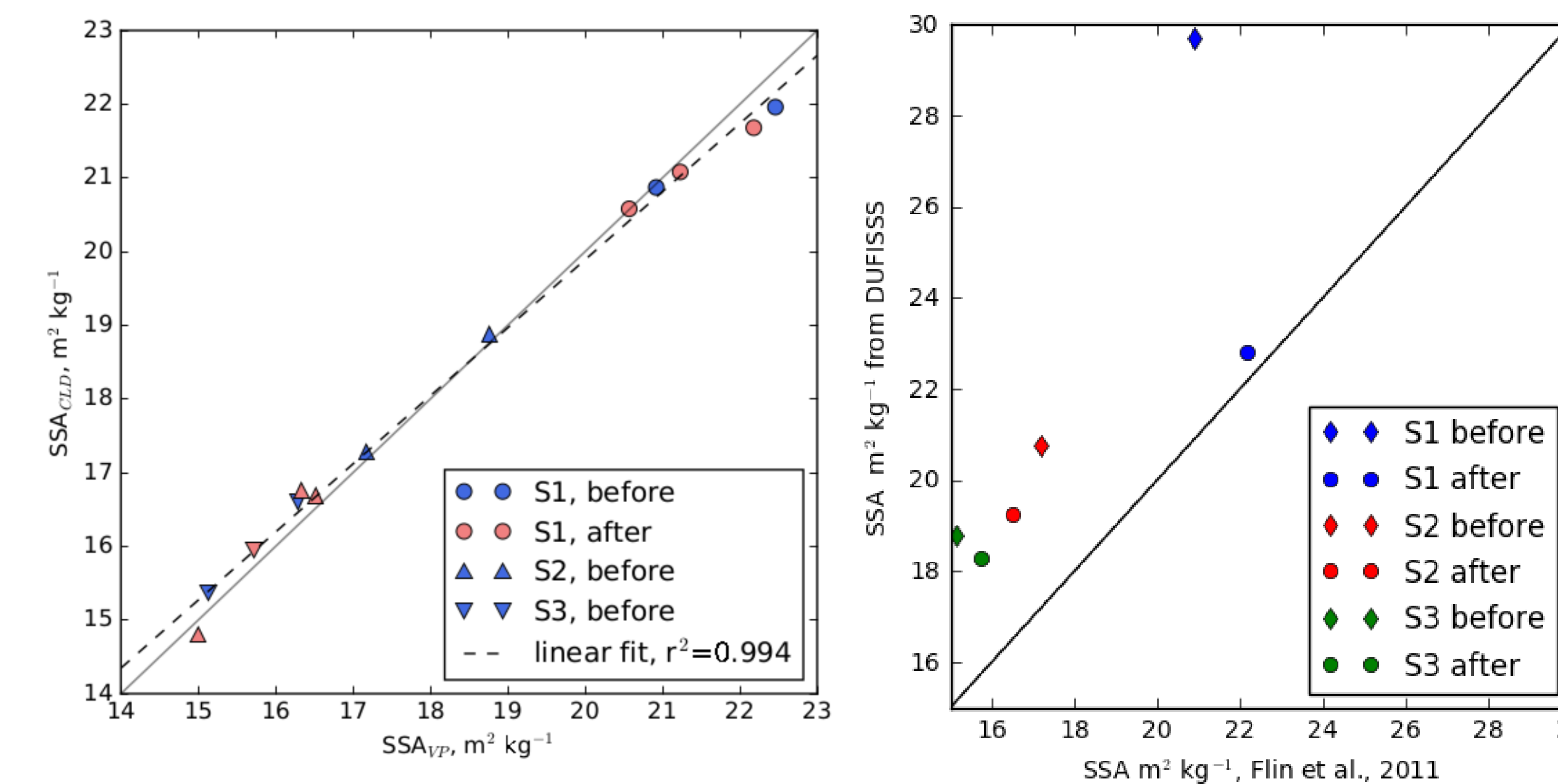


Figure 4 – Left panel: SSA obtained from chord length distributions versus obtained with the VP method (Flin et al., 2011) on the 3D images. Right panel: SSA measured using DUFFISS at 1310 nm (Gallet et al., 2009) versus SSA calculated using the VP method from Flin et al. (2011).

BRDF modeling

Reflectance modeling was performed using Malinka's (2014) model. This model is based on considering the snow as a two-phase random mixture of ice and air. The model uses geometrical optics laws and the stereological approach to compute inherent optical properties of snow based on the ice refractive index and on the CLD in ice and air. The model was successfully evaluated in Malinka et al. (2016) and used in Krol and Löwe (2016) to relate optical properties to snow microstructure metrics.

In this work, two configurations for simulations are used:

- simulations using exponential CLD and SSA values estimated from the 3D images (hereafter labelled 'exp')
- simulations using directly the CLD computed from the 3D images (hereafter labelled 'CLD')

For both simulations, the amount of light absorbing impurities was estimated using a fit between the model and the measurements in the visible range.

Spectral reflectances

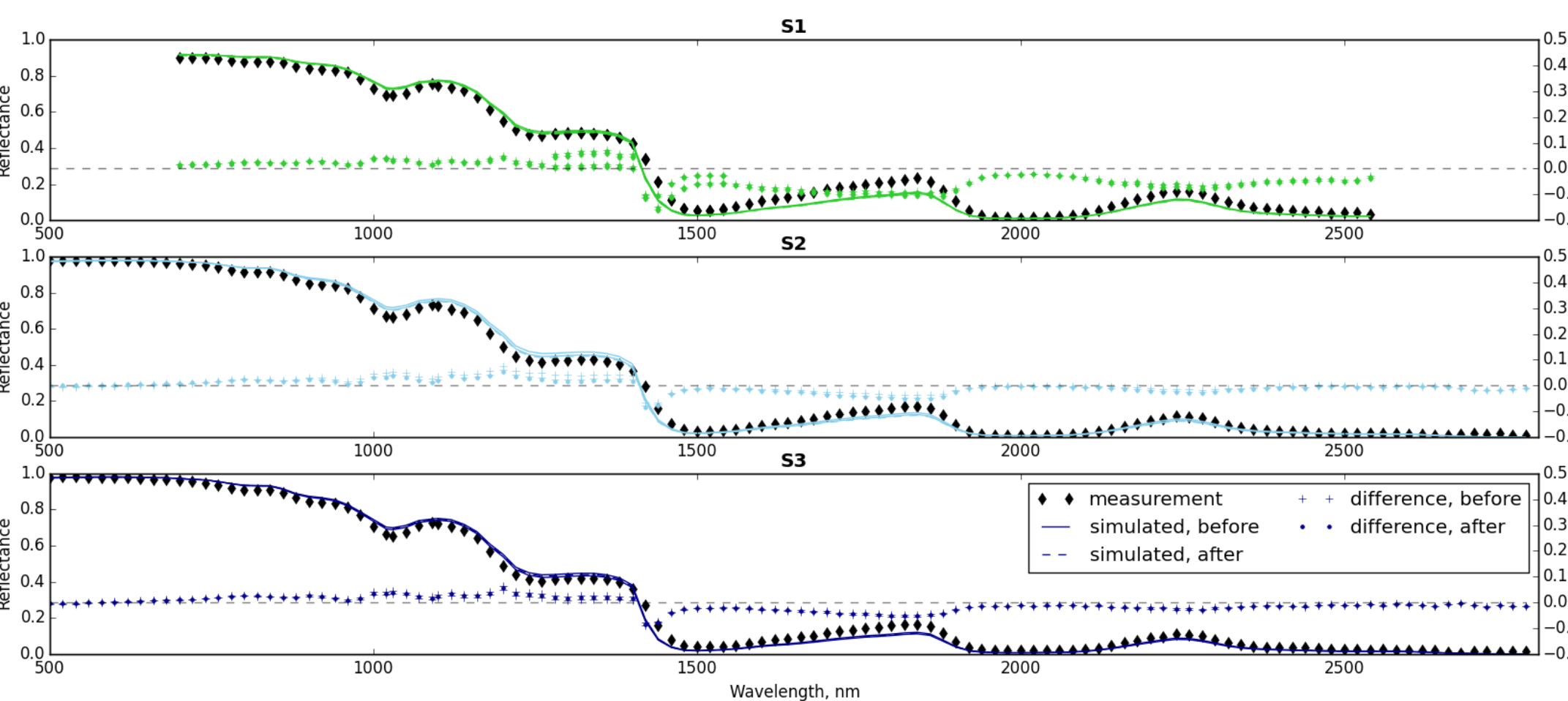


Figure 5 – Measured and simulated reflectances for the 3 samples. The incident zenith angles is 30°. The viewing zenith angle is 60° and the measurements is taken in the principal plane (forward direction).

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Results and future work

The simulated reflectances are in good agreement with the measured reflectances. Discrepancies are found in the NIR regions and can be partly attributed to the values of the ice refractive index as already noticed in previous work (Carmagnola et al., 2013).

Accounting for CLD estimations only impacts reflectances values for absorbing wavelengths and in the forward scattering angles as theoretically shown in Krol and Löwe, 2016. The effect of the refractive index uncertainty, especially of its imaginary part, is much more pronounced than the impact of other factors, such as the exact shape of the CLD, the anisotropy in the grain facet orientation, or the vertical heterogeneity of the sample.

Angular distribution

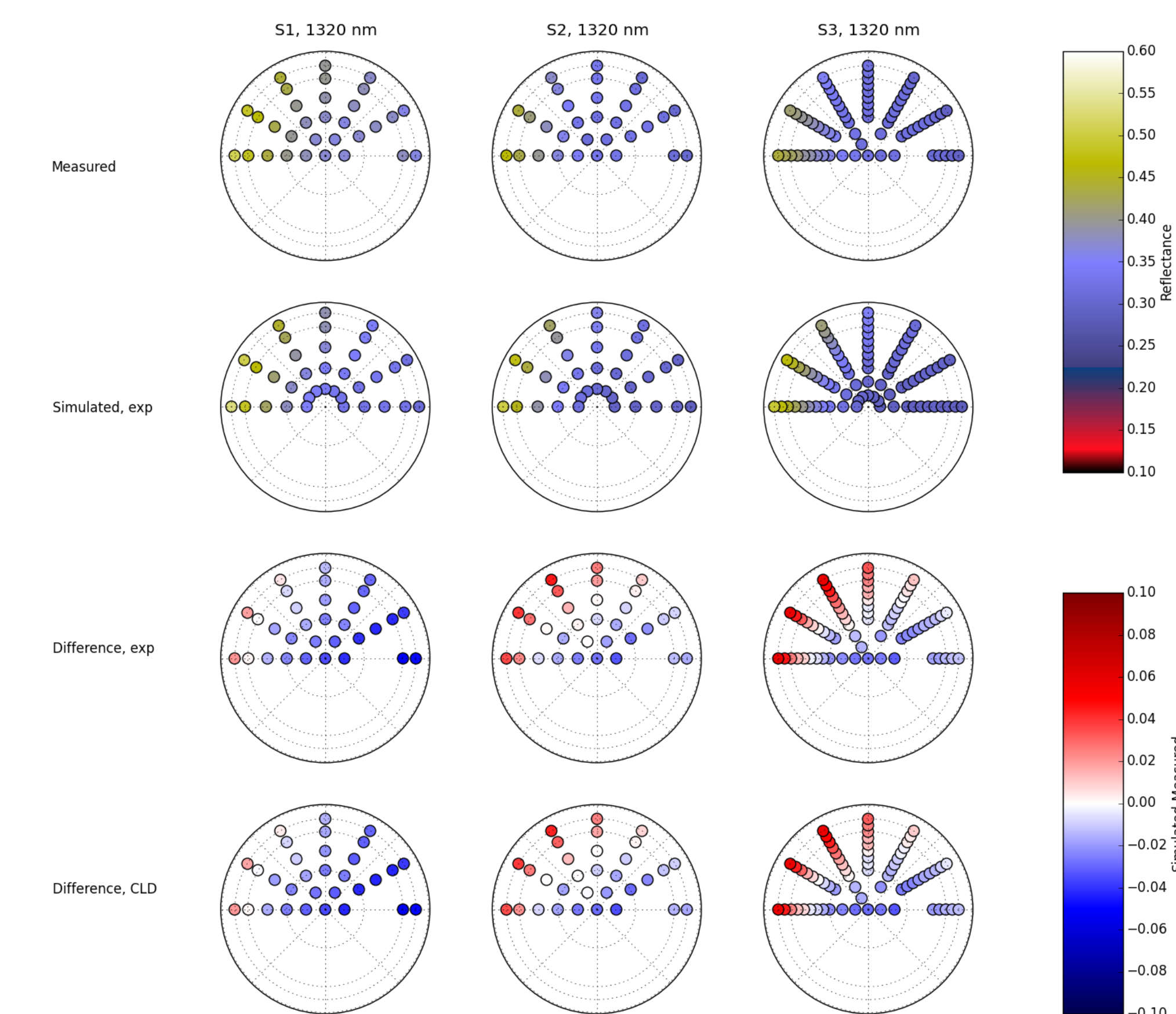
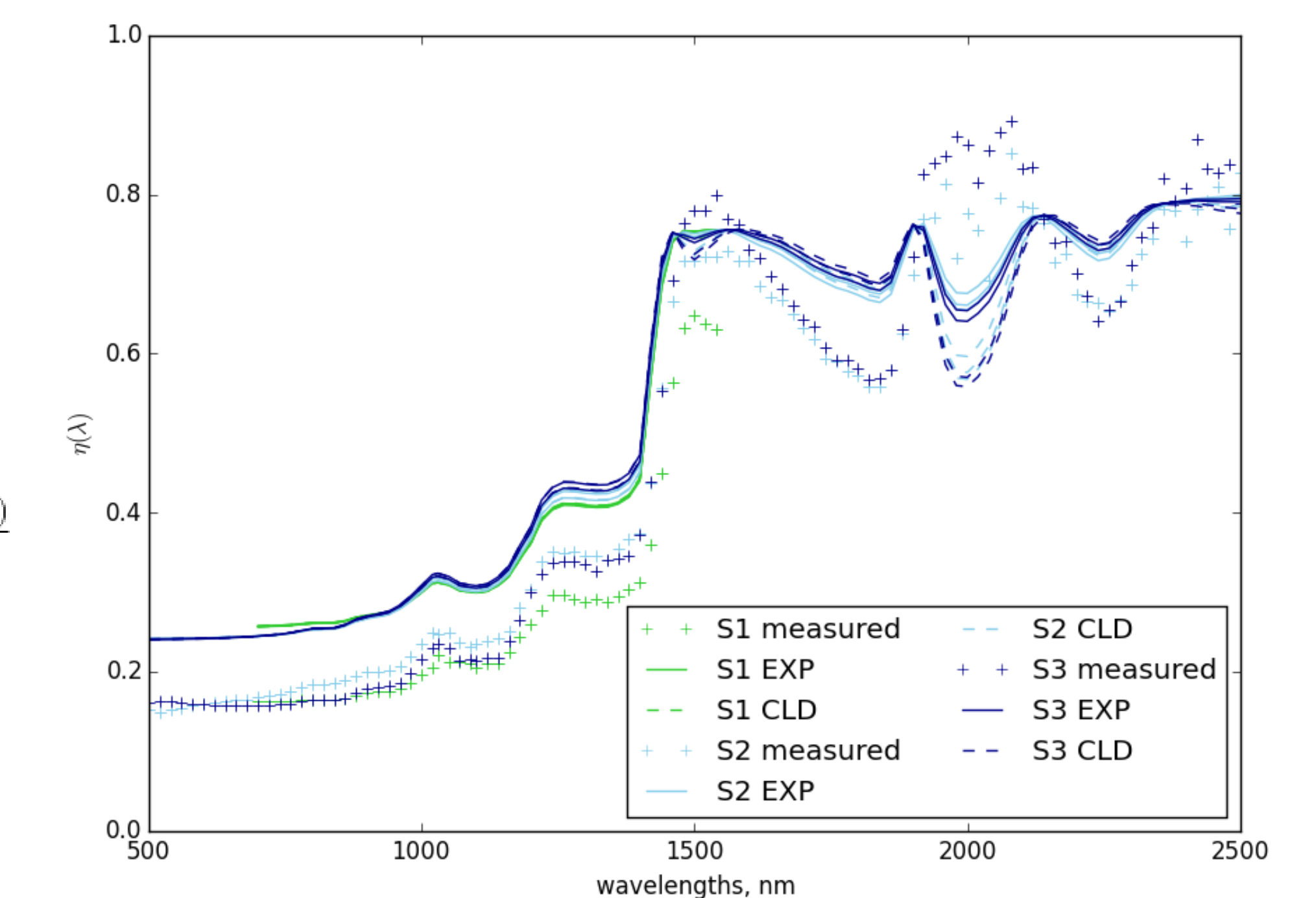


Figure 6 – Measured and simulated BRDF for the 3 samples. The incident zenith angles is 30°. In the polar plot, the radius is proportional to the viewing zenith angle and the azimuth is the relative azimuth between the viewing and incident azimuth. The data are for 1320 nm. Simulated data correspond to exponential CLD. Differences between the measured values and the two simulations are reported on the two last lines.

Forward scattering for absorbing wavelengths

Figure 7 – Measured (crosses) and simulated (dotted and plain lines) value of parameter η obtained for the 3 samples. EXP simulations correspond to plain lines and CLD to dotted lines.

$$\eta(\lambda) = \frac{R(30^\circ, 70^\circ, 180^\circ, \lambda) - R(30^\circ, 70^\circ, 0^\circ, \lambda)}{R(30^\circ, 70^\circ, 180^\circ, \lambda)}$$



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